# Package 'EpistemicGameTheory' 

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Type Package
Title Constructing an Epistemic Model for the Games with Two Players
Version 0.1.2
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Imports stats,utils
Depends lpSolve
Description Constructing an epistemic model such that, for every player i and for every choice $c(i)$ which is optimal, there is one type that expresses common belief in rationality.

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## $R$ topics documented:

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## Description

This function eliminates strictly dominated choices.

## Usage

esdc(n, m, A, choices.A, B, choices.B, iteration)

## Arguments

$\mathrm{n} \quad$ an integer representing the number of choices of player 1
$\mathrm{m} \quad$ an integer representing the number of choices of player 2
A an nxm matrix representing the payoff matrix of player 1
choices.A a vector of length $n$ representing the names of player 1's choices
B an nxm matrix representing the payoff matrix of player 2
choices.B a vector of length $m$ representing the names of player 2's choices
iteration an integer representing the iteration number of algorithm

## Details

This function works for the games with two players.

## Value

The reduced matrices of players' that are obtained after eliminating strictly dominated choices

## Author(s)

Bilge Baser

## Examples

```
a=4
b=4
pay.A=matrix(c(0,3,2,1,4,0,2,1,4,3,0,1,4,3,2,0),4,4)
ch.A=c("Blue", "Green", "Red", "Yellow")
pay.B=matrix(c(5,4,4,4,3,5,3,3,2,2,5,2,1,1,1,5),4,4)
ch.B=c("Blue", "Green", "Red", "Yellow")
iter=5
esdc(a,b,pay.A,ch.A,pay.B,ch.B,iter)
```

Finding types that express common belief in rationality for optimal choices

## Description

This function takes the reduced payoff matrices and finds out the probabilities for the types that expresses common belief in rationality for optimal choices.

## Usage

type(A, B, choices.A, choices.B)

## Arguments

A an nxm matrix representing the reduced payoff matrix of player 1
B an nxm matrix representing the reduced payoff matrix of player 2
choices.A a vector of length $n$ representing the names of player 1's choices
choices.B a vector of length $m$ representing the names of player 2's choices

## Details

This function works for the games with two players. It returns infeasible solution for the irrational choices.

## Value

Probabilities of the types that expresses common belief in rationality for optimal choices

## Author(s)

Bilge Baser

## See Also

lp

## Examples

$$
\begin{aligned}
& \text { Ar=matrix(c(0, }, 2,4,0,2,4,3,0), 3,3) \\
& \text { choices.Ar=c("Blue", "Green", "Red") } \\
& \mathrm{Br}=\text { matrix(c(5,4,4, }, 5,3,2,2,5), 3,3) \\
& \text { choices. } \mathrm{Br}=\mathrm{c}(" \mathrm{Blue} \text { ", "Green","Red") } \\
& \text { type(Ar, } \mathrm{Br} \text {, choices.Ar, choices.Br) }
\end{aligned}
$$

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