# Package 'LabAppIStat' 

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## Description

Miscellaneous scripts, e.g. functionality to make and plot factor diagrams for the statistical design.
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## Description

chisq. test. simulate simulates the chi-squared test for a 2-way contingency tabel.

## Usage

chisq.test.simulate( $x$, conditioning = "total", $x 0=$ NULL, $B=10000$ )

## Arguments

$x \quad$ matrix with the contingency table
conditioning character string specifying the simulation scenario. Defaults to "total". Other possible scenarios are "row", "col", and "both".
$x 0 \quad$ matrix specifying the null distribution. Defaults to NULL, in which case the null is estimated from the observed data $x$.

B integer specifying the number of replicates used in the Monte Carlo test. Defaults to 10000 .

## Details

Using conditioning="both" corresponds to selecting simulate.p.value=TRUE in chisq. test. However, conditioning on both row and column marginals appears to be rarely justified in real data. Instead conditioning="total" is the correct choice for testing independence. Similarly, conditioning="row" is recommended when the row marginals e.g. are fixed by experimental design. The option $\times 0$ has no effect when conditioning on both row and column marginals.

## Value

An object of class "htest".

## Note

The code has not been optimized for speed, and might be slow.

## Author(s)

Bo Markussen

## See Also

chisq.test

## Examples

```
# The Avadex dataset
Xobs <- matrix(c(2,3,6,40),2,2)
rownames(Xobs) <- c("Avadex +","Avadex -")
colnames(Xobs) <- c("Tumor +","Tumor -")
# In this example only the rows appear to be fixed by experimental design.
# As is seen below, conditioning also on the columns is misleading conservative.
chisq.test.simulate(Xobs,"both")
chisq.test.simulate(Xobs,"row")
chisq.test.simulate(Xobs,"total")
# Conditioning both on row and column marginals is simular to chisq.test().
chisq.test(Xobs,simulate.p.value=TRUE)
```


## Description

DD computes the Design Diagram for a linear model.

## Usage

DD(fixed, random $=$ NULL, data, keep $=\sim 1$, center $=$ FALSE, eps $=1 \mathrm{e}-12$ )

## Arguments

| fixed | formula with fixed effects. A response may the specified, but this optional. |
| :--- | :--- |
| random | formula with random effects. Defaults to NULL meaning that there are no other <br> random effects than the residual, which is added to all designs. |
| data | data frame with the explanatory variables and the response (if specified). <br> keep <br> formula which effects that will not be removed in the collinarity analysis. De- <br> faults to $\sim 1$ meaning that the intercept will be kept if it is present. <br> boolean deciding whether to centralize numerical predictors when an intercept <br> is present. Defaults to FALSE. |
| eps | threshold for deeming singular values to be "zero". Defaults to 1e-12. |

## Value

An object of class designDiagram-class

## Author(s)

Bo Markussen

## See Also

minimum, plot.designDiagram

## Examples

```
# 3-way ANOVA
x <- factor(rep(rep(1:4,times=4),times=4))
y <- factor(rep(rep(1:4,times=4), each=4))
z <- factor(rep(rep(1:4,each=4),each=4))
myDD <- DD(~x*y*z,data=data.frame(x=x,y=y,z=z))
summary(myDD)
#Making the factor diagram closed under minima
mydata <- data.frame(age=rep(c("boy","girl","adult","adult"),4),
            gender=rep(c("child","child","man", "woman"),4))
myDD <- DD(~0+age+gender,data=mydata)
plot(myDD)
# Example of collinearity
mydata <- data.frame(age=rnorm(102),edu=rnorm(102),sex=factor(rep(c(1,2),51)))
mydata <- transform(mydata, exper=age-edu+0.1*rnorm(102))
mydata <- transform(mydata,wage=2*edu+2*exper+rnorm(102))
summary(myDD <- DD(wage~sex*(age+exper+edu),data=mydata))
# growth of rats
antibiotica <- factor(rep(c(0,40),each=6))
vitamin <- factor(rep(rep(c(0,5),each=3),2))
growth <- c(1.30,1.19,1.08,1.26,1.21,1.19,1.05,1.00,1.05,1.52,1.56,1.55)
mydata <- data.frame(antibiotica=antibiotica,vitamin=vitamin,growth=growth)
myDD <- DD(growth~antibiotica*vitamin,data=mydata)
plot(myDD,"MSS")
plot(myDD,"I2")
    # ANCOVA: Non-orthogonal design
    library(isdals)
    data(birthweight)
    plot(DD(weight~sex*I(age-42),data=birthweight), "MSS")
    plot(DD(weight~I(age-42)+sex:I(age-42)+sex,data=birthweight),"MSS")
```


## Description

Objects of class designDiagram as generated by DD is a list with entries as specified below.
response Logical stating whether a response variable was present.
terms Named vector with all terms in the design.
random.terms Vector with the random terms in the design.
relations Named matrix with relations between variables with the following interpretation: "0"=linear indepent, "<"=row term is a subspace of column, "<-"=row term is a subspace of column term and no other terms are inbetween, ">" and "->" the similar interpretatioin between columns and rows, name=name of minimum between row and column term.
inner Named matrix of squared inner products of subspaces with nesting subspaces removed. Rounded at order of eps in the call to link\{DD\}. Used to decide orthogonality of the design.
Nparm Named vector with the number of parameters for the terms.
df Named vector with the degrees of freedom for the terms.
SS Named matrix with Sum-of-Squares if a response variable was specified.
MSS Named matrix with Mean-Sum-of-Squares if a response variable was specified.
pvalue Named matrix with p-values for Type-I F-tests. p-values are stated at the collapsed nesting, but F-test are done against the most coarse nested random effect.
sigma2 Named vector of random effects variance estimates.
varcov Named list of variance-covariance matrix for fixed effects relative to each of the random effects. Rounded at order of eps.
coordinates Data frame with node coordinates of the terms. Initialized in Sugiyama layout.

## Usage

```
## S3 method for class 'designDiagram'
print(x, ...)
## S3 method for class 'designDiagram'
summary(object, ...)
## S3 method for class 'designDiagram'
update(object, ...)
## S3 method for class 'designDiagram'
plot(
    x,
    circle = "none",
    pvalue = (circle == "MSS"),
    sigma2 = NULL,
    kill = ~1,
    ca = FALSE,
    max.area = NULL,
    relative = 0.01,
    color = NULL,
    circle.scaling = 1,
    arrow.type = arrow(angle = 20, length = unit(4, "mm")),
    xlim = c(0, 1),
    ylim = c(0, 1),
```

```
    horizontal = TRUE,
    )
```


## Arguments

x
. .
object object of class designDiagram
circle character specifying which circles to draw at the terms: "none"=no circles, "SS"=a circle with area proportional to the associated Sum-of-Squares, "MSS"=a circle with area proportional to the associated Mean-Sum-of-Squares, " $I$ "=a circle with area proportional to average information, " $I 2 "=$ a circle with area proportional to average information of the parameter contrasts. Defaults to "none".
pvalue boolean specifying whether p-values should be inserted on the graphs. This is only possible if a response variable was specified. Defaults to TRUE is circle="MSS" and FALSE otherwise.
sigma2 vector of random effects variances. Defaults to NULL, in which case the estimates are used (if present), otherwise all variances are set to 1 .
kill formula specifying which cirlces not to plot. Defaults to $\sim 1$ corresponding to not plotting the intercept term (that otherwise may overweight the remaining terms).
ca boolean deciding whether collinearity analysis is visualized. If NULL then set TRUE for non-orthogonal designs, and to FALSE for orthogonal designs. Defaults to FALSE.
max.area numeric specifying the used maximal area of circles. If NULL then max. area is derived from SS, MSS or I according to value of circle. Defaults to NULL.
relative positive numeric, which specifies needed relative increase for an area to be visualized in the collinearity analysis. Defaults to 0.01 .
color color of circles when ca=FALSE. Defaults to NULL corresponding to preassigned choice of colors (see details below).
circle.scaling numeric specifying size scaling of circles. Defaults to 1, which corresponds to the largest circle having a radius that is half of the shortest distance between two nodes.
arrow.type specifying arrow heads via arrow. Defaults to arrow(angle=20, length=unit(4,"mm").
$x \lim \quad x$-range of diagram plot. Defaults to $c(0,1)$.
ylim $\quad y$-range of diagram plot. Defaults to $c(0,1)$.
horizontal boolean specifying if the design diagram should be drawn horizontally or vertically. Defaults to TRUE.

## Details

For plot. designDiagram the options circle="SS" and circle="MSS" are only available if a response variable was specified for the design. For circle="I" and circle="I2" the color of the
circles visualize the coefficient of variation of the informations. For the computation of the informations the variances of the random effects are either estimated (if a response variable is present), all set to 1 (otherwise), or given via the option sigma2.
If color=NULL and ca=FALSE, then the defaults colors are "lightgreen" for Sum-of-Squares, "lightblue" for Mean-Sum-of-Squares, and a gradient from "limegreen" to "orange" for information spread. To specify a different color gradient in the latter case, then give a vector of two colors.

For update.designDiagram the second argument should be a data frame with new coordinates. This can be usefull for manually setting the coordinates for plotting.

## See Also

DD

```
emmeans_ED
```

Make emmeans object for an expected dose

## Description

Solves linear equations in continuous explanatory variables in order to find the expected dose. A typical application could be to find LD50, i.e. the lethal dose killing 50 percent of the population, from a probit analysis fitted by glm. The associated variance-covariance matrix is found using the Delta method.

## Usage

emmeans_ED(
object,
specs $=\sim 0$,
left = NULL,
right = NULL,
tran = NULL,
$p=0.5$,
p.name = "probability"
)

## Arguments

object An object that can be given to emmeans. Typically a model fitted by glm.
specs As for emmeans. Typically as one-sided formula. Defaults to $\sim 0$.
left A list specifying the left end point of the linear span of continuous variables in which to measure the ED values. Defaults to NULL.
right A list specifying the right end point of the linear span of continuous variables in which to measure the ED values. Defaults to NULL.
tran Possible transformation of the scale of the ED values. If given then backtransformation can be done using the technology of the emmeans. The default value tran=NULL corresponds to no transformation.
p
Numeric vector given the targeted predictions. Typically probabilities, where the default value $\mathrm{p}=0.5$ corresponds to ED50.
p .name $\quad$ The name of the variable containing p . If p contains more than one value, then this will also appear in @misc\$by.vars in the emmGrid object. Defaults to p.name="probability".

## Details

Find the 'expected dose' along a gradient in the space of numeric predictor variables. The options 'left' and 'right' specify the endpoints of this gradient. Typically these endpoints should be chosen as 0 and 1 for the numeric predictor of interest. If both endpoints are chosen as NULL then these choices are taken for all numeric predictors.

## Value

An object of class emmGrid-class.

## Author(s)

Bo Markussen

## Examples

```
# Data from: C.I. Bliss, "The calculation of the dose-mortality curve",
# Annals of Applied Biology, 134167, 1935.
# import data from dobson package
library(dobson)
data(beetle)
m0 <- glm(cbind(y,n-y)~x,data=beetle,family=binomial(link="cloglog"))
# ED50 computation
summary(emmeans_ED(m0, tran="log10"), type="response")
# Visualization using the tidyverse
library(tidyverse)
LCL <- Vectorize(function(y,n) binom.test(y,n)$conf.int[1])
UCL <- Vectorize(function(y,n) binom.test(y,n)$conf.int[2])
beetle <- mutate(beetle,LCL=LCL(y,n),UCL=UCL(y,n))
emmeans_ED(m0,p=seq(0.001,0.999,length.out=100),tran="log10") %>%
    summary(type="response") %>% as.data.frame() %>%
    mutate(probability=as.numeric(as.character(probability))) %>%
    ggplot(aes(x=probability,y=response,ymin=asymp.LCL,ymax=asymp.UCL)) +
    geom_ribbon(alpha=0.2,fill="blue") + geom_line() +
    xlab("Death probability") +
    ylab(expression(expected~dose~CS[2]~mg/l)) +
    geom_errorbarh(aes(xmin=LCL,xmax=UCL, y=10^x), beetle,inherit.aes=FALSE) +
    geom_point(aes(x=y/n,y=10^x),beetle,inherit.aes=FALSE)
```


## Description

minimum finds the minimum of two factors, i.e. the finest factors that is coarser than both of the factors.

## Usage

minimum(x, y, concatenate.names = TRUE)

## Arguments

x
$y \quad$ vector that will be interpreted as a factor.
concatenate. names
boolean. If TRUE then the levels of the minimum are constructed as the concatenation of the levels for $x$ and $y$. If FALSE then the levels of the minimum are given as numbers. Defaults to TRUE.

## Value

A factor with the minimum.

## Author(s)

Bo Markussen

## Examples

```
x <- rep(c("boy","girl","adult","adult"),4)
y <- rep(c("child","child","man","woman"),4)
minimum(x,y)
minimum(x,y,FALSE)
```

```
power.chisq.test.simulate
```


## Description

power.chisq. test.simulate simulates power for tests for 2-way contingency tables based on the Pearson Chi-squared test statistics by simulation under 4 different conditioning scenarios.

## Usage

power.chisq.test.simulate( x ,
conditioning = "total",
$\mathrm{x} 0=$ NULL,
sig.level $=0.05$,
$B=10000$
)

## Arguments

x
matrix specifying the alternative distribution of the contingency table.
conditioning character string specifying the simulation scenario. Defaults to "total". Other possible scenarios are "row", "col", and "both".
$x 0 \quad$ matrix specifying the null distribution. Defaults to NULL, in which case the null is estimated from the alternative $x$.
sig.level significance level used in test. Defaults to 0.05.
B
integer specifying the number of replicates used in the Monte Carlo test. Defaults to 10000 .

## Details

Using conditioning="both" corresponds to selecting simulate.p.value=TRUE in chisq.test. However, conditioning on both row and column marginals appears to be rarely justified in real data. Instead conditioning="total" is the correct choice for testing independence. Similarly, conditioning="row" is recommended when the row marginals e.g. are fixed by experimental design. Both the alternative and the null are simulated under the parametric scenario estimated from the data matrix $x$. This possibly induces a discrepancy with chisq. test. simulate, where the null also is simulated from the specific data instance. Thus, the problem is that the null distribution depends on the model parameters.

## Value

An object of class "power.htest".

## Note

The code has not been optimized for speed, and might be slow.

## Author(s)

Bo Markussen

## See Also

chisq.test.simulate

## Examples

\# The Avadex dataset
Xobs <- matrix (c (2, 3, 6, 40) , 2, 2)
rownames (Xobs) <- c("Avadex +","Avadex -")
colnames(Xobs) <- c("Tumor +","Tumor -")
\# In this example only the rows appear to be fixed by experimental design.
power.chisq.test.simulate(Xobs, "row")
power.chisq.test.simulate(Xobs,"total")

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