# Package ‘DecomposeR' 

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Type Package
Title Empirical Mode Decomposition for Cyclostratigraphy
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Description Tools to apply Ensemble Empirical Mode
Decomposition (EEMD) for cyclostratigraphy purposes. Mainly: a new algorithm, extricate, that performs EEMD in seconds, a linear interpolation algorithm using the greatest rational common divisor of depth or time, different algorithms to compute instantaneous amplitude, frequency and ratios of frequencies, and functions to verify and visualise the outputs. The functions were developed during the CRASH project (Checking the Reproducibility of Astrochronology in the Hauterivian). When using for publication please cite Wouters, S., Da Silva, A.C. Crucifix, M., Sinnesael, M., Zivanovic, M., Boulvain, F., Devleeschouwer, X., 2019, '`Litholog generation with the 'StratigrapheR' package and signal decomposition for cyclostratigraphic purposes". Geophysical Research Abstracts Vol. 21, EGU2019-5520, 2019, EGU General Assembly 2019. [http://hdl.handle.net/2268/234402](http://hdl.handle.net/2268/234402).
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## Description

Allows to correlate time-series having different sampling rate, if they have a comparable depth or time scale

## Usage

approx.cor (xy1, dt1, xy2, dt2, plot $=T$, output $=T$, type $=" p ", \ldots)$

## Arguments

| xy1 | intensity values for the first data set |
| :--- | :--- |
| $d t 1$ | depth or time scale for the first data set |
| xy2 | intensity values for the second data set |
| $d t 2$ | depth or time scale for the second data set |
| plot | whether to plot |
| output | whether to output |
| type | type of points in the plot (see help page of lines() for details) |
| $\ldots$ | additional parameters to feed to the lines() function |

## Value

a list of correlation (\$cor), slope (\$slope), intercept (\$intercept) (two values for each: interpolation to fit dt 1 and dt 2 respectively), and of the xy 1 and xy 2 values, interpolated for dt 1 ( $\$ \mathrm{df} 1$ ) and df 2 (\$df2)

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy.pure <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2* sin(t*2*pi/p2)
xy <- xy.pure + rnorm(n, sd = 0.5)
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt.pure <- cumsum(inter_dt)
```

```
keep <- runif(length(dt.pure)) < 0.5
xy <- xy[keep]
dt <- dt.pure[keep] + rnorm(sum(keep), -0.2, 0.2)
par(mfrow = c(1,2))
plot(xy, dt, type = "o", pch = 19)
plot(xy.pure, dt.pure, type = "o", pch = 19)
par(mfrow = c(1,1))
out <- approx.cor(xy, dt, xy.pure, dt.pure)
out$cor
out$slope
out$intercept
```

as.emd Create / Check emd objects

## Description

Allows to convert the result of a decomposition into a standard list. The warnings of the is.emd checking function allow to identify the problems.

## Usage

as.emd(
xy,
$d t$,
imf,
residue = NULL,
ini = NULL,
mode $=$ NULL,
repl = 1,
order = NA
)
is.emd(emd)

## Arguments

xy
a vector of length $n$ for the original signal at each dt
$d t$ a vector of length $n$ for the depth or time reference

| imf | a data.frame or matrix of $n$ rows of the IMFs |
| :--- | :--- |
| residue | a vector of length $n$ for the residue of the decomposition |
| ini | an optional vector of length $n$ of the eventual initial Intrinsic Mode Function xy <br> would be a demodulation of, if it is a demodulation. |
| mode | the mode sequence index to give to each replicated IMFs <br> repl |
| the id of each replicates. The length of unique(repl) defines the amount of repli- |  |
| cates. |  |
| order | the order of the imf, typically from higher frequency to lower frequency |
| emd | an emd object to check |

## Value

a list made of \$xy (original signal), \$dt (depth/time), \$m (a matrix of the decomposition), \$repl (the replicate id of each point) and $\$$ mode (the mode id of each point).

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
s30 <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1)
s240 <- 2 * sin(t*2*pi/p2)
sn <- rnorm(n, sd = 0.5)
xy <- s30 + s240 + sn
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- as.emd(xy = xy, dt = dt, imf = matrix(c(sn, s30, s240), ncol = 3))
plot_emd(dec, pdf = FALSE)
is.emd(dec)
## Not run:
dec$xy <- 1
is.emd(dec)
## End(Not run)
```

```
as.pulse Create / Check pulse objects
```


## Description

Allows to convert instantaneous frequency determination results into a single 'pulse' object. This is the format generated by inst.pulse (and gzc if output = 2)

## Usage

$$
\begin{aligned}
& \text { as.pulse( } \\
& \text { dt, } \\
& f, \\
& a=N U L L, \\
& m=N U L L \\
& \text { idt }=N U L L, \\
& \text { mode }=N U L L, \\
& \text { repl }=1, \\
& \text { order }=N A \\
& \text { ) } \\
& \text { is.pulse(pulse) }
\end{aligned}
$$

## Arguments

| dt | a vector of length n for the depth or time reference |
| :--- | :--- |
| f | a data.frame or matrix of n rows of the instantaneous frequencies |
| a | a data.frame or matrix of n rows of the instantaneous amplitudes |
| m | a data.frame or matrix of n rows of the components from which the frequencies <br> and amplitudes were computed from |
| mode | data.frame or matrix of n rows of identity tuning: new dt coordinates to remove <br> the frequency modulation |
| repl | the mode sequence index to give to each replicated IMFs |
| a vector for the number of replicates or a matrix, indicating in which replicate |  |
| set each point is |  |
| pulse | the order of the imf, typically from higher frequency to lower frequency |
| a pulse object to check |  |

## Value

a list made of $\$ \mathrm{dtt}$ (depth/time), $\$ \mathrm{f}$ (instantaneous frequency), $\$ \mathrm{a}$ (instantaneous amplitude) if a is provided, $\$$ repl (the replicate id of each point) and \$mode (the mode id of each point).

## Examples

```
set. seed(42)
n <- 600
dt <- seq_len(n)
p1 <- 30
p2 <- 240
s30 <- \((1+0.6 * \sin (d t * 2 * p i / p 2)) * \sin (d t * 2 * p i / p 1)\)
s240<-2 * \(\sin (d t * 2 * p i / p 2)\)
\(x y<-s 30+s 240\)
\(d e c<-a s . e m d(x y=x y, d t=d t, i m f=\operatorname{matrix}(c(s 30, s 240), n c o l=2))\)
plot_emd(dec, pdf = FALSE, style = 1)
pulse <- inst.pulse(dec, last = TRUE, breaks \(=200\), bins \(=40\), cut \(=10\) )
is.pulse(pulse)
simp.pulse <- as.pulse(pulse\$dt, pulse\$f)
str (simp.pulse)
```

check.emd
Check an EMD object

## Description

Provides an ensemble of check on the quality of a decomposition presented as an emd object (see as.emd for more information)

## Usage

check.emd(emd, $x y=$ NULL, timelimit $=15$ )

## Arguments

$\left.\begin{array}{ll}\text { emd } & \text { an amd object to test } \\ \text { the original signal that was decomposed: this parameter is simply to insure } \\ \text { that you are indeed comparing the decomposition to the original signal, and } \\ \text { not cheating by providing the sum of your decomposition }\end{array}\right\}$

## Examples

```
    set.seed(50)
    h <- rnorm(n = 1000)
    dt <- seq_len(length(h))
    alpha <- 0.95
    for(i in dt[-1]) h[i] <- alpha * h[i-1] + h[i]
    set.seed(42)
    em <- extricate(h, dt, nimf = 7, repl = 1, comb = 100, sifting = 4,
        factor_noise = 20, unit_noise = "native", speak = TRUE)
    ## Not run:
    plot_emd(em, adapt.axis = TRUE)
    ## End(Not run)
    check.emd(em, h)
```

    condense
        Condenses columns of matrix
    
## Description

Condenses columns of a matrix by averaging or summing them. The condensing can be done partially: a multiple of the repetitions can be averaged or summed to keep some repetitions.

## Usage

condense (m, n , fun = "mean")

## Arguments

| $m$ | matrix of repeated signal, each column being a repetition |
| :--- | :--- |
| $n$ | the number of repetitions that will be averaged/summed |
| fun | the function to apply to each repetition: "mean" or "sum". |

## Value

a matrix with n times less columns

## Examples

```
m <- matrix(rep(seq(100, 800, 100), each = 10) + rep(1:10, 8), ncol = 8)
```

m
condense(m, 4)

DecomposeR DecomposeR: Empirical Mode Decomposition for Cyclostratigraphy

## Description

This package provides tools to apply Ensemble Empirical Mode Decomposition (EEMD) for cyclostratigraphy purposes. It proposes a new algorithm, that performs EEMD in seconds, a linear interpolation algorithm using the greatest rational common divisor of depth or time, different algorithms to compute instantaneous amplitude, frequency and ratios of frequencies, and functions to verify and visualise the outputs.

## Details

Package: DecomposeR
Type: R package
Version: 1.0.4 (Fall 2020)
License: GPL-3

Note
If you want to use this package for publication or research purposes, please cite Wouters, S., Da Silva, A.C. Crucifix, M., Sinnesael, M., Zivanovic, M., Boulvain, F., Devleeschouwer, X., 2019, Litholog generation with the StratigrapheR package and signal decomposition for cyclostratigraphic purposes. Geophysical Research Abstracts Vol. 21, EGU2019-5520, 2019, EGU General Assembly 2019. [http://hdl.handle.net/2268/234402](http://hdl.handle.net/2268/234402)

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## Description

Datasets for testing DecomposeR: the ace dataset is from from Sinnesael et al. (2016), the cip2 and cip3 data sets are from the signals 2 and 3 of the CIP project (Sinnesael et al., 2019), respectively, and cip1 was derived from cip1_raw which is a rasterisation of the .tif image provided as signal 1 of the CIP project. A real case study is also provided, out of ODP 926 in Ceara Rise, limited between 5 \& 9 Millions of years ago (Ma): the data sets z13 and z13amp are from Zeeden et al., 2013, and are respectively the greyscale, and its amplitude modulation for the eccentricity; w17 is from Wilkens et al., 2017, which proposes a revised splice for magnetic susceptibility; sc97amp is the amplitude modulation of eccentricity as it was calculated on the magnetic susceptibility by Shackleton \& Crowhurst (1997). Excerpts from the Laskar et al., 2004 solution are further provided from http: //vo.imcce.fr/insola/earth/online/earth/online/index.php: they are the insolation input for the CIP1 signal (cip1_imput), and various solutions for precession, eccentricity and obliquity for given time intervals (in millions of years ago): La04_pre_0_20, La04_ecc_6_8, La04_obl_6_8 \& La04_pre_obl_5_9.

## Details

xy Values of the signal
pre Values of the signal
dt Depth or time of the signal
age Tuned age of the signal

## References

Laskar, J., Robutel, P., Joutel, F., Gastineau, M. Correia, A. C. M., \& Levrard, B. (2004). A longterm numerical solution for the insolation of the Earth. Astronomy \& Astrophysics. 428. 261-285. doi: 10.1051/00046361:20041335
Shackleton, N. J., \& Crowhurst, S. (1997). Sediment fluxes based on an orbitally tuned time scale 5 Ma to 14 Ma , site 926 . Proceedings of the Ocean Drilling Program, Scientific Results. 154. doi: 10.2973/odp.proc.sr.154.102.1997
Sinnesael, M., Zivanovic, M., De Vleeschouwer, D., Claeys, P. \& Schoukens, J. (2016). Astronomical component estimation (ACE v.1) by time-variant sinusoidal modeling. Geoscientific Model Development. 9. 3517-3531. doi: 10.5194/gmd935172016
Sinnesael, M., De Vleeschouwer, D., Zeeden, C., et al. (2019). The Cyclostratigraphy Intercomparison Project (CIP): consistency, merits and pitfalls. Earth-Science Reviews. 199. 102965. doi: 10.1016/j.earscirev.2019.102965
Wilkens, R. H., Westerhold, T., Drury A. D., Lyle , M., Gorgas, T., Tian, J. (2017). Revisiting the Ceara Rise, equatorial Atlantic Ocean: isotope stratigraphy of ODP Leg 154 from 0 to 5Ma. Climate of the Past. 13. 779-793. doi: 10.5194/cp137792017
Zeeden, C., Hilgen, F., Westerhold, T., Lourens, L., Röhl, U. \& Bickert, T. (2013). Revised Miocene splice, astronomical tuning and calcareous plankton biochronology of ODP Site 926 between 5
and 14.4 Ma. Palaeogeography, Palaeoclimatology, Palaeoecology. 369. 430-451. doi: 10.1016/ j.palaeo.2012.11.009

| dq.algorithm | Calculates instantaneous frequency of freqeuncy carriers using the |
| :--- | :--- |
|  | $D Q$ method |

## Description

Calculates instantaneous frequency of frequency carriers using the direct quadrature method from Huang et al., 2009.

## Usage

dq.algorithm(fc, dt)

## Arguments

fc a matrix of amplitude between -1 and 1, making up the frequency carrier
$\mathrm{dt} \quad$ a vector of depth or time values

## Value

a list of the depth/time (dt), frequency (f), and identity tuning (idt), i.e. depths adapted to transform the frequency carrier into a cosine of period 1 .

## References

Huang, Norden E., Zhaohua Wu, Steven R. Long, Kenneth C. Arnold, Xianyao Chen, and Karin Blank. 2009. "On Instantaneous Frequency". Advances in Adaptive Data Analysis 01 (02): 177-229. https://doi.org/10.1142/S1793536909000096.

## Examples

n <- 600
t <- seq_len( n )
p1 <- 30
$x y<-\sin (t * 2 * p i / p 1+50)$
int <- $c(\operatorname{rep}(1,99+100), \operatorname{seq}(1,3,2 / 100), \operatorname{seq}(3,1,-2 / 100), \operatorname{rep}(1,100+99))$
dt <- cumsum(int)
cond <- dt < 75
$x y$ <- $x y[!$ cond]

```
dt <- dt[!cond]/1.2 - 62.5
res <- dq.algorithm(xy, dt)
opar <- par("mfrow")
par(mfrow = c(3,1))
plot(dt, xy, type = "o", pch = 19, main = "Frequency carrier")
plot(dt, 1/res$f, pch = 19, type = "l", log = "y", lwd = 2, ylim = c(25,80),
    main = "Period (Direct Quadrature method)", ylab = "Period")
plot(res$idt[,1], xy, type = "o", pch = 19,
        main = "Identity tuning", axes = FALSE, ylab = "xy", xlab = "dt")
ap <- approx(x = dt, y = res$idt[,1], xout = seq(0,600, by = 20))
axis(1, at = ap$y, labels = ap$x)
axis(2)
box()
par(mfrow = opar)
```

extremist Gives local extrema and zero crossings intervals

## Description

Gives local minimas, maximas and zero crossings. Optimised for large data sets; the sky is the limit (and by the sky I mean the ability of R and your computer to memorise large data sets; but within this limit the algorithm can handle millions of points quickly).

## Usage

extremist(xy, bound = FALSE, local = TRUE, zc = TRUE)

## Arguments

xy
bound whether to consider the first and last points as both minima and maxima, for special purposes. Default is F, has it should be.
local whether to consider the first and last points as local minima and maxima, if TRUE by default, otherwise these first and last points will be ignored

ZC whether to return the zero crossings

## Value

a list of the indexes of the left (l) and right (r) boundaries for the minima (minindex), maxima (maxindex) and zero crossing (cross), along with the number of extrema and zero crossings

## Examples

```
# Function script ----
xy <- c(1,0,0,0,4,5,5,0.5,-0.5,0.5,0,2,2,1,-1,-1,1,1,0,0,-4,-2,2,1,0,0.5,0,
    NA, 0.5,0,-0.5,3,2,3,0,0.5,4,4,0)
impressme <- 0 # Increase up to 5 or 6 to be impressed (bugs if your system
    # can't handle the size of the data).
    # If you increase it, do not run the plot script.
xy <- rep(xy, round(10^impressme))
print(paste("You are running ", length(xy), " points", sep = ""))
res <- extremist(xy)
# Plot script: do not run if you increase the impressme parameter ----
mini <- unique(c(res$minindex[[1]], res$minindex[[2]]))
maxi <- unique(c(res$maxindex[[1]], res$maxindex[[2]]))
zeri <- unique(c(res$cross[[1]], res$cross[[2]]))
l <- length(xy)
opar <- par("mfrow")
par(mfrow = c(3,1))
plot(1:l, xy, type = "o",pch = 19)
points(mini, xy[mini], pch = 19, col = "blue")
plot(1:l, xy, type = "o",pch = 19)
points(maxi, xy[maxi], pch = 19, col = "red")
plot(1:l, xy, type = "o",pch = 19)
points(zeri, xy[zeri], pch = 19, col = "green")
abline(h = 0, col = "grey")
par(mfrow = opar)
```

extricate

## Description

## Performes EEMD

## Usage

```
extricate(
    xy,
    dt,
    nimf,
    ini = NULL,
    repl = 1,
    comb = 100,
    mirror_noise = TRUE,
    factor_noise = 3,
    unit_noise = "1stdiff",
    sifting = 1,
    output_sifting = FALSE,
    remove = "lin.trend",
    bind = FALSE,
    speak = FALSE,
    plot_process = FALSE,
    pdf = TRUE,
    name = "extricate",
    ext = ".pdf",
    dir = tempdir(),
    width = 10,
    height = 20,
    track = TRUE,
    openfile = TRUE
)
```


## Arguments

xy
dt
nimf number of modes/components/intrinsic mode functions to decompose the signal into
ini an optional vector of length $n$ of the eventual initial Intrinsic Mode Function xy would be a demodulation of, if it is a demodulation. In that case the mode indexes will start at 2.
repl the amount of decompositions to output
comb the amount of decompositions each output decomposition will be a combination of. Has to be a multiple of 2 (even and odd extension stacks have to be combined in any case)
mirror_noise whether to generate a mirrored noise signal (for even and odd extension) that will cancel perfectly when combining the decompositions

| factor_noise | a factor for the amplitude of white noise (finite amplitude obtained via runif). By default it will be multiplied with the mean of the lagged-one difference to define the noise amplitude |
| :---: | :---: |
| unit_noise | whether to multiply factor_noise by the mean of the lagged-one difference (unit_noise = "1stdiff") or not (unit_noise = "native") |
| sifting | amount of iterations of the sifting process |
| output_sifting | whether to output each sifting |
| remove | whether to remove the linear trend (remove = "lin.trend") or the mean (remove = "mean") prior to decomposition. The removed part will be added back after the decomposition. If remove is anything else, nothing will be removed, which can be problematic for the even and odd extension scheme used. |
| bind | whether to bind the removed linear trend or mean to the last component (T), or to add it as another component ( F ) |
| speak | whether to print a sentence at each sifting: it gives the stack (even or odd), the mode number and sifting number |
| plot_process | whether to have a plot of the entire sifting process. This slows down the algorithm, use with low 'repl' and 'comb' values for visualisation purposes |
| pdf | whether the plot be directly set as a pdf file |
| name, ext, dir, width, height, track, openfile |  |
|  | arguments to provide to pdfDisplay if plot_process and pdf are TRUE |

## Value

a list made of \$xy (original signal), \$dt (depth/time), \$m (a matrix of the decomposition), \$repl (the replicate id of each point) and \$mode (the mode id of each point). If output_sifting is TRUE, additional \$even_sifting and \$odd_sifting data.tables are provided, giving the condensed siftings for the even and odd extensions.

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, repl = 1, comb = 40, factor_noise = 10,
    sifting = 10, speak = TRUE, output_sifting = TRUE)
```

```
    integrity(xy, dec)
    parsimony(dec)
    plot_emd(dec, select = c(4, 6), pdf = FALSE)
    ## Not run:
    plot_emd(dec, li = list(v = 0), dir = tempdir())
    ## End(Not run)
```

    gzc
    
## Description

Calculates instantaneous frequency using the Generalised Zero-Crossing method from Huang et al., 2009. General wrapper for the gzc. algorithm function that does all the actual work.

## Usage

```
    gzc(
```

    emd \(=\) NULL,
    ini \(=\) NULL,
    \(\mathrm{m}=\mathrm{NULL}\),
    \(\mathrm{dt}=\mathrm{NULL}\),
    repl \(=1\),
    mode \(=\) NULL,
    dtout \(=\) NULL,
    output = 1,
    warn = TRUE
    )

## Arguments

emd emd-type object
ini an optional vector of length $n$ of the eventual initial Intrinsic Mode Function xy would be a demodulation of, if it is a demodulation. It will be integrated to the results as mode 1.
m
a matrix of the amplitude values (xy) of the components, each column being a component. Each column should have the same number of non NA values. Vectors, for 1 component, are accepted. Is overridden by emd.
dt the depth or time value. Is overridden by emd.
repl the amount of replicates in m . Is overridden by emd.
mode the mode sequence index to give to each replicated IMFs
dtout the dt values to sample the frequency and amplitude from if output $=2$.
output the style of the output, whether 0,1 or 2.0 provides the raw output of gzc.algorithm, 1 and 2 provides a matrix with $\$ \mathrm{dt}$ (depth/time), $\$ \mathrm{f}$ (frequency) and $\$ \mathrm{a}$ ()amplitude, but with output $=1$ the matrix provides the dt only at the extremas and zero-crossings, whereas with output $=2$ the dt values are the ones provided with the dtout parameter. 1 is better for plots, 2 allows easier calculations to be performed downstream.
warn whether to warn if the sampling interval defined by the dtout parameter is to small (redirected from StratigrapheR: :tie.lim)

## Value

depending on the output parameter:
output $=0$ provides the raw output of gzc.algorithm, with $\$ 1 d t$ and $\$ r d t$ (the left and right boundaries of the depth/time intervals), \$f (frequency) and \$a (amplitude). To that are added \$repl (the replicate id) and \$mode (the mode id)
output = 1 or 2 provides a matrix with $\$ \mathrm{dt}$, $\$ \mathrm{f}$ and $\$ \mathrm{a}$, but with output = 1 the matrix provides the dt only at the extremas and zero-crossings, whereas with output $=2$ the dt values are the ones provided with the out parameter. 1 is better for plots, 2 allows easier calculations to be performed downstream.

## References

Huang, Norden E., Zhaohua Wu, Steven R. Long, Kenneth C. Arnold, Xianyao Chen, and Karin Blank. 2009. "On Instantaneous Frequency". Advances in Adaptive Data Analysis 01 (02): 177-229. https://doi.org/10.1142/S1793536909000096.

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, repl = 1, comb = 50,
                    factor_noise = 10, sifting = 10, speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
integrity(xy, dec)
```

```
    parsimony(dec)
    res <- gzc(dec)
    numb <- 4
    opar <- par('mfrow')
    par(mfrow = c(1,2))
    plot(dec$m[,numb], dec$dt, type = "l",
        main = paste("Mode", numb, " + Amplitude"),
        xlab = "xy", ylab = "dt", ylim = c(0, 600))
    lines(res$a[,numb], res$dt[,numb], col = "red", lwd = 2)
    plot(1/res$f[,numb], res$dt[,numb], ylim = c(0,600),
        xlab = "Period", ylab = "dt", log = "x",
        type = "l", col = "red", lwd = 2, main = "Period")
par(mfrow = opar)
```

gzc.algorithm Calculates instantaneous frequency of simplified IMF using the GZC method

## Description

Calculates instantaneous frequency of simplified IMF using the Generalised Zero-Crossing method from Huang et al., 2009.

## Usage

gzc.algorithm(xy, dt)

## Arguments

| $x y$ | a matrix of amplitude |
| :--- | :--- |
| $d t$ | a vector of depth or time values |

## Details

the GZC method is precise to $1 / 4$ th of a period, so the results are provided between left and right points, i.e. either an extrema or a zero-crossing.

## Value

a list of $\$ 1 d t$ (left position), $\$$ rdt (right position), $\$ \mathrm{f}$ (frequency) and $\$ \mathrm{a}$ (amplitude)

## References

Huang, Norden E., Zhaohua Wu, Steven R. Long, Kenneth C. Arnold, Xianyao Chen, and Karin Blank. 2009. 'On Instantaneous Frequency'. Advances in Adaptive Data Analysis 01 (02): 177-229. https://doi.org/10.1142/S1793536909000096.

## Examples

```
xyi <- c(0.5,0,-0.5,0,0.5,0,-0.5,0,0.5,0,-0.5,0,0.5,0,-0.5,0,0.5,0,-0.5,0,
        1,1,0,-1,-1,0,1,1,0,-1,-1,0,1,1,0,-1,-1)
dti <- 1:length(xyi)
d <- simp.emd(m = xyi, dt = dti)
xy <- d$xy
dt <- d$dt
res <- gzc.algorithm(xy, dt)
opar <- par('mfrow')
par(mfrow = c(2,1))
plot(dti, xyi, pch = 19, type = "o", ylab = "xy", xlab = "dt")
points(dt, xy, pch = 19, col = "green")
points(res$ldt, res$a, pch = 19, col = "red")
points(res$rdt, res$a, pch = 19, col = "red")
plot(dt, rep(max(res$f, na.rm = TRUE), length(dt)), type = "n",
    ylab = "Frequency", xlab = "dt",
        ylim = c(0, 2 * max(res$f, na.rm = TRUE)))
points(res$ldt, res$f, pch = 19)
points(res$rdt, res$f, pch = 19)
par(mfrow = opar)
```

gzc.departure departure of instantaneous frequency to generalized zero-crossing

## Description

departure of instantaneous frequency to generalized zero-crossing of instantaneous freqeuncy. The departure is calculated as the exponential of the absolute difference of logarithms of frequencies obtained using a robust generalized zero-crossing method through the gzc function (where the components are simplified into extrema separated by zero-crossings) and instantaneous frequency computed from another method

## Usage

```
    gzc.departure(
    pulse = NULL,
    dt = NULL,
    m = NULL,
    f = NULL,
    repl = 1,
    mode = NULL,
    simplify = TRUE
)
```


## Arguments

| pulse | a pulse object object |
| :--- | :--- |
| dt | the depth or time. Is overridden by pulse. |
| m | a matrix of the modes to calculate the gzc frequency from. Is overridden by <br> pulse. |
| f | a matrix of the frequencies to compare to gzc. |
| repl | the amount of replicates in m. Is overridden by emd. |
| mode | the mode sequence index to give to each replicated IMFs. Is overridden by emd. |
| simplify | whether to average the value for each component of each replicate |

## Value

If simplify is TRUE, the function returns the average gzc departure as a data frame where the columns stand for the modes and the rows for the replicates. If simplify if FALSE, the function returns the functions returns local gzc departure.

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
    inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
    dt <- cumsum(inter_dt)
    dec1 <- extricate(xy, dt, nimf = 5, repl = 1, comb = 10, sifting = 1,
        factor_noise = 10, bind = TRUE, speak = TRUE)
```

```
dec2 <- extricate(xy, dt, nimf = 6, repl = 1, comb = 100, sifting = 5,
            factor_noise = 50, bind = TRUE, speak = TRUE)
## Not run:
plot_emd(dec1, name = "EMD 1", dir = tempdir())
plot_emd(dec2, name = "EMD 2", dir = tempdir())
## End(Not run)
parsimony(dec1)
parsimony(dec2)
f1 <- inst.pulse(dec1, plot = FALSE)
f2 <- inst.pulse(dec2, plot = FALSE)
gzc.departure(f1)
gzc.departure(f2)
```

inst.pulse

## Description

Calculates instantaneous frequency using the Hilbert transform (HT), normalised Hilbert transform (NHT) or the direct quadrature (DQ) methods. Normalisation is done for NHT and DQ using Huang et al., 2009 algorithm, but the empirical normalisation scheme can fail due to overshoot or undershoot of the spline. Additional research is necessary for that last feature.

## Usage

```
inst.pulse(
    emd = NULL,
    imf = NULL,
    m = NULL,
    dt = NULL,
    ini = NULL,
    repl = 1,
    mode = NULL,
    last = FALSE,
    plot = TRUE,
    method = "HT",
    delta = NULL,
    tolerance = 8,
    relative = TRUE,
    breaks = 500,
    bins = 100,
    cut = 18,
    lines = NULL
)
```


## Arguments

emd
an emd object
imf a matrix of same frequency modes to calculate the frequency from. Is overridden by emd. This allows to calculate and visualise the results for single IMFs more clearly than in a population plot.
m
a matrix of the modes to calculate the frequency from. Is overridden by emd and imf.
$\mathrm{dt} \quad$ the depth or time. Is overridden by emd.
ini an optional vector of length $n$ of the eventual initial Intrinsic Mode Function xy would be a demodulation of, if it is a demodulation. It will be integrated to the results as mode 1 .
repl the amount of replicates in $m$. Is overridden by emd.
mode the mode sequence index to give to each replicated IMFs. Is overridden by emd.
last whether to use the last mode (trend/residue).
plot whether to have a plot summary of the output.
method the IF calculation method: "HT" for Hilbert transform (default), "NHT" for normalised Hilbert transform, and "DQ" for direct quadrature. The two last require normalisation, which can sometimes fail.
delta, tolerance, relative
parameters to feed to respace for interpolation
breaks, bins, cut
parameter for the plots: breaks is fed to plot_hist, bins is fed to plot_hex, and cut defines the number of color cuts for plot_hex. For better control use plot_hist and plot_hex directly.
lines the period of lines to be added to the plots for better visualisation

## Value

a list made of \$dt (depth/time), \$f (instantaneous frequency), \$a (instantaneous amplitude),\$repl (the replicate id of each point) and \$mode (the mode id of each point)

## References

Huang, Norden E., Zhaohua Wu, Steven R. Long, Kenneth C. Arnold, Xianyao Chen, and Karin Blank. 2009. "On Instantaneous Frequency". Advances in Adaptive Data Analysis 01 (02): 177-229. https://doi.org/10.1142/S1793536909000096.

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
```

```
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2* sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, repl = 10, comb = 10,
                factor_noise = 10, sifting = 10, speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
integrity(xy, dec)
parsimony(dec)
ht <- inst.pulse(dec, lines = c(30, 240))
gzcr <- gzc(dec)
imf <- dec$m[,4]
inst.pulse(imf = imf, dt = dt, method = "DQ")
```

inst.ratio

Computes instantaneous ratio of frequency

## Description

Computes instantaneous ratio of frequency

## Usage

```
inst.ratio(
    pulse = NULL,
    dt = NULL,
    \(\mathrm{f}=\mathrm{NULL}\),
    a = NULL,
    repl = 1,
    plot \(=\) TRUE,
    sqrt.rpwr = TRUE,
    style = "b",
    select \(=N A\),
    bins = 100,
    cut = 18,
    lines = NULL,
    width = 10,
    height = 10,
    name = "Ratio",
```

```
    ext = ".pdf",
    dir = tempdir(),
    track = TRUE,
    openfile = TRUE
)
```


## Arguments

| pulse | a pulse object (created by inst.pulse for instance) |
| :---: | :---: |
| dt | depth/time. Is overridden by pulse. |
| f | instantaneous frequency. Is overridden by pulse. |
| a | instantaneous amplitude. Is overridden by pulse. |
| repl | number of replicates in $f$ |
| plot | whether to plot an output |
| sqrt.rpwr, style, select, bins, cut, lines, width, height parameters to feed to plot_ratio for the plots |  |
| name, | track, openfile parameters to feed to pdfDisplay in plot_ra |

## Value

a list of depth/time (\$dt), frequency (\$f), ratio of frequency (\$ratio), if a is provided; the ratio power (\$rpwr) i.e. the multiplication of the instantaneous amplitudes of the modes two by two, the replicates id (\$repl)and id for the first and second frequency modes used for the ratio (\$1 for the first, $\$ r$ for the second, or $\$ 1 r$ for the two combined)

## Examples

```
set.seed(42)
n <- 600
time <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(time *2*pi/p2)) * sin(time *2*pi/p1) +
    2 * sin(time *2*pi/p2) + rnorm(n, sd = 0.5)
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10,
    repl = 10, comb = 10, factor_noise = 10,
    speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
```

```
## End(Not run)
integrity(xy, dec)
parsimony(dec)
ht <- inst.pulse(dec, lines = c(30, 240))
ratio <- inst.ratio(ht, style = "s", lines = 8)
```

integrity Integrity of a decomposition

## Description

The function additions each component of a decomposition by depth/time, subtract it with the original signal, and provides the absolute of this subtraction. This is allows to verify if the decomposition is computed correctly.

The bulk value is the cumulated value of this proxy. If the decomposition is done right the value should be very small, but non-zero due to the floating-point arithmetics used by computers that generate tiny errors. Its actually interesting: the first computations of the orbital solutions were strongly affected by this error, as the chaotic behaviour of the equations enhanced the effect of these tiny tiny errors.

## Usage

integrity (xy, emd $=$ NULL, $m=$ NULL, repl $=1$, bulk $=$ TRUE)

## Arguments

| xy | the signal |
| :--- | :--- |
| emd | an emd object to test. The emd $\$$ xy original signal is not used, to avoid confusion: <br> you always have to provide the xy signal yourself. |
| $m$ | a matrix with columns of same length that xy, made of the decomposition of the <br> signal. Is overridden by emd. |
| repl | the replication of decompositions in m. Is overridden by emd. |
| whether to have a bulk value each decomposition replication, or for each dt of |  |
| each replication |  |

## Value

a matrix with each column being a replication, or a list of bulk values for each replication

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
    p1 <- 30
    p2 <- 240
    \(x y<-(1+0.6 * \sin (t * 2 * p i / p 2)) * \sin (t * 2 * p i / p 1)+2 * \sin (t * 2 * p i / p 2)+\)
        rnorm(n, sd = 0.5)
    inter_dt <- round(runif(length(xy), min \(=0.5, \max =1.5), 1\) )
    dt <- cumsum(inter_dt)
    dec <- extricate(xy, dt, nimf = 7, repl = 10, comb = 10, factor_noise \(=10\),
        sifting \(=10\), speak \(=\) TRUE, output_sifting \(=\) TRUE)
    integrity(xy, dec)
```

    is.ratio Check ratio objects
    
## Description

Check ratio objects

## Usage

is.ratio(ratio)

## Arguments

ratio a ratio object to check

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
    p1 <- 30
    p2 <- 240
    xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5)
```

```
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10,
    repl = 10, comb = 10, factor_noise = 10,
    speak = TRUE)
ht <- inst.pulse(dec, plot = FALSE)
ratio <- inst.ratio(ht, plot = FALSE)
is.ratio(ratio)
```

is.simp.emd Tests for simplified EMD

## Description

Tests whether each column of a matrix is an alternation of -minima zero-crossing maxima zero-crossing-

## Usage

is.simp.emd(xy)

## Arguments

$x y \quad a$ vector or matrix of values to test

## Examples

```
xytest1 <- c(0.5, 1,-1,-0.85,-0.5,-1,-0.5,-1,1,0.5,0,-1,0,
    1,-1,0,1,2,-2,1,2,1,3,0,-1,-1,3,0)
xytest2 <- c(0, 1,-1,-0.85,-0.5,-1,-0.5,-1,1,0.5,0,0,
    1,1,1,1,2,-2,1,2,1,3,0,-1,-1,3,0)
dat1 <- simp.emd(m = xytest1, dt = 1:length(xytest1))
dat2 <- simp.emd(m = xytest2, dt = 1:length(xytest2))
is.simp.emd(dat1$xy)
is.simp.emd(dat2$xy)
```

\# There is a problem when two maxima or minima are separeted by a point at 0
\# that does not cross any further, creating a false simplified IMF. THis is
\# not considered as a simplified IMF by this function. However this scenario
\# should be very rare in EMDs, but you never really know.
mode.in
Add / Remove / Bind modes in emd objects

## Description

Add / Remove / Bind modes in emd objects

## Usage

mode.in(emd, xy, mode = NA, adjust = TRUE, name = "Added")
mode.out(obj, keep = NULL, lose = NULL, adjust = F, reorder = F)
mode.bind(emd, mode = NA, xy = NULL, adjust = T, name = "bound")

## Arguments

\(\left.$$
\begin{array}{ll}\begin{array}{l}\text { emd } \\
\text { xy } \\
\text { mode, keep, lose }\end{array} & \begin{array}{l}\text { emd-type object } \\
\text { an Instrinsic Mode Function to add }\end{array}
$$ <br>
[mode.in] the position where to add the mode / [mode.out] the modes to keep or <br>

lose / [mode.bind] the modes to merge\end{array}\right]\)| whether to adapt the initial signal of an emd object (\$xy in the emd object) when |
| :--- |
| adding or removing a mode |

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
\(x y<-(1+0.6 * \sin (t * 2 * p i / p 2)) * \sin (t * 2 * p i / p 1)+2 * \sin (t * 2 * p i / p 2)+\)
    rnorm(n, sd = 0.5)
    inter_dt <- round(runif(length(xy), min \(=0.5, \max =1.5), 1\) )
    dt <- cumsum(inter_dt)
```

```
    dec <- extricate(xy, dt, nimf = 7, sifting = 10,
                        repl = 10, comb = 10, factor_noise = 10,
                        speak = TRUE)
opar <- par('mfrow')
par(mfrow = c(2,1))
integrity(xy, dec)
    ht <- inst.pulse(dec, plot = FALSE)
    plot_hist(x = 1/ht$f, breaks = 500, id = ht$mode,
        xlog = TRUE, text = TRUE, xlab = "Period",
        main = "Initial Decomposition")
    bound <- mode.bind(dec, mode = c(6,7))
    ht2 <- inst.pulse(bound, plot = FALSE)
    plot_hist(x = 1/ht2$f, breaks = 500, id = ht2$mode,
        xlog = TRUE, text = TRUE, xlab = "Period",
        main = "Binding of modes 6 and 7")
par(mfrow = opar)
## Not run:
plot_emd(bound, dir = tempdir(), adapt.axis = TRUE)
## End(Not run)
```

n.extrema
Number of extrema/zero-crossings

## Description

Computes the number of extrema and zero-crossings for different groups of data, by their id or separated by NA values

## Usage

n.extrema(
$x y$,
id = NULL,
use.names = TRUE,
bound = FALSE,
local = FALSE,
zc = TRUE
)

## Arguments

| xy | signal or decomposed signal |
| :--- | :--- |
| id | the id for different groups. If any NA value is in $x y$, it will also separate two <br> groups of data |
| use.names <br> bound, local, zc | whether to use the names in id |

## Value

a list of the number of minima (\$n.min), maxima (\$n.max), and, if $\mathrm{zc}=$ TRUE, zero-crossings (\$n.cross)

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2* sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5)
xy <- xy - mean(xy)
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10,
                                    repl = 1, comb = 40, factor_noise = 10,
    speak = TRUE)
integrity(xy, dec)
parsimony(dec)
n.extrema(dec$m, dec$mode)
plot_emd(dec, select = c(6,8,9), pdf = FALSE, adapt.axis = TRUE)
## Not run:
plot_emd(dec, li = list(v = 0), adapt.axis = TRUE, dir = tempdir())
## End(Not run)
```

```
normalise Empirical AM and FM decomposition
```


## Description

Applies the normalisation scheme of Huang et al., 2009 to decompose any Intrinsic Mode Functions obtained (usually via Empirical Mode Decomposition) into an Frequency Modulated component of amplitude 1, also called carrier, and its Amplitude Modulated enveloppe. The carrier can then be used to compute the instantaneous frequency via the Normalised Hilbert Transform (NHT) or by calculating its Direct Quadrature (DQ) (Huang et al., 2009). HOWEVER THIS FUNCTION CAN FAIL due to overshoot or undershoot of the spline fitting. Additional research is necessary.

## Usage

normalise(emd $=$ NULL, $m=$ NULL, $d t=$ NULL, repl $=1$, last $=$ TRUE, speak $=$ TRUE)
normalize(emd $=$ NULL, $m=$ NULL, $d t=$ NULL, repl $=1$, last $=$ TRUE, speak $=$ TRUE)

## Arguments

emd an emd object
$\mathrm{m} \quad$ a matrix of the modes to calculate the amplitude and the frequency carrier from. Is overridden by emd.
$\mathrm{dt} \quad$ the depth or time. Is overridden by emd.
repl the amount of replicates in m . Is overridden by emd.
last whether to use the last mode (trend/residue).
speak whether to print a sentence at each iteration

## Value

a list of two matrices: $\$ \mathrm{fc}$ (frequency carrier) and $\$ \mathrm{a}$ (instantaneous amplitude)

## References

Huang, Norden E., Zhaohua Wu, Steven R. Long, Kenneth C. Arnold, Xianyao Chen, and Karin Blank. 2009. 'On Instantaneous Frequency'. Advances in Adaptive Data Analysis 01 (02): 177-229. https://doi.org/10.1142/S1793536909000096.

## Examples

$$
\begin{aligned}
& \text { set. seed(42) } \\
& n<-600 \\
& t<- \text { seq_len(n) } \\
& p 1<-30 \\
& p 2<-240
\end{aligned}
$$

```
    xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
        rnorm(n, sd = 0.5)
    inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
    dt <- cumsum(inter_dt)
    dec <- extricate(xy, dt, nimf = 7, sifting = 10,
    repl = 1, comb = 100, factor_noise = 10,
    speak = TRUE)
    plot_emd(dec, pdf = FALSE, select = 4)
    integrity(xy, dec)
    parsimony(dec)
    m <- dec$m
    res <- normalise(dt = dt, m = m, last = FALSE)
    numb <- 4
    opar <- par('mfrow')
    par(mfrow = c(1,2))
    plot(m[,numb], dt, type = "l", xlab = "xy",
        main = paste("Mode", numb, "and AM enveloppe"))
    lines(res$a[,numb], dt, col = "red", lty = 5, lwd = 2)
    plot(res$fc[,numb], dt, type = "l", xlab = "xy",
        main = "FM carrier")
par(mfrow = opar)
```

oscillate

## Description

Modify a signal using a Van der Pol oscillator

## Usage

oscillate(
$x y$,
dt ,
period,

```
    delta = 0.05,
    damp = 5e-05,
    f.noise = 5,
    f.signal = 0.95,
    dx = function(x, y, beta, damp) beta * y - x * (x^2 + y^2 - 1) * damp,
    dy = function(x, y, beta, damp) -beta * x - y * (x^2 + y^2 - 1) * damp,
    xi = if (length(xy) != 0) xy[1] else 0.5,
    yi = if (length(xy) != 0) xy[1] else 0.5,
    normalise = TRUE,
    limit = TRUE
)
```


## Arguments

| xy | initial signal (vector or matrix) |
| :---: | :---: |
| dt | depth/time (same length than length/rows of xy ) |
| period | the period of the oscillator (length 1 or $n$ ) |
| delta | the sampling interval for iteration (length 1 or n ) |
| damp | damping parameter |
| f.noise | a factor of the amount of noise (length 1 or n ) |
| f.signal | a factor of the amount of signal (length 1 or n ) |
| dx, dy | the differentials used in the oscillator. They should be provided as functions needing $\mathrm{x}, \mathrm{y}$, beta ( $2 * \mathrm{pi} / \mathrm{period}$ ) and damp (damping) parameters |
| xi | the initial $x$ value |
| yi | the initial y value |
| normalise | whether to recenter the output signal on the initial signal |
| limit | whether to warn when parameters are irrealistic (subjective) |

## Examples

```
set.seed(42)
n <- 800
dt <- seq(0,n, 1)
p1 <- 100
p2 <- 40
xy <- (1 + 0.6* sin(dt*2*pi/p1))* sin(dt*2*pi/p2) + 2* sin(dt*2*pi/p1) + 1
xyout <- oscillate(xy, dt, period = 30)
opar <- par("mfrow")
par(mfrow = c(1,1))
```

```
plot(xy, dt, type = "l",
    main = "Initial signal (bold) & oscillated signal (dashed)",
    lwd = 2, xlim = c(-4, 6))
lines(xyout, dt, type = "l", col = "grey50", lwd = 2, lty = 5)
par(mfrow = opar)
```

parsimony Parsimony of a decomposition

## Description

The function additions the absolute values of each component of a decomposition by depth/time, and computes the ratio of that with the absolute values of the signal. This is done either by depth/time or on the time/depth-cumulated signal (i.e. the bulk signal).
This is a proxy for parsimony: it is the factor of amplitude added by the decomposition. A perfect decomposition, that does not 'invent' wiggles, should approach 1, but will logically always be higher. However it is influenced by the absolute value of the initial signal: if the original signal is not centered around 0 , the parsimony is not significative (it will artificially be closer to 1 ). To correct for that, the residue (part of the decomposition that is not centered around zero) has to be removed from the original signal.

## Usage

parsimony(
emd = NULL,
xy = NULL,
m = NULL,
mode $=$ NULL,
repl = 1 ,
bulk = TRUE,
correct = NA
)

## Arguments

emd
xy
m
mode the mode sequence index to give to each replicated IMFs
repl the replication of decompositions in $m$
bulk whether to have a bulk value each decomposition replication, or for each dt of each replication

# correct the modes to remove from the original signal and decomposition for a significative parsimony calculation. If NA, it removes the last mode, considered as the residue. Can be a vector of several integers, standing for the columns of $m$. If NULL, no mode is removed 

## Value

a matrix with each column being a replication, or a list of bulk values for each replication

## Examples

```
set.seed(42)
n <- 500
dt <- seq_len(n)
xy <- rnorm(n, mean = 0, sd = 1) + 10
dec <- extricate(xy, dt, nimf = 7, comb = 10, sifting = 10,
            factor_noise = 1, speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
parsimony(dec, correct = NULL)
parsimony(dec)
```

```
pile.down Destacks a pile.up() signal
```


## Description

Destacks a signal stacked by pile. up by averaging each repetition back to n multiples.

## Usage

pile.down(x, stack, even, $\mathrm{n}=$ length(unique(stack\$id)) - 2)

## Arguments

| x | Treated signal |
| :--- | :--- |
| stack | Initial stack from which the x signal is from |
| even | Whether the x signal comes from even extension part of the initial stack (if <br> FALSE, it would come from the odd extension part) |
| n | The multiple of destacking (has to be a multiple of $\mathrm{n} / 2$ (n being the parame- <br> ter used in pile. up), in other words a multiple of length(unique(stack\$id)) -2 <br> (minus 2 as the upper an lower extension are to be removed) |

## Value

a matrix or a vector of the destacked signal

## Examples

```
set.seed(42)
    n <- 200
    t <- seq_len(n)
    p1 <- 25
    p2 <- 75
    xy <- (1 + 0.6* sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2* sin(t*2*pi/p2) +
        rnorm(n, sd = 0.5)
    inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
    inter_dt[20] <- 20
    dt <- cumsum(inter_dt)
    opar <- par()$mfrow
    par(mfrow = c(1,1))
    res <- pile.up(xy, dt, 4)
    par(mfrow = c(2,1))
    plot(res$ndt, res$even, type = "l", col = "blue")
    plot(res$ndt, res$odd, type = "l", col = "red")
    par(mfrow = c(opar))
    # Small number of repetitions ----
    opar <- par("mfrow")
    par(mfrow = c(1,2))
    stack <- pile.up(xy, dt, 10)
    signal <- stack$even + runif(length(stack$even), -3, 3)
    res <- pile.down(signal, stack, even = TRUE, n = 5)
    plot(xy, dt, type = "l", lwd = 2, main = "Low number of repetitions")
    lines(res, dt, type = "l", lty = 5, col = "red")
    # High number of repetitions ----
    stack <- pile.up(xy, dt, 1000)
    signal <- stack$even + runif(length(stack$even), -3, 3)
```

```
res <- pile.down(signal, stack, even = TRUE, n = 500)
plot(xy, dt, type = "l", lwd = 2, main = "High number of repetitions")
lines(res, dt, type \(=" 1 "\) lty \(=5\), col = "red")
\(\operatorname{par}(m f r o w=c(o p a r))\)
```

pile.up Repeat and stack a signal in central and line symmetry

## Description

Repeats and stacks a signal duplicated in central (even) and line (odd) symmetry to apply Ensemble Empirical Mode Decomposition (EEMD) on one single vector following the simple boundary rule of Zeng and He (2004). This allows to avoid the iterations that are typical of EEMD. A complete set of signal is added by default at the upper and lower part of the stack, to be removed in the end process.

## Usage

pile.up(xy, dt, n, warn = TRUE)

## Arguments

xy the signal
$\mathrm{dt} \quad$ the depth/time positions of each xy
$\mathrm{n} \quad$ the number of replicates you want. It has to be a multiple of two, as you will generate two stacks: the even and the odd one.
warn whether you want to be annoyed

## Value

a dataframe of the original dt ( odt ), the stack-modified $\mathrm{dt}(\mathrm{ndt}$ ), the inversion factor to change the even stack into the odd one and vice-versa (invert), the even xy stack (even) and the odd one (odd)

## Examples

```
set.seed(42)
n <- 200
t <- seq_len(n)
p1 <- 25
p2 <- 75
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5)
```

```
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
inter_dt[20] <- 20
dt <- cumsum(inter_dt)
opar <- par()$mfrow
par(mfrow = c(1,1))
res <- pile.up(xy, dt, 4)
par(mfrow = c(2,1))
plot(res$ndt, res$even, type = "l", col = "blue")
plot(res$ndt, res$odd, type = "l", col = "red")
par(mfrow = c(opar))
```

plot_emd
Plot a decomposition

## Description

General plot for a complete decomposition (that can be summed back to the original signal)

## Usage

plot_emd(
emd = NULL,
$x y=$ NULL,
ini = NULL,
dt = NULL,
$\mathrm{m}=\mathrm{NULL}$,
mode $=$ NULL,
repl $=1$,
size. $x y=5$,
size.dt = 25,
style = 2,
xylim = NULL,
dtlim = NULL,
inilim = NULL,
vertical = TRUE,
adapt.axis = FALSE,
adapt.last = TRUE,
select = NULL,
over = NULL,
s = list(type = "o", pch = 19, cex = 0.5),
o = list(type = "l", col = "blue", lwd = 2),

```
    i = list(type = "o", pch = 19, cex = 0.5),
    e = list(type = "l", col = "red", lwd = 2),
    la = list(h = c(), v = c(), col = "red", xpd = FALSE),
    ls = list(),
    li = list(col = "grey", lty = 5),
    box = TRUE,
    ax = list(),
    ay = list(),
    parg = list(),
    title = TRUE,
    t1 = "Signal",
    t2 = "Mode",
    pdf = TRUE,
    name = "EMD",
    ext = ".pdf",
    dir = tempdir(),
    track = TRUE,
    openfile = TRUE
)
```


## Arguments

| emd | an emd object |
| :---: | :---: |
| xy | the original signal. Is overridden by emd. |
| ini | an optional vector of length $n$ of the eventual initial Intrinsic Mode Function xy would be a demodulation of, if it is a demodulation. |
| dt | the depth/time. Is overridden by emd. |
| m | a matrix with columns of same length that xy , made of the decomposition of the signal. Is overridden by emd. |
| mode | which modes/decompositions to plot |
| repl | the replication of decompositions in m . Is overridden by emd. |
| size. $x y$, size.dt |  |
|  | the size i inches of each individual plot in pdf |
| style | whether to not plot the original signal (style $=0$ ), to plot it as the first signal (style $=1$ ), or to plot it before each individual mode (style $=2$, is the default) |
| xylim, dtli | ilim the boundaries for the plots (inilim stands for the xy boundaries of the plot of the initial IMF $x y$ is a demodulation of, if applicable) |
| vertical | whether to have the depth/time [dt] axis vertically (geologist convention) or horizontaly (climatologist convention) |
| adapt.axis | whether to let the plot adapt the axis to see the variability of the decompositions. The default os to have a comparable x axis for each plots |
| adapt.last | whether to adapt the last plot as a residue (if TRUE the x axis will be identical to the one of the signal, not centered on 0 ) |
| select | the components to plot |

\(\left.\left.$$
\begin{array}{ll}\text { over } & \begin{array}{l}\text { which modes/decompositions will be cumulated and added to the signal plotted } \\
\text { at their left or above them (if style = 2) }\end{array} \\
\text { lists of parameters to feed lines, for the original signal, the cumulated modes/decompositions } \\
\text { overlapping it, the modes/decompositions themselves, and the enveloppe of the } \\
\text { initial signal used for demodulation if it applies, respectively. }\end{array}
$$\right] \begin{array}{l}lists of parameters to provide the abline function (makes personalised lines for <br>
you to have a better grasp of the data). la will plot on all panels, ls on the signal <br>
ones, and li on the modes ones. <br>

whether to draw boxes around the plots\end{array}\right]\)| lists of parameters to feed minorAxis, the function making the axes, for the x |
| :--- |
| and y axes |
| box |
| list of parameters to feed par |

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6* sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2* sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + 0.01* t
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7,
    repl = 10, comb = 10, factor_noise = 10,
    speak = TRUE)
plot_emd(dec, select = c(4,6), pdf = FALSE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
```

```
plot_hex Group and/or log-scale hexagonal binning
```


## Description

Group and/or log-scale hexagonal binning. Provides a legend indicating the count representations. USES THE GRID GRAPHICAL SYSTEM, BASE GRAPHICS NOT SUPPORTED. To add lines, polygons or text, use the $1, g$ and $t$ arguments.

## Usage

```
plot_hex(
    x,
    y,
    id = NA,
    select = NA,
    uniform = TRUE,
    bins = 60,
    xbnds = range(x, na.rm = TRUE),
    ybnds = range(y, na.rm = TRUE),
    xlim = xbnds,
    ylim = ybnds,
    log = "",
    shape = 1,
    mincnt = 1,
    maxcnt = NA,
    colorcut = seq(0, 1, length = 17),
    colramp = function(n) matlab.like(length(colorcut) - 1),
    trans = NULL,
    inv = NULL,
    border = NULL,
    lwd = 0.1,
    cex = 1,
    main = "",
    xlab = "x",
    ylab = "y",
    xaxis = TRUE,
    yaxis = TRUE,
    xaxs = "r",
    yaxs = "r",
    box = TRUE,
    mar = c(0.15, 0.125, 0.15, 0.2),
    legend = TRUE,
    leg_sep = 0.1,
```

```
    xpd_hex = 0.75,
    xpd_leg = 1.5,
    l = list(x = NULL, y = NULL, default.units = "native"),
    g = list(x = NULL, y = NULL, default.units = "native"),
    t = list(label = NULL, default.units = "native"),
    plot = TRUE
)
```


## Arguments

| $x, y$ | vectors giving the coordinates of the bivariate data points to be binned. |
| :---: | :---: |
| id | a vector of ids for each x value, to separate different groups of data |
| select | the groups of ids to plot |
| uniform | whether to keep the creaks defined by the entire matrixes when selecting only a part of it |
| bins | the number of bins partitioning the range of xbnds. |
| xbnds, ybnds | horizontal and vertical limits of the binning region in $x$ or $y$ units respectively; must be numeric vector of length 2 . |
| xlim, ylim | the limits of the plot |
| log | a character string which contains " $x$ " if the $x$ axis is to be logarithmic, " $y$ " if the y axis is to be logarithmic and "xy" or "yx" if both axes are to be logarithmic. |
| shape | the theoretical shape $=y$ height/xwidth of the plotting. This adapts the form of the hexagons accordingly. |
| mincnt, maxent | fraction of cell area for the lowest and largest count, respectively |
| colorcut | vector of values covering $[0,1]$ that determine hexagon color class boundaries and hexagon legend size boundaries. Alternatively, an integer ( $<=$ maxent) specifying the number of equispaced colorcut values in $[0,1]$. |
| colramp | function accepting an integer n as an argument and returning n colors. |
| trans | a transformation function for the counts such as $\log 10$ |
| inv | the inverse transformation function (if trans $=\log 10$, inv should for instance be function( $x$ ) $10^{\wedge} x$. |
| border | the color of the border of the hexagons. By default it will be the color of the filling |
| lwd | the width of the border of the hexagons. |
| cex | the magnification of text. |
| main | main title. |
| xlab, ylab | x and y axis labels respectively. |
| xaxis, yaxis | whether to plot the x and y axes respectively. |
| xaxs, yaxs | The style of axis interval calculation to be used for the axes. By default the style " r " (regular) first extends the data range by 4 percent at each end and then finds an axis with pretty labels that fits within the extended range. Style "i" (internal) just finds an axis with pretty labels that fits within the original data range. |


| box | whether to plot a box. <br> a numerical vector of the form c(bottom, left, top, right) which gives the room <br> the give to the margins in Normalised Parent Coordinates (see grid package for <br> more information) |
| :--- | :--- |
| legend | whether to plot the legend. <br> leg_sep <br> the distance between hexagons and text f the legend in Normalised Parent Coor- <br> dinates left on the right margin <br> factor to expand the legend hexagons <br> factor to expand the height of the legend |
| xpd_leg | a list of arguments to feed to grid: :grid. polyline ATTENTION the grid <br> package has to be loaded |
| g | a list of arguments to feed to grid: :grid. polygon ATTENTION the grid pack- <br> age has to be loaded |
| plot | a list of arguments to feed to grid: :grid. text ATTENTION the grid package <br> has to be loaded |
| whether to plot. If FALSE, returns a grob. |  |

## Examples

```
library(grid) # To use the gpar function
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5)
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10,
    repl = 10, comb = 10, factor_noise = 10,
        speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
integrity(xy, dec)
parsimony(dec)
ht <- inst.pulse(dec, plot = FALSE)
```

```
plot_hex(x = 1/ht$f, y = ht$a, bins = 100, ybnds = c(0,2),
    log = "x", trans = log10, inv = function(x) 10^x,
    main = "Spectral Population", xlab = "Period", ylab = "Amplitude")
plot_hex(x = 1/ht$f, y = ht$a, bins = 100, ybnds = c(0,2),
    log = "x", trans = log10, inv = function(x) 10^x,
    main = "Spectral Population", xlab = "Period", ylab = "Amplitude",
    id = ht$mode, select = c(4,6,7),
    l = list(x = c(30, 30, 240, 240), y = unit(c(0,1,0,1), "npc"),
            id = c(1,1,2,2), gp = gpar(col = c("red", "blue"), lwd = 2)),
        g = list(x = c(18, 50, 50, 18, 18, 50, 50, 18),
            y = c(0, 0, 1.9, 1.9, 2.05, 2.05, 1.95, 1.95),
            id = c(1,1,1,1,2,2,2,2),
            gp = gpar(col = c("red", NA), fill = c(NA, "white"), lwd = 2)),
    t = list(label = "Mode 4", x = 30, y = 2, gp = gpar(col = "red")))
```

plot_hist

Group and/or log-scale histogram

## Description

Specialised histogram: allows to work in log-scale (for x ) and to distinguish different groups of data

## Usage

```
plot_hist(
        x,
        breaks = 100,
        id = NA,
        select = NA,
        pile = TRUE,
        line = FALSE,
        mids = FALSE,
        xlim = NA,
        ylim = NA,
    xlog = FALSE,
    axes = TRUE,
    xa = list(),
    ya = list(),
    main = "",
    xlab = "X",
    ylab = "Counts",
    col = NA,
    border = NA,
    text = FALSE,
    labels = NA,
```

```
    t = list(adj = c(0.5, -2), font = 2),
    add = FALSE
)
```


## Arguments

x
breaks

## select

pile
line whether to plot as lines or rectangles
mids if lines is TRUE, whether the nodes of the lines are the middle positions or the upper corner of the rectangles.
xlim, ylim the boundaries for the plots. If ylim = NA the upper ylim will be increased by $10 \%$ to allow for text (see 'text' parameter)
xlog whether to set the x axis in log scale
axes whether to plot the axes
$x a$, ya list of arguments to feed minorAxis for the $x$ and $y$ axes respectively
main, xlab, ylab
the main title and the labels of the x and y axes
col a function or a character vector defining the colors of the different modes
border the colour of the borders, by default identical to col
text if there are different groups, whether to add a number above each of them to distinguish them
labels the labels to put on top of each group
t
add
a list of parameters to feed text()
whether to add the plot to a preexisting plot

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy<-(1 + 0.6* sin(t*2*pi/p2))* sin(t*2*pi/p1) + 2* sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
    inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
    dt <- cumsum(inter_dt)
    dec <- extricate(xy, dt, nimf = 7, sifting = 10,
        repl = 10, comb = 10, factor_noise = 10,
        speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
integrity(xy, dec)
parsimony(dec)
ht <- inst.pulse(dec, plot = FALSE)
opar <- par('mfrow')
par(mfrow = c(2,1))
plot_hist(x = 1/ht$f, breaks = 500,
    xlog = TRUE, xlab = "Period")
plot_hist(x = 1/ht$f, breaks = 500, id = ht$mode,
    xlog = TRUE, text = TRUE, add = TRUE, line = TRUE, pile = FALSE)
abline(v = c(p1, p2), col = "red", lwd = 2, lty = 5)
plot_hist(x = 1/ht$f, breaks = 500, id = ht$mode,
    xlog = TRUE, text = TRUE, xlab = "Period")
abline(v = c(p1, p2), col = "red", lwd = 2, lty = 5)
par(mfrow = opar)
```

    plot_imf
    
## Description

General plot for the envelope, instantaneous frequency (period) and identity tuning of an intrinsic mode function (IMF)

## Usage

```
    plot_imf(
        pulse,
        dtlim = NULL,
        xylim = NULL,
        flim = NULL,
        fclim = NULL,
        dtline = NULL,
        fline = NULL,
        fcline = NULL,
        vertical = FALSE,
        \(\mathrm{n}=10\),
        at.maj = NULL,
        ls = list(type = "o", pch = 19),
        le1 = list(lwd = 2),
        le2 = list(lty = 2),
        lid = list(type = "p", pch = 19),
        lcos = list(),
        ldt = list(ly = 5, lwd = 2),
        lf = list(ly = 5),
        lfc = list(lty = 5),
        box = TRUE
    )
```


## Arguments

| pulse |
| :--- |
| dtlim, xylim, flim, fclim |
| the boundaries for the plots, respectively for the depth/time, amplitude, fre- |
| quency and freqeuncy carrier |

dtline, fline, fcline
coordinates to add vertical/horizontal lines
whether to have the depth/time [dt] axis vertically

vertical | the the number of intervals defined by minor ticks (geologist convention) or |
| :--- |
| horizontaly (climatologist convention) |
| the positions at which major tick-marks are to be drawn. |

at.maj ls, le1, le2, lid, lcos
lists of parameters to feed lines, for the original signal, the upper and lower
envelope, the identity tuning, and the cosine line in the identity tuning
lists of parameters to provide the abline function (makes personalised lines for

## Details

the line in the identity tuning plot is a genuine cosine, independent from the signal. This is evident when riding waves generate dephasing.

## Examples

```
    n <- 600
    t <- seq_len(n)
    p1 <- 30
    p2 <- 40 * 21
    am <- sin(t*2*pi/p2 + 50) + 0.03
    xy <- sin(t*2*pi/p1 + 50) * 3 * am
    int <- c(rep(1, 99 + 100), seq(1,3,2/100), seq(3,1,-2/100), rep(1,100 + 99))
    dt <- cumsum(int)
    samp <- approx(dt, xy, xout = seq(1,802, by = 2))
    xy <- samp$y
    dt <- samp$x
    e <- normalise(m = xy, dt = dt)$a
    cond <- dt < 75
    xy <- xy[!cond]
    dt <- (dt[!cond] - 75) / 1.2
    e <- e[!cond]
    dq <- dq.algorithm(xy/e, dt)
    pulse <- as.pulse(dt = dt, m = xy, f = dq$f, a = e, idt = dq$idt,
        repl = 1)
    plot_imf(pulse, fline = 25, dtline = c(222, 489))
```

    plot_pulse
    Visualise the instantaneous frequencies and amplitudes of a decomposition

## Description

Visualise the instantaneous frequencies and amplitudes of a decomposition

## Usage

```
plot_pulse(
        pulse,
        style = "b",
        breaks = 500,
        bins = 100,
        cut = 18,
        lines = NULL,
        keep = NULL,
        lose = NULL
)
```


## Arguments

pulse a pulse object (created by inst.pulse or as.pulse)
style whether to plot the distribution of frequency ('d'), the spectral population ('p') or both ('b', is the default)
breaks, bins, cut
parameter for the plots: breaks is fed to plot_hist, bins is fed to plot_hex, and cut defines the number of color cuts for plot_hex. For better control use plot_hist and plot_hex directly.

| lines | the period of lines to be added to the plots for better visualisation |
| :--- | :--- |
| keep, lose | which modes to plot or to not (keep overrides lose) |

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10, repl = 10, comb = 10,
                        factor_noise = 10, speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
integrity(xy, dec)
```

```
parsimony(dec)
ht <- inst.pulse(dec, plot = FALSE)
plot_pulse(ht, lines = c(30, 240))
```

plot_ratio Visualise the instantaneous frequencies ratios of a decomposition

## Description

Visualise the instantaneous frequencies ratios of a decomposition

## Usage

plot_ratio(

```
        ratio,
```

        sqrt.rpwr = TRUE,
        style = "b",
        select = NA,
        bins = 100,
        cut \(=18\),
        lines = NULL,
        plot = TRUE,
        width \(=10\),
        height = 10,
        name = "Ratio",
        ext = ".pdf",
        dir = tempdir(),
        track = TRUE,
        openfile = TRUE
    )

## Arguments

| ratio | a ratio object (created by inst.ratio |
| :--- | :--- |
| sqrt.rpwr | whether to use the squared ratio power (i.e. the squared multiplication of the <br> instantaneous amplitudes of the modes two by two) rather than the ratio power <br> itself. |
| style | whether to plot a single plot in the graphics device ('s'), the to plot an ensemble <br> of all the ratios combinations in a pdf ('e'), or both ('b', is the default) <br> the groups of ratios combinations to plot in the single plot (in the " $1 / 2$ " form) |
| select | parameter for the plots: bins is fed to plot_hex, and cut defines the number of <br> color cuts for plot_hex. For better control use plot_hex directly. |
| bins, cut | the ratio of lines to be added to the plots for better visualisation |

plot \begin{tabular}{l}
whether to plot. Otherwise output a grob of the single plot. <br>

width, height $\quad$| the width and height in inches of each separate plot in the ensemble of all the |
| :--- |
| ratios combinations | <br>

name, ext, dir, track, openfile <br>
parameters for the pdfDisplay function, namely the name of the pdf file, its <br>
extension (if you want to make a .svg file you can), the directory of the file, <br>
whether to track the changes (if you use sumatrapdf as a default pdf reader you <br>
can set it to F and it will avoid creating too many pdf files), and whether to <br>
directly open the file
\end{tabular}

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10,
            repl = 10, comb = 10,
            factor_noise = 10, speak = TRUE)
## Not run:
plot_emd(dec, dir = tempdir())
## End(Not run)
integrity(xy, dec)
parsimony(dec)
ht <- inst.pulse(dec, plot = FALSE)
ratio <- inst.ratio(ht, plot = FALSE)
plot_ratio(ratio, lines = c(8), style = "s")
plot_ratio(ratio, lines = c(8), style = "s", select = c("4/6"))
## Not run:
plot_ratio(ratio, lines = c(8), style = "e", dir = tempdir())
## End(Not run)
```


## Description

## Computes ratios of numerical values

## Usage

```
ratios(x)
```


## Arguments

x
values to compute the ratio from

## Value

a dataframe of \$ratio, \$x1 and \$x2

## Examples

```
    ratios(c(20,40,100,400))
```

    repl.out Remove / Bind replicates in emd objects
    
## Description

Remove / Bind replicates in emd objects

## Usage

repl.out(emd, keep $=$ NULL, lose $=$ NULL, reorder $=$ FALSE)
repl.bind(emd, comb)

## Arguments

emd emd-type object
keep, lose the modes to keep or lose
reorder whether to reinitialise the index of replicates when suppressing one
comb the number of replicates that have to be bound together

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + t * 0.01
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf = 7, sifting = 10,
    repl = 20, comb = 2, factor_noise = 10,
    speak = TRUE, output_sifting = TRUE)
reduced <- repl.out(dec, keep = c(3,4))
parsimony(reduced)
plot_emd(reduced, pdf = FALSE, select = c(4,6))
combined <- repl.bind(dec, 10)
parsimony(combined)
plot_emd(combined, pdf = FALSE, select = c(4,6))
```

    respace Interpolate with even spacing
    
## Description

Interpolate with even spacing. Can determine on its own the most conservative sampling interval (using the Greatest Common Rational Divisor)

## Usage

respace(
dt,
xy $=$ NULL,
delta = NULL,
tolerance $=8$, relative = TRUE,

```
    n.warn = 100
```

)

## Arguments

| dt | depth/time (same length than length/rows of xy ) |
| :--- | :--- |
| xy | signal (vector or matrix) |
| delta | the new sampling interval. If NULL, uses the Greatest Common Rational Divi- <br> sor |
| tolerance, relative |  |
|  | parameters for the divisor function (StratigrapheR package), to compute the |
| Greatest Common Rational Divisor |  |

## Value

a list of interpolated $x y$ and dt values (\$xy and \$dt), plus a vector of logicals indicating whether each point was part of the initial input or was added by interpolation

## Examples

```
set.seed(42)
n <- 50
t <- seq_len(n)
xy <- (1 + 0.6* sin(t*0.025))* sin(t*0.2) + 2* sin(t*0.025) +
    rnorm(n, sd = 0.5)
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5), 1)
dt <- cumsum(inter_dt)
res <- respace(xy = xy, dt = dt)
opar <- par("mfrow")
par(mfrow = c(1,1))
plot(res$xy, res$dt, type = "l")
points(res$xy[res$initial], res$dt[res$initial], pch = 19, col = "green")
points(res$xy[!res$initial], res$dt[!res$initial],
    pch = 19, col = "red", cex = 0.5)
par(mfrow = opar)
```


## Description

Simplifies the component of an EMD to only extremas and zero-crossings, and outputs problematic extrema: multiple extrema (extrema not separated by zero-crossings) and crossing extrema (extrema at zero).

## Usage



## Arguments

emd emd-type object
m
a matrix of the amplitude values (xy) of the components, each column being a component. Each column should have the same number of non NA values. Vectors, for 1 component, are accepted. Is overridden by emd.
$\mathrm{dt} \quad$ the depth or time value. Is overridden by emd.
repl the amount of replicates in $m$. Is overridden by emd.
use. names whether to use the column names to identify problematic extrema

## Value

a list of the depth or time values (\$dt) of the simplified IMF (Intrinsic Mode Function), of their amplitude ( $\$ x y$ ), and of the position and component of problematic multiple extrema ( $\$$ multiple_extrema) and crossing extrema (\$crossing_extrema)

## Examples

```
xytest <- c(0.5, 1,-1,-0.85,-0.5,-1,-0.5,-1,1,0.5,0,0,
    1,-1,0,1,2,-2,1,2,1,3,0,-1,-1,3,0)
repeatafterme <- 2
m <- matrix(rep(xytest,repeatafterme), ncol = repeatafterme)
dt <- 1:length(xytest)
res <- simp.emd(m = m, dt = dt, repl = repeatafterme)
opar <- par("mfrow")
par(mfrow = c(1,1))
plot(dt, xytest, type = "o", pch = 19)
abline(h = 0, col = "grey")
```

```
me <- res$multiple_extrema$dt[res$multiple_extrema$repl == 1]
ce <- res$crossing_extrema$dt[res$multiple_extrema$repl == 1]
    abline(v = me, col = "orange")
    abline(v = ce, col = "darkred")
    points(res$dt[,1], res$xy[,1], col = "red", pch = 19)
    par(mfrow = opar)
```

Simple SSA decomposition

## Description

Simple wrapper for Singular Spectrum Analysis, using the functions of the Rssa package (which is not installed by default by the DecomposeR package, you should install it independently). This function allows unevenly sampled data.

## Usage

simple.ssa(xy, dt, $\mathrm{n}=10$, remove $=$ "trend", groups = list(), plot = T, ...)

## Arguments

| xy | signal to be decomposed |
| :--- | :--- |
| dt | depth/time |
| n | maximum amount of components |
| remove | whether to remove a linear trend ("trend", is the default), a mean value ("mean"), <br> or to decompose as is (any other value) |
| groups | which components to regroup (list of the indices of elementary components to <br> be regrouped, the entries of the list can be named, see the reconstruct() function <br> in the Rssa package for more information) |
| plot | whether to show a visualisation of the importance of each component <br> any arguments to by given to the ssa() function (see Rssa package for more <br> information) |

## Value

a list made of \$xy (original signal), \$dt (depth/time), \$m (a matrix of the decomposition), \$repl (the replicate id of each point) and $\$$ mode (the mode id of each point).

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
xy <- (1 + 0.6 * sin(t*2*pi/p2)) * sin(t*2*pi/p1) + 2 * sin(t*2*pi/p2) +
    rnorm(n, sd = 0.5) + 0.01 * t
inter_dt <- round(runif(length(xy), min = 0.5, max = 1.5),1)
dt <- cumsum(inter_dt)
res <- simple.ssa(xy, dt, groups = list(c(1,2), c= 3:10))
parsimony(res)
integrity(xy, res)
## Not run:
plot_emd(res, style = 1)
## End(Not run)
```

symmetry Symmetry of components

## Description

The function returns the highest factor of amplitude either in negative or positive values. This quantifies the symmetry of components.

## Usage

symmetry(xy, names = "num")

## Arguments

xy
signal (vector or matrix)
names the names to use for the resulting vector. If NULL no names are provided, if NA its the names of the columns of the xy matrix, if "num" it the column index of the matrix $x y$

## Examples

```
set.seed(42)
n <- 600
t <- seq_len(n)
p1 <- 30
p2 <- 240
\(x y<-(1+0.6 * \sin (t * 2 * p i / p 2)) * \sin (t * 2 * p i / p 1)+2 * \sin (t * 2 * p i / p 2)+\)
    rnorm(n, sd \(=0.5)+t \times 0.01\)
inter_dt <- round(runif(length(xy), min \(=0.5\), max \(=1.5), 1\) )
dt <- cumsum(inter_dt)
dec <- extricate(xy, dt, nimf \(=7\), sifting \(=10\),
    repl = 1, comb = 40, factor_noise \(=10\),
    speak = TRUE, output_sifting = TRUE)
symmetry (dec\$m)
plot_emd(dec, select \(=c(6,8,9)\), pdf = FALSE, adapt.axis \(=\) TRUE)
```


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