# Package 'MCPAN' 

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Author Frank Schaarschmidt [aut, cre],Daniel Gerhard [aut],Martin Sill [aut]
Maintainer Frank Schaarschmidt [schaarschmidt@biostat.uni-hannover.de](mailto:schaarschmidt@biostat.uni-hannover.de)
Imports mvtnorm, multcomp, graphics, stats, magic, MCMCpack, plyr
Description Multiple contrast tests and simultaneous confidenceintervals based on normal approximation. With implementations forbinomial proportions in a 2 xk setting (risk difference and odds ratio),poly-3-adjusted tumour rates, biodiversity indices (multinomial data)and expected values under lognormal assumption. Approximative powercalculation for multiple contrast tests of binomial and Gaussian data.
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$R$ topics documented:
MCPAN-package ..... 2
binomORci ..... 6
binomRDci ..... 9
binomRDtest ..... 14
binomRRci ..... 17
bronch ..... 20
censsample ..... 21
censsamplef ..... 22
corrMatgen ..... 23
estShannon ..... 24
estShannonf ..... 24
estSimpson ..... 26
estSimpsonf ..... 26
HCD ..... 28
liarozole ..... 29
lnrci ..... 30
methyl ..... 33
mosaicdiv ..... 34
multinomORci ..... 35
plot.sci ..... 37
plotCI ..... 38
plotCII ..... 39
poly3ci ..... 41
poly3est ..... 44
poly3estf ..... 45
poly3table ..... 47
poly3test ..... 48
powerbinom ..... 50
powermcpn ..... 54
powermcpt ..... 56
print.multinomORci ..... 59
printfunctions ..... 60
SCSrank ..... 61
Shannonci ..... 62
Simpsonci ..... 65
summary.binomORci ..... 67
summary.binomRDci ..... 68
summary.binomRDtest ..... 69
summary.binomRRci ..... 70
summary.poly3est ..... 71
summary.Shannonci ..... 72
summary.Simpsonci ..... 73
Waldci ..... 73
Waldtest ..... 74
Index ..... 76
MCPAN-package
Multiple comparison procedures based on normal approximation and
extensions.

## Description

Multiple contrast tests and simultaneous confidence intervals using normal approximation, if individuals are randomly assigned to treatments in a oneway layout. For some cases improvements compared to crude normal approximation are implemented.

Details

| Package: | MCPAN |
| :--- | :--- |
| Type: | Package |
| Version: | $1.1-21$ |
| Date: | $2018-03-22$ |
| License: | GPL |

For dichotomous variables, approximate confidence intervals for the risk difference (Schaarschmidt et al. 2008) and odds ratio (Holford et al. 1989) are available. The implementation of multiple contrast methods for the risk ratio and the odds ratio may be seen as a generalization of methods in Holford et al. (1989), and the crude normal approximation as described in Gart and Nam (1988) as special cases of the framework described in Hothorn et al. (2008). If the variable of interest is the rate of tumours in long-term rodent carcinogenicity trials (without cause of death information), confidence intervals for poly-k-adjusted tumour rates (Bailer and Portier, 1988) are available, as described in Schaarschmidt et al. (2008). For abundance data of multiple species, asymptotic simultaneous confidence intervals for differences of Simpson and Shannon-indices are implemented, assuming multinomial count data (Rogers and Hsu, 2001, Fritsch and Hsu, 1999, Scherer et al., 2013). For expected values of lognormal samples, asymptotic Wald-type intervals and a sampling based improvement are available (Schaarschmidt, 2013).

## Author(s)

Frank Schaarschmidt, Daniel Gerhard, Martin Sill Maintainer: Frank Schaarschmidt <schaarschmidt @biostat.unihannover.de>

## References

Schaarschmidt, F., Sill, M., and Hothorn, L.A. (2008): Approximate Simultaneous Confidence Intervals for Multiple Contrasts of Binomial Proportions. Biometrical Journal 50, 782-792.
Schaarschmidt, F., Sill, M., and Hothorn, L.A. (2008): Poly-k-trend tests for survival adjusted analysis of tumor rates formulated as approximate multiple contrast test. Journal of Biopharmaceutical Statistics 18, 934-948.

Holford, T.R., Walter, S.D. and Dunnett, C.W. (1989): Simultaneous interval estimates of the odds ratio in studies with two or more comparisons. Journal of Clinical Epidemiology 42, 427-434.
Gart, J.J. and Nam, J. (1988): Approximate interval estimation of the ratio of binomial parameters: A review and corrections for skewness. Biometrics 44, 323-338.

Schaarschmidt, F. (2013). Simultaneous confidence intervals for multiple comparisons among expected values of log-normal variables. Computational Statistics and Data Analysis 58, 265-275.
Hothorn, T., Bretz. F, and Westfall, P. (2008): Simultaneous inference in general parametric models. Biometrical Journal 50(3), 346-363.
Bailer, J.A. and Portier, C.J. (1988): Effects of treatment-induced mortality and tumor-induced mortality on tests for carcinogenicity in small samples. Biometrics 44, 417-431.
Bretz, F., Hothorn, L. (2002): Detecting dose-response using contrasts: asymptotic power and sample size determination for binomial data. Statistics in Medicine 21: 3325-3335.
Rogers, J.A. and Hsu, J.C. (2001): Multiple Comparisons of Biodiversity. Biometrical Journal 43, 617-625.

Fritsch, K.S., and Hsu, J.C. (1999): Multiple Comparison of Entropies with Application to Dinosaur Biodiversity. Biometrics 55, 1300-1305.

Scherer, R., Schaarschmidt, F., Prescher, S., and Priesnitz, K.U. (2013): Simultaneous confidence intervals for comparing biodiversity indices estimated from overdispersed count data. Biometrical Journal 55, 246-263.

## Examples

```
# # # 1)
# Simultaneous confidence intervals
# for 2xk tables of binomial data:
# binomRDtest, binomRDci
# Difference of proportions
binomRDci(x=c(2,6,4, 13), n=c(34,33,36,34),
    names=c("Placebo", "50", "75", "150"),
    type="Dunnett", method="ADD1")
# Odds ratios:
binomORci(x=c(2,6,4,13), n=c(34,33,36,34),
    names=c("Placebo", "50", "75", "150"),
    type="Dunnett")
# # #
# Simultaneous confidence intervals for comparing a treatment
# (trt) to 3 controls (Var1-Var3) in terms of differences of
# Simpson indices for a community comprising 33 species.
PSM <-
as.data.frame(structure(c(0, 0, 2, 0, 0, 2, 0, 0, 0, 1, 0, 0, 0, 0, 1, 0, 0,
2, 1, 1, 1, 0, 1, 2, 50, 25, 29, 42, 1, 1, 0, 3, 14, 6, 6, 24,
64, 56, 121, 98, 1, 1, 1, 4, 410, 357, 586, 588, 16, 29, 21,
38, 1, 1, 1, 1, 7, 12, 7, 11, 0, 1, 0, 0, 0, 1, 0, 0, 1, 1, 4,
1, 4, 3, 11, 4, 0, 0, 1, 0, 0, 1, 5, 0, 0, 0, 1, 1, 0, 0, 1,
0, 30, 31, 10, 42, 0, 0, 1, 0, 7, 8, 10, 13, 111, 125, 112, 73,
2, 1, 0, 0, 67, 64, 81, 102, 0, 0, 1, 0, 0, 0, 0, 1, 21, 20,
14, 24, 0, 1, 0, 0), .Dim = c(4L, 33L), .Dimnames = list(c("Trt",
"Var1", "Var2", "Var3"), c("Sp1", "Sp2", "Sp3", "Sp4", "Sp5", "Sp6",
"Sp7", "Sp8", "Sp9", "Sp10", "Sp11", "Sp12", "Sp13", "Sp14",
"Sp15", "Sp16", "Sp17", "Sp18", "Sp19", "Sp20", "Sp21", "Sp22",
"Sp23", "Sp24", "Sp25", "Sp26", "Sp27", "Sp28", "Sp29", "Sp30",
"Sp31", "Sp32", "Sp33"))))
fvar<-factor(row.names(PSM), levels=row.names(PSM))
Simpsonci(X=PSM, f=fvar)
```

```
# The complete data is available in package simboot.
# # #
# Simultaneous confidence intervals for ratios of expected values
# under lognormal assumption
x <- rlnorm(n=40, meanlog=rep(c(0,0.1,1,1), each=10), sdlog=rep(c(0.2,0.2,0.5,0.5), each=10))
f <- as.factor(rep(LETTERS[1:4], each=10))
lnrci(x=x, f=f, type="Tukey", method="GPQ", B=10000)
```


## binomORci Simultaneous confidence intervals for odds ratios

## Description

Approximate simultaneous confidence intervals for (weighted geometric means of) odds ratios are constructed. Estimates are derived from fitting a glm on the logit-link, approximate intervals are constructed on the logit-link, and transformed to original scale.

## Usage

```
binomORci(x, ...)
## Default S3 method:
binomORci(x, n, names = NULL,
    type = "Dunnett", method="GLM", cmat = NULL,
    alternative = "two.sided", conf.level = 0.95,
    dist="MVN", ...)
## S3 method for class 'formula'
binomORci(formula, data,
    type = "Dunnett", method="GLM", cmat = NULL,
    alternative = "two.sided", conf.level = 0.95,
    dist="MVN", ...)
## S3 method for class 'table'
binomORci(x,
    type = "Dunnett",method="GLM", cmat = NULL,
    alternative = "two.sided", conf.level = 0.95,
    dist="MVN", ...)
## S3 method for class 'matrix'
binomORci(x,
    type = "Dunnett", method="GLM", cmat = NULL,
    alternative = "two.sided", conf.level = 0.95,
    dist="MVN", ...)
```


## Arguments

X
n
names
formula
data a data.frame, containing the variables specified in formula
type a character string, giving the name of a contrast method, as defined in contrMat (multcomp); ignored if cmat is sepcified
method a single character string, specifying the method for confidence interval computation; Options are "GLM" and "Woolf". "GLM" takes the maximum likelihood estimates and the their standard errors; this yields a conservative confidence intervals with uninformative limits if $x=0$ and $x=n$ occures. "Woolf" adds 0.5 to the cell counts, resulting in less conservative bounds. These can be liberal when extreme proportions are compared.
cmat a optional contrast matrix
alternative a single character string, one of "two.sided", "less", "greater"
conf.level a single numeric value, simultaneous confidence level
dist a character string, "MVN" invokes multiplicity adjustment via the multivariate normal distribution, " N " invokes use of quantiles of the univariate normal distribution
arguments to be passed to binomest, currently only success labelling the event which should be considered as success

## Details

This function calls glm and fits a one-way-model with family binomial on the logit-link. Then, the point estimates and variances estimates from the fit are taken to construct simultaneous confidence intervals for differences (of weighted arithmetic means) of log-odds. Applying the exponential function to these intervals on the logit scale yields intervals for ratios (of weighted geometric) of odds. For simple groupwise comparisons, one yields intervals for oddsratios. For the case of Dunnett-type contrasts, the calculated simultaneous confidence intervals are those described in Holford et al. (1989).
Specifying method="GLM" takes maximum likelihood estimates for the log-odds and their standard errors evaluated at the estimate.

Specifying method="Woolf" takes adds 0.5 to each cell count and computes point estimates and standard errors for these continuity corrected values. For the two-sample comparison this method is refered to as "adjusted Woolf" (Lawson, 2005). In this implementation, the lower bounds yielded
by this method are additionally expanded to 0 , if all values in the denominator are $\mathrm{x}=\mathrm{n}$ or all values in the numerator are $\mathrm{x}=0$, and the upper bounds are expanded to Inf , if all values in the denominator are $\mathrm{x}=0$ or all values in the numerator are $\mathrm{x}=\mathrm{n}$.
Note, that for the case of general contrasts, the methods are not described explicitly so far.

## Value

A object of class "binomORci", a list containing:
conf.int a matrix with 2 columns: lower and upper confidence bounds, and M rows
alternative character string, as input
conf.level single numeric value, as input
estimate a matrix with 1 column: containing the estimates of the contrasts
x the observed number of successes
$\mathrm{n} \quad$ the number of trials
p the estimated proportions
success a character string labelling the event considered as success
names the group names
method a character string, specifying the method of interval construction
cmat the contrast matrix used

## Author(s)

Frank Schaarschmidt, Daniel Gerhard

## References

Holford, TR, Walter, SD and Dunnett, CW (1989). Simultaneous interval estimates of the odds ratio in studies with two or more comparisons. Journal of Clinical Epidemiology 42, 427-434.

## See Also

Intervals for the risk difference binomRDci, summary for odds ratio confidence intervals summary.binomORci plot for confidence intervals plot.sci

## Examples

```
data(liarozole)
table(liarozole)
# Comparison to the control group "Placebo",
# which is the fourth group in alpha-numeric
# order:
ORlia<-binomORci(Improved ~ Treatment,
    data=liarozole, success="y", type="Dunnett", base=4)
```

```
binomRDci
ORlia
summary(ORlia)
plot(ORlia)
# if data are available as table:
tab<-table(liarozole)
tab
ORlia2<-binomORci(tab, success="y", type="Dunnett", base=4)
ORlia2
plot(ORlia2, lines=1, lineslty=3)
############################
# Performance for extreme cases
# method="GLM" (the default)
test1<-binomORci(x=c(0,1,5,20), n=c(20,20,20,20), names=c("A", "B", "C", "D"))
test1
plot(test1)
# adjusted Woolf interval
test2<-binomORci(x=c(0,1,5,20), n=c(20,20,20,20), names=c("A","B","C","D"), method="Woolf")
test2
plot(test2)
```

binomRDci Simultaneous confidence intervals for contrasts of independent bino- mial proportions (in a oneway layout)

## Description

Simultaneous asymptotic CI for contrasts of binomial proportions, assuming that standard normal approximation holds. The contrasts can be interpreted as differences of (weighted averages) of proportions (risk ratios).

## Usage

```
binomRDci(x,...)
## Default S3 method:
binomRDci(x, n, names=NULL,
    type="Dunnett", cmat=NULL, method="Wald",
```

```
    alternative="two.sided", conf.level=0.95,
dist="MVN", ...)
## S3 method for class 'formula'
binomRDci(formula, data,
    type="Dunnett", cmat=NULL, method="Wald",
    alternative="two.sided", conf.level=0.95,
    dist="MVN", . . )
## S3 method for class 'table'
binomRDci(x, type="Dunnett",
    cmat=NULL, method="Wald", alternative="two.sided",
    conf.level=0.95, dist="MVN",...)
## S3 method for class 'matrix'
binomRDci(x, type="Dunnett",
    cmat=NULL, method="Wald", alternative="two.sided",
    conf.level=0.95, dist="MVN",...)
```


## Arguments

| x | a numeric vector, giving the number of successes in I independent samples, or an object of class "table", representing the 2xk-table, or an object of class "matrix", representing the 2xk-table |
| :---: | :---: |
| n | a numeric vector, giving the number of trials (i.e. the sample size) in each of the I groups (only required if $x$ is a numeric vector, ignored otherwise) |
| names | an optional character string, giving the names of the groups/ sample in $x, n$; if not specified the possible names of $x$ are taken as group names (ignored if $x$ is a table or matrix) |
| formula | a two-sided formula of the style 'response $\sim$ treatment', where 'response' should be a categorical variable with two levels, while treatment should be a factor specifying the treatment levels |
| data | a data.frame, containing the variables specified in formula |
| type | a character string, giving the name of a contrast method, as defined in contrMat (multcomp); ignored if cmat is specified |
| cmat | a optional contrast matrix |
| method | a single character string, specifying the method for confidence interval construction; options are: "Wald", "ADD1", or "ADD2" |
| alternative | a single character string, one of "two.sided", "less", "greater" |
| conf.level | a single numeric value, simultaneous confidence level |
| dist | a character string, "MVN" invokes multiplicity adjustment via the multivariate normal distribution, " N " invokes use of quantiles of the univariate normal distribution |
|  | arguments to be passed to binomest, currently only success labelling the event which should be considered as success |

## Details

See the examples for different usages.

## Value

A object of class "binomRDci", a list containing:

| conf.int | a matrix with 2 columns: lower and upper confidence bounds, and M rows |
| :--- | :--- |
| alternative | character string, as input |
| conf.level | single numeric value, as input |
| quantile | the quantile used to construct the confidence intervals |
| estimate | a matrix with 1 column: containing the estimates of the contrasts |
| $x$ | the observed number of successes in the treatment groups |
| $n$ | the number of trials in the treatment groups |
| $p$ | the estimated proportions in the treatment groups |
| success | a character string labelling the event considered as success |
| names | the group names |
| method | a character string, specifying the method of interval construction |
| cmat | the contrast matrix used |

## Note

Note, that all implemented methods are approximate only. The coverage probability of the intervals might seriously deviate from the nominal level for small sample sizes and extreme success probabilities. See the simulation results in Sill (2007) for details.

## References

Schaarschmidt, F., Sill, M. and Hothorn, L.A. (2008): Approximate simultaneous confidence intervals for multiple contrasts of binomial proportions. Biometrical Journal 50, 782-792.

## Background references:

The ideas underlying the "ADD1" and "ADD2" adjustment are described in:
Agresti, A. and Caffo, B.(2000): Simple and effective confidence intervals for proportions and differences of proportions result from adding two successes and two failures. American Statistician 54, p. 280-288.
And have been generalized for a single contrast of several proportions in:
Price, R.M. and Bonett, D.G. (2004): An improved confidence interval for a linear function of binomial proportions. Computational Statistics and Data Analysis 45, 449-456.
More detailed simulation results are available in:
Sill, M. (2007): Approximate simultaneous confidence intervals for multiple comparisons of binomial proportions. Master thesis, Institute of Biostatistics, Leibniz University Hannover.

## See Also

summary.binomRDci, plot.sci

## Examples

```
###############################################################
### Example 1 Tables 1,7,8 in Schaarschmidt et al. (2008): ###
#################################################################
# Number of patients under observation:
n <- c(29, 24, 25, 24, 46)
# Number of patients with complete response:
cr <- c(7, 11, 10, 12, 21)
# (Optional) names for the treatments
dn <- c("0.3_1.0", "3", "10", "30", "90")
# Assume we aim to infer an increasing trend with increasing dosage,
# Using the changepoint contrasts (Table 7, Schaarschmidt et al., 2008)
# The results in Table 8 can be reproduced by calling:
binomRDci(n=n, x=cr, names=dn, alternative="greater",
    method="ADD2", type="Changepoint")
binomRDci(n=n, x=cr, names=dn, alternative="greater",
    method="ADD1", type="Changepoint")
binomRDci(n=n, x=cr, names=dn, alternative="greater",
    method="Wald", type="Changepoint")
#################################################################
### Example 2, Tables 2,9,10 in Schaarschmidt et al. 2008 ###
##############################################################
# Data (Table 2)
# animals under risk
n<-c(30, 30, 30, 30)
# animals showing cancer
cancer<-c(20,14, 27,19)
# short names for the treatments
trtn<-c("HFaFi","LFaFi","HFaNFi","LFaNFi")
```

```
# User-defined contrast matrix (Table 9),
# columns of the contrast matrix
cmat<-rbind(
"Fiber - No Fiber"=c( 0.5, 0.5,-0.5,-0.5),
"Low Fat - High Fat"=c(-0.5, 0.5,-0.5, 0.5),
"Interaction Fat:Fiber"=c( 1, -1, -1, 1))
cmat
# The results in Table 10 can be reproduced by calling:
# simultaneous CI using the add-2 adjustment
sci<-binomRDci(x=cancer, n=n, names=trtn, method="ADD2",
    cmat=cmat, dist="MVN")
sci
# marginal CI using the basic Wald formula
ci<-binomRDci(x=cancer, n=n, names=trtn, method="Wald",
    cmat=cmat, dist="N")
ci
# check, whether the intended contrasts have been defined:
summary(sci)
# plot the result:
plot(sci, lines=0, lineslty=3)
```

\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#
\# In simple cases, counts of successes
\# and number of trials can be just typed:
ntrials <- c $(40,20,20,20)$
xsuccesses <- c(1,2,2,4)
names(xsuccesses) <- LETTERS[1:4]
ex1D<-binomRDci(x=xsuccesses, n=ntrials, method="ADD1",
type="Dunnett")
ex1D
ex1W<-binomRDci(x=xsuccesses, n=ntrials, method="ADD1",
type="Williams", alternative="greater")
ex1W

```
# results can be plotted:
plot(ex1D, main="Comparisons to control group A", lines=0, linescol="red", lineslwd=2)
# summary gives a more detailed print out:
summary(ex1W)
# if data are represented as dichotomous variable
# in a data.frame one can make use of table:
#################################
data(liarozole)
head(liarozole)
binomRDci(Improved ~ Treatment, data=liarozole,
    type="Tukey")
# here, it might be important to define which level of the
# variable 'Improved' is to be considered as success
binomRDci(Improved ~ Treatment, data=liarozole,
    type="Dunnett", success="y", base=4)
# If data are available as a named kx2-contigency table:
tab<-table(liarozole)
tab
# Comparison to the control group "Placebo",
# which is the fourth group in alpha-numeric order:
CIs<-binomRDci(tab, type="Dunnett", success="y", base=4)
plot(CIs, lines=0)
```

binomRDtest
Simultaneous test for contrasts of independent binomial proportions (in a oneway layout)

## Description

P-value of maximum test and adjusted p-values for $M$ contrasts of I groups in a one-way layout. Tests are performed for contrasts of proportions, which can be interpreted as differences of (weighted averages of) proportions.

## Usage

```
binomRDtest(x, ...)
## Default S3 method:
binomRDtest(x, n, names=NULL,
    type="Dunnett", cmat=NULL, method="Wald",
    alternative="two.sided", dist="MVN", ...)
## S3 method for class 'formula'
binomRDtest(formula, data,
    type="Dunnett", cmat=NULL, method="Wald",
    alternative="two.sided", dist="MVN", ...)
## S3 method for class 'table'
binomRDtest(x, type="Dunnett",
    cmat=NULL, method="Wald", alternative="two.sided",
    dist="MVN", ...)
## S3 method for class 'matrix'
binomRDtest(x, type="Dunnett",
    cmat=NULL, method="Wald", alternative="two.sided",
    dist="MVN", ...)
```


## Arguments

x
n
names an optional character vector, giving the names of the groups in $\mathrm{x}, \mathrm{n}$; if not specified, possibly availbale names of x are taken as group names
formula a two-sided formula of the style 'response $\sim$ treatment', where 'response' should be a categorical variable with two levels, while treatment should be a factor specifying the treatment levels
data a data.frame, containing the variables specified in formula
type a character string specifying the contrast type
cmat an optional user defined contrast matrix of dimension MxI
method a single charcter string, specifying the method for adjustment, with options: "Wald" (Maximum likelihood estimators), "ADD1" (add1-adjustment on the raw proportion estimates) "ADD2" (add2-adjustment on proportion estimates following Agresti Caffo (2000))
alternative a character string specifying the direction of the alternative hypothesis
dist a character string, where "MVN" invokes the computation of p-values using the multivariate normal distribution, and " N " invokes use p -value computation using the univariate normal distribution
... arguments to be passed to binomest, currently only success labelling the event which should be considered as success

## Details

For usage, see the examples.

## Value

An object of class "binomRDtest", a list containing:

| teststat | a numeric vector of teststatistics of length M |
| :--- | :--- |
| pval | a single numeric p-value, the p-value of the maximum test (minimum p-value) |
| p.val.adj | a vector of length M, the adjusted p-values of the single contrasts <br> character string indicating whether the multivariate normal or normal distribu- <br> tion was used for computation of p-values |
| alternative | a single character vector, as the input <br> $x$ |
| n the observed number of successes in the treatment groups |  |
| $p$ | the number of trials in the treatment groups |
| success | the estimated proportions in the treatment groups |
| method | a character string labelling the event considered as success |
| cmat | used contrast matrix |

## Note

Note, that all implemented methods are approximate only. The size of the test might seriously deviate from the nominal level for small sample sizes and extreme success probabilities. See the simulation results in Sill (2007) for details.

## References

Statistical procedures and characterization of coverage probabilities are described in: Sill, M. (2007): Approximate simultaneous confidence intervals for multiple comparisons of binomial proportions. Master thesis, Institute of Biostatistics, Leibniz University Hannover.

## See Also

summary.binomRDtest

## Examples

```
ntrials <- c(40, 20, 20, 20)
xsuccesses <- c(1,2,2,4)
names(xsuccesses) <- LETTERS[1:4]
binomRDtest(x=xsuccesses, n=ntrials, method="ADD1",
    type="Dunnett")
```

```
binomRDtest(x=xsuccesses, n=ntrials, method="ADD1",
    type="Williams", alternative="greater")
binomRDtest(x=xsuccesses, n=ntrials, method="ADD2",
    type="Williams", alternative="greater")
```

binomRRci
Simultaneous confidence intervals for ratios of independent binomial
proportions

## Description

Simultaneous asymptotic CI for contrasts of binomial proportions, assuming that standard normal approximation holds on the log scale. Confidence intervals for ratios of (weighted geometric means) of proportions are calculated based on differences of log-proportions, and normal approximation on the log-scale.

## Usage

```
binomRRci(x,...)
## Default S3 method:
binomRRci(x, n, names=NULL,
    type="Dunnett", cmat=NULL,
    alternative="two.sided", conf.level=0.95,
    dist="MVN", ...)
## S3 method for class 'formula'
binomRRci(formula, data,
    type="Dunnett", cmat=NULL,
    alternative="two.sided", conf.level=0.95,
    dist="MVN", . . )
## S3 method for class 'table'
binomRRci(x, type="Dunnett",
    cmat=NULL, alternative="two.sided",
    conf.level=0.95, dist="MVN",...)
## S3 method for class 'matrix'
binomRRci(x, type="Dunnett",
    cmat=NULL, alternative="two.sided",
    conf.level=0.95, dist="MVN",...)
```


## Arguments

X
n
names
formula
data a data.frame, containing the variables specified in formula
type a character string, giving the name of a contrast method, as defined in contrMat (multcomp); ignored if cmat is specified
cmat a optional contrast matrix
alternative a single character string, one of "two.sided", "less", "greater"
conf.level a single numeric value, simultaneous confidence level
dist a character string, "MVN" invokes multiplicity adjustment via the multivariate normal distribution, " N " invokes use of quantiles of the univariate normal distribution
arguments to be passed to binomest, currently only success labelling the event which should be considered as success

## Details

The interval for the ratio of two independent proportions, described in section "Crude Methods using first-order variance estimation" in Gart and Nam (1988) are extended to multiple contrasts. Confidence intervals are constructed based on contrasts for differences of $\operatorname{lp}=\log (x+0.5) /(n+0.5)$, using quantiles of the multivariate normal or normal approximation. Applying the exponential functions to the bounds results in intervals for the risk ratio. In case that 0 occur in both, the numerator and denominator of the ratio, the interval is expanded to [0,Inf], in case that only 0 s numerator go to the numerator, the lower bound is expanded to 0 , in case that only 0 s go to the denominator, the upper bound is expanded to Inf.
See the examples for different usages.

## Value

A object of class "binomRDci", a list containing:

| conf.int | a matrix with 2 columns: lower and upper confidence bounds, and M rows |
| :--- | :--- |
| alternative | character string, as input |
| conf.level | single numeric value, as input |
| quantile | the quantile used to construct the confidence intervals |


| estimate | a matrix with 1 column: containing the estimates of the contrasts |
| :--- | :--- |
| x | the observed number of successes in the treatment groups |
| n | the number of trials in the treatment groups |
| p | the estimated proportions in the treatment groups |
| success | a character string labelling the event considered as success |
| names | the group names |
| method | a character string, specifying the method of interval construction |
| cmat | the contrast matrix used |

## Note

Note, that all implemented methods are approximate only. The coverage probability of the intervals might seriously deviate from the nominal level for small sample sizes and extreme success probabilities.

## References

Gart, JJ and Nam,J-m (1988): Approximate interval estimation of the ratio of binomial parameters: a review and corrections for skewness. Biometrics 44, 323-338.

## See Also

summary.binomRDci for the risk difference, summary.binomORci for the odds ratio, plot.sci for plotting

## Examples

```
# In simple cases, counts of successes
# and number of trials can be just typed:
ntrials <- c(40, 20, 20, 20)
xsuccesses <- c(1,2,2,4)
names(xsuccesses) <- LETTERS[1:4]
ex1D<-binomRRci(x=xsuccesses, n=ntrials,
    type="Dunnett")
ex1D
ex1W<-binomRRci(x=xsuccesses, n=ntrials,
    type="Williams", alternative="greater")
ex1W
# results can be plotted:
plot(ex1D, main="Comparisons to control group A")
# summary gives a more detailed print out:
summary(ex1W)
# if data are represented as dichotomous variable
```

\# in a data.frame one can make use of table:

```
data(liarozole)
head(liarozole)
# here, it might be important to define which level of the
# variable 'Improved' is to be considered as success
binomRRci(Improved ~ Treatment, data=liarozole,
    type="Dunnett", success="y", base=4, alternative="greater")
# If data are available as a named kx2-contigency table:
tab<-table(liarozole)
tab
binomRRci(tab, type="Dunnett", success="y", base=4, alternative="greater")
# Performance for extreme cases:
```

binomRRci $(x=c(0,0,20,5), n=c(20,20,20,20)$, names=c("A", "B", "C", "D"),
type="Dunnett", alternative="greater")
bronch

Rodent bronchial carcinoma data

## Description

In a long term rodent carcinogenicity study on female B6C3F1 mice, the effect of vinylcyclohexene diepoxide on the incidence of murine alveolar/bronchiolar tumors was assessed. The mice were exposed to $0 \mathrm{mg} / \mathrm{ml}$, (group 0), $25 \mathrm{mg} / \mathrm{ml}$ (group 1), $50 \mathrm{mg} / \mathrm{ml}$ (group 2), and 100 (group 3) mg/ml, with 50 animals per group.

## Usage

data(bronch)

## Format

A data frame with 200 observations on the following 3 variables.
group a factor with levels $0,1,2,3$, labelling the control and the three dose groups
Y a logical vector, indicating whether a tumour was present at time of death (if TRUE), or not (if FALSE)
time a numeric vector, the time of death, counted in days? from begin of the study

## Details

Not yet checked for consistency with the source!

## Source

Piegorsch WW and Bailer AJ (1997): Statistics for environmental biology and toxicology. Chapman and Hall, London. Table 6.5, page 238.

## References

Portier cJ and Bailer AJ (1989): Testing for increased carcinogenicity using survival-adjusted quantal response tests. Fundamental and Applied Toxicology 12, 731.

## Examples

```
data(bronch)
# raw tumour counts:
table(bronch[c("group","Y")])
# groupwise times of death:
boxplot(time ~ group, data=bronch, horizontal=TRUE)
# Using poly3estf, we can produce the
# summary statistics as presented in
# Table 6.6, page 239, of Piegorsch and Bailer (1997):
poly3estf(status=bronch$Y, time=bronch$time, f=bronch$group)
```

censsample Random data for Poly-k

## Description

Random numbers from two independent Weibull distributions for Mortality and tumour induction.

## Usage

censsample(n, scale.m, shape.m, scale.t, shape.t $=3$, tmax)

## Arguments

n
a single numeric value, the number of individuals
scale.m a single numeric value, scale parameter of the Weibull distribution for mortality
shape.m a single numeric value, shape parameter of the Weibull distribution for mortality
scale.t a single numeric value, scale parameter of the Weibull distribution for tumour induction
shape.t a single numeric value, shape parameter of the Weibull distribution for tumour induction
tmax a single numeric value, maximum time in the trial

## Value

A data.frame with columns
time a numeric vector of length $n$, the time of death of an individual
status a logical vector of length $n$, the tumour status at time of death (TRUE: tumour present, FALSE: no tumour present)
T.t time of tumour induction (unobservable)
T.m time of death
tmax maximum time of death

```
censsamplef Random data for Poly-k
```


## Description

Random data for Poly-k for a one-way layout, with I groups.

## Usage

censsamplef(n, scale.m, shape.m, scale.t, shape.t $=3$, tmax)

## Arguments

| n | a numeric vector, the numbers of individuals of length I |
| :--- | :--- |
| scale.m | a numeric vector, scale parameters of the Weibull distribution for mortality |
| shape.m | a numeric vector, shape parameters of the Weibull distribution for mortality |
| scale.t | a numeric vector, scale parameters of the Weibull distribution for tumour induc- <br> tion |
| shape.t | a numeric vector, shape parameters of the Weibull distribution for tumour in- <br> duction <br> tmax |

## Value

A data.frame with columns
time a numeric vector of length $n$, the time of death of an individual
status a logical vector of length $n$, the tumour status at time of death (TRUE: tumour present, FALSE: no tumour present)
T.t time of tumour induction (unobservable)
T.m time of death
tmax maximum time of death
$\mathrm{f} \quad$ a factor of containing an appropriate grouping variable
corrMatgen A function to calculate the correlation matrix

## Description

Correlation matrix for teststatistics and confidence intervals assuming multivariate standard normal distribution

## Usage

corrMatgen(CM, varp)

## Arguments

CM a matrix of contrast coefficients, dimension MxI, where M=number of contrasts, and $\mathrm{I}=$ number of groups in a oneway layout
varp $\quad$ a numeric vector of groupwise variance estimates (length $=\mathrm{I}$ )

## Value

A matrix of dimension MxM.

## References

For correlation of contrasts of binomial proportion, see: Bretz F, Hothorn L.: Detecting doseresponse using contrasts: asymptotic power and sample size determination for binomial data. Statistics in Medicine 2002; 21: 3325-3335.

## estShannon Estimate the Shannon Index

## Description

Calculates estimates of the Shannon-Wiener from count data.

## Usage

estShannon(x, Nspec = NULL)

## Arguments

x
Nspec
a integer(numeric) vector of species counts
a single integer value, fixing the number of species to a certain value

## Value

A list, containing the elements:
estimate a single numeric value, the estimate with bias correction according to Fritsch and Hsu (1999)
estraw a single numeric value, the raw estimate
varest a single numeric value, the variance estimate according to Fritsch and Hsu (1999)

## References

Fritsch, KS, and Hsu, JC (1999): Multiple Comparison of Entropies with Application to Dinosaur Biodiversity. Biometrics 55, 1300-1305.

## See Also

estSimpsonf for estimating Shannon indices pooled over several samples, grouped by a factor

## estShannonf <br> Estimate the Shannon-Wiener index

## Description

Calculate estimates of the Shannon-Wiener index after pooling over several samples, grouped by a factor variable.

## Usage

estShannonf(X, f)

## Arguments

X
a data.frame of dimension $n$ times $p$ with integer entries, where $n$ is the number of samples and $p$ is the number of species
$f \quad a$ factor variable of length $n$, grouping the observations in $X$

## Details

The function splits $X$ according to the levels of the grouping variable $f$, builds the sum over each column and calculates the Shannon index ove the resulting counts.

## Value

A list, containing the elements:
estimae a named numeric vector, the groupwise Shannon indices with bias correction according to Fritsch and Hsu (1999)
estraw a named numeric vector, the groupwise Shannon indices, without bias correction
varest a named numeric vector, the groupwise variance estimates of the Shannon indices
table a matrix, giving the summarized counts of the groups in the rows

## References

Fritsch, KS, and Hsu, JC (1999): Multiple Comparison of Entropies with Application to Dinosaur Biodiversity. Biometrics 55, 1300-1305.

## Examples

```
data(HCD)
```

HCD
\# Groupwise point estimates:
est<-estShannonf(X=HCD[,-1], f=HCD[,1])
est

## estSimpson Simpson index

## Description

Calculates the estimate of the Simpson index from a vector of counts.

## Usage <br> estSimpson(x)

## Arguments

x
a integer (numeric) vector, giving the counts of $p$ species in a community
estSimpsonf Estimate the Simpson index from several samples

## Description

Calculate estimates of the Simpson index after pooling over several samples, grouped by a factor variable.

## Usage

estSimpsonf(X, f)

## Arguments

$\mathrm{X} \quad$ a data.frame of dimension n times p with integer entries, where n is the number of samples and $p$ is the number of species
$f \quad$ a factor variable of length $n$, grouping the observations in $X$

## Details

The function splits $X$ according to the levels of the grouping variable $f$, builds the sum over each column and calculates the Shannon index ove the resulting counts.

## Value

A list containing the items:

| estimate | the groupwise point estimates of the Simpson index |
| :--- | :--- |
| varest | the groupwise variance estimates of the Simpson index |
| table | a matrix of counts,containing the summed observations for each level of $f$ in its |
|  | rows |

estSimpsonf

## References

Rogers, JA and Hsu, JC (2001): Multiple Comparisons of Biodiversity. Biometrical Journal 43, 617-625.

## See Also

estShannonf

## Examples

```
# Here, the estimates for the Hell Creek Dinosaur
# example are compared to the estimates in
# Tables 2 and 3 of Rogers and Hsu (2001).
data(HCD)
HCD
# Groupwise point estimates:
est<-estSimpsonf(X=HCD[,-1], f=HCD[,1])
est
# Table 2:
cmat<-rbind(
"lower-middle"=c(1,-1,0),
"lower-upper"=c(1, 0,-1),
"middle-upper"=c(0,1,-1))
# the point estimates:
# cmat %*% est$estimate
crossprod(t(cmat), est$estimate)
# the standard errors:
# sqrt(diag(cmat %*% diag(est$varest) %*% t(cmat)))
sqrt(diag(crossprod(t(cmat), crossprod(diag(est$varest), t(cmat)) ) ))
# Table 3:
cmat<-rbind(
"middle-lower"=c(-1,1,0),
"upper-lower"=c(-1,0,1))
# cmat %*% est$estimate
```

```
crossprod(t(cmat), est$estimate)
```

\# sqrt(diag(cmat \%*\% diag(est\$varest) \%*\% t(cmat)))
sqrt(diag(crossprod(t(cmat), crossprod(diag(est\$varest), t(cmat)))))
\# Note, that the point estimates are exactly
\# the same as in Rogers and Hsu (2001),
\# but the variance estimates are not, whenever
\# the Upper group is involved.

## Description

Counts of dinosaur families found in three stratigraphic levels of the Cretaceous period in the Hell Creek formation in North Dakota. The eight families are the Ceratopsidae (Ce), Hadrosauridae (Ha), Hypsilophodontidae (Hy), Pachycephalosauridae (Pa), Tyrannosauridae (Ty), Ornithomimidae (Or), Sauronithoididae (Sa) and Dromiaeosauridae (Dr).

## Usage

data(HCD)

## Format

A data frame with 3 observations on the following 9 variables.
Level a factor with levels Lower, Middle, Upper, specifiyng the stratigraphic levels
Cr a numeric vector, counts of the Ceratopsidae
Ha a numeric vector, counts of the Hadrosauridae
Hy a numeric vector, counts of the Hypsilophodontidae
Pa a numeric vector, counts of the Pachycephalosauridae
Ty a numeric vector, counts of the Tyrannosauridae
Or a numeric vector, counts of the Ornithomimidae
Sa a numeric vector, counts of the Sauronithoididae
Dr a numeric vector, counts of the Dromiaeosauridae

## Source

Table 1 in: Rogers, JA and Hsu, JC (2001): Multiple Comparisons of Biodiversity. Biometrical Journal 43, 617-625.

## References

Sheehan, P.M., et al. (1991): Sudden extinction of the Dinosaurs: Latest Cretaceous, Upper Great Plains, U.S.A. Science 254, 835-839.

## Examples

```
data(HCD)
str(HCD)
HCD
mat<-as.matrix(HCD[,-c(1)])
rownames(mat)<-HCD$Level
mosaicplot(mat, las=1)
estSimpsonf(X=HCD[,-c(1)], f=HCD$Level)
estShannonf(X=HCD[,-c(1)], f=HCD$Level)
```

liarozole Marked improvement of psoriasis after application of liarozole

## Description

In a placebo controlled clinical trial, patients with psoriasis were randomly assigned to a placebo group and three dose groups ( $50 \mathrm{mg}, 75 \mathrm{mg}$, and 150 mg ). Variable of primary interest was the proportion of patients with marked improvement of psoriasis. This data.frame mimics how raw data could have been represented in a larger data frame.

## Usage

data(liarozole)

## Format

A data frame with 137 observations on the following 2 variables.
Improved a factor with levels $n, y$, for "no" and "yes"
Treatment a factor with levels Dose150, Dose50, Dose75, Placebo

## Details

For illustrative purpose only. Number of successes recalculated from proportions presented in the publication, while the number of patients in group Dose50 was not exactly clear.

## Source

Berth-Jones J, Todd G, Hutchinson PE, Thestrup-Pedersen K, Vanhoutte FP: Treatment of psoriasis with oral liarozole: a dose-ranging study. British Journal of Dermatology 2000; 143: 1170-1176.

## Examples

```
data(liarozole)
head(liarozole)
# create a contingency table:
table(liarozole)
# the order of the groups is alpha-numeric,
# and "y" for success is of higher order than
# to change the order:
liarozole$Treatment<-factor(liarozole$Treatment,
    levels=c("Placebo", "Dose50", "Dose75", "Dose150"))
liarozole$Improved<-factor(liarozole$Improved,
    levels=c("y", "n"))
tab<-table(liarozole)
tab
# Approximate simultaneous confidence intervals
# for the differences pDose-pPlacebo:
LCI<-binomRDci(tab, type="Dunnett",
alternative="greater", method="ADD1")
LCI
plot(LCI, main="Proportion of patients
    with marked improvement")
# Perform a test on increasing trend
# vs. the placebo group:
Ltest<-binomRDtest(tab, type="Williams",
alternative="greater", method="ADD1")
summary(Ltest)
```

lnrci
Simultaneous confidence intervals for expected values assuming lognormal distribution.

## Description

Simultaneous confidence intervals for multiple contrasts of expected values of several (K) groups in a one-way layout, assuming lognormal distribution of the response. Multiple ratios of (weighted geometric means of) expected values can be estimated as well as multiple differences of (weighted arithmetic means of) the expected values in the K groups can be estimated. For both, ratios and differences, a method based on asymptotic normality (not recommended) and a method based on generalized pivotal quantities are available.

## Usage

```
lnrci(x, f, type = "Dunnett", cmat = NULL,
    alternative = c("two.sided", "less", "greater"),
    conf.level = 0.95, method = c("GPQ", "AN"), ...)
lndci(x, f, type = "Dunnett", cmat = NULL,
    alternative = c("two.sided", "less", "greater"),
    conf.level = 0.95, method = c("GPQ", "AN"), ...)
```


## Arguments

$x \quad$ a numeric vector, the response variable, assumed to be lognormally distributed, should contain only positive values
$f \quad a$ factor variable, of the same length as $x$, groupingt the observations in $x$
type a single character string, naming a contrast type, see contrMat for the options; this argument is ignored if a contrast matrix is specified in cmat
cmat a matrix with numeric entries, containing contrast coefficients; if there are K levels in f , the matrix should have k columns
alternative a single character string, with options "two.sided" for two-sided confidence intervals, "less" for upper bounds only and "greater" for lower bounds only
conf.level a single numeric value between 0 and 1
method a single character string, naming the method by which to compute the confidence intervals; options are "GPQ" for a method based on generalized pivotal quantities and "AN" for the asymptotic normal method (not recommended).
... further arguments to be passed to the internal methods, in particular: Argument B specifies the number of samples to be drawn if method "GPQ" (defaults to 10000), it is ignored if method="AN". Second, dist must be a single character string as in Waldci, invoking the use of multivariate normal quantiles dist="MVN" or standard normal quantiles dist=" N " when method="AN"; it is ignored if method="GPQ".

## Details

In a setting with K treatment groups, assuming a completely randomized design and lognormal distribution of the response variable, multiple (M) ratios or differences among expected values of the K treatment groups may be of interest. The ratios or differences of interest can be specified via a character string (in argument type) or via an $\mathrm{M} \times \mathrm{K}$ matrix in argument cmat. Intervals for ratios can be computed (via linear contrasts on the log scale) in function lnrci, differences can be
computed in fucntion lndci. A simulation study of the methods implemented here can be found in Schaarschmidt (2013).
By default, the confidence intervals are adjusted for multiple comparisons. The asymptotic normal methods, rely on maximum likelihood estimates for the expected values and the corresponding variance estimates (as given in Chen and Zhou, 2006) and adjut for multiplicity via critical value from the multivariate normal distribution (correlation structure with plug-in of variance estimates). The generalized pivotal quantity methods rely on simulating the distribution of the parameters (number of samples $B=10000$ by default, Krishnamoorthy and Mathew, 2003; Chen and Zhou, 2006) and compute simultaneous intervals from this sample using the function SCSrank.

## Value

A list with elements

| estimate | a column vector, containing the point estimates of the contrasts |
| :--- | :--- |
| conf.int | a Mx2 matrix of confidence bounds, if M comparisons among the K samples are <br> invoked |
| alternative | a character string, as input |
| conf.level | a numeric value, as input |

## Author(s)

Frank Schaarschmidt

## References

Schaarschmidt, F. (2013). Simultaneous confidence intervals for multiple comparisons among expected values of log-normal variables. Computational Statistics and Data Analysis 58, 265-275

Chen, $Y$-H, Zhou, $X$ - $H$ (2006). Interval estimates for the ratio and the difference of two log-normal means. Statistics in Medicine 25, 4099-4113.
Krishnamoorthy K, Mathew $T$ (2003). Inferences on the means of lognormal distributions using generalized p-values and generalized confidence intervals. Journal of Statistical Planning and Inference 115, 103-121.

## Examples

```
x <- rlnorm(n=100, meanlog=rep(c(0,0.1,1,1), each=25), sdlog=0.5)
f <- as.factor(rep(LETTERS[1:4], each=25))
boxplot(x~f)
lndci(x=x, f=f, type="Dunnett", method="GPQ", B=20000)
lndci(x=x, f=f, type="Dunnett", method="AN")
lnrci(x=x, f=f, type="Tukey", method="GPQ", B=20000)
lnrci(x=x, f=f, type="Tukey", method="AN")
```

```
methyl NTP bioassay data: effect of methyleugenol on skin fibroma
```


## Description

NTP bioassay of methyleugenol: 200 male rats were randomly assigned to 4 treatment groups with balanced sample size 50. Individuals in treatment group 0, 1, 2, and 3 received doses of $0,37,75$, and 150 mg methyleugenol per kg body weight, respectively. The response variable tumour is the presence of skin fibroma at time of death. The variable death gives individual time of death, with a final sacrifice of surviving animals at 730 days after begin of the assay.

## Usage

data(methyl)

## Format

A data frame with 200 observations on the following 3 variables.
group a factor with levels $0,1,2,3$, specifying dose groups $0,37,75$, and $150 \mathrm{mg} / \mathrm{kg}$, respectively
tumour a numeric vector, specifying whether a tumour was present at time of death
death a numeric vector, specifying the time of death

## Source

National toxicology program (2000).

## References

SD Peddada, GE Dinse, JK Haseman (2005): A survival-adjusted quantal response test for comparing tumour incidence rates. Applied Statistics 54, 51-61.

## Examples

```
data(methyl)
# raw tumour proportions:
table(methyl[c("group", "tumour")])
# time of death:
boxplot(death~group, data=methyl, horizontal=TRUE)
```

```
mosaicdiv Mosaicplot for the data in Shannonci and Simpsonci
```


## Description

Create a mosaicplot from objects of class Shannonci or Simpsonci

## Usage

mosaicdiv(x, decreasing = NULL, ...)

## Arguments

x
an object of class "Simpsonci" or "Shannonci" as can be obtained from calling Simpsonci or Shannonci
decreasing a single logical value, indicating whether the species should be plotted in the current order (if decreasing=NULL), in decreasing order (if decreasing=TRUE), or in increasing order (if decreasing=FALSE)
... further arguments to be passed to mosaicplot, see ?mosaicplot and ?par for details

## Details

This function uses the counts in [["sample.estimate"]][["table"]] to produce a mosaicplot.

## Value

A plot.

## Examples

```
data(HCD)
```

HCDFam <- HCD[,-1]
SCI<-Simpsonci(X=HCDFam, f=HCD[,1])
mosaicdiv(SCI, decreasing=TRUE, col=rainbow(n=8))

```
multinomORci
```

Simultaneous confidence intervals for odds ratios comparing multiple odds and multiple treatments in a contingency table

## Description

Testversion. Two methods are provided to compute simultaneous confidence intervals for the comparison of several types of odds between several multinomial samples. Asymptotic Wald-type intervals (incl. replacing zero by some small number) as well as a method that computes simultaneous percentile intervals based on samples from the joint Dirichlet-posterior distribution with vague prior. A separate multinomial distribution is assumed for each row of the contingency table.

## Usage

multinomORci(Ymat, cmcat=NULL, cmgroup=NULL, cimethod = "DP", alternative = "two.sided", conf.level = 0.95, bycomp = FALSE, bychr = "btw ", ...)

## Arguments

Ymat a matrix or table: input data as a 2-dimensional contingency table, containing the counts of the categories in the different treatment groups, with rows of the table representing the treatment groups and columns of the table representing the categories. Also data.frames can be provided given that they contain counts only. Names of treatments/groups may be attached as row. names, names of categories may be attached as col. names.
cmcat a matrix or a character string: the contrast matrix that specifies which odds to compute between the categories. Column number of cmcat must be equal to the column number of Ymat; or, a character string ("Dunnett", "Tukey") invoking baseline odds or all pairwise odds between categories; if NULL baseline odds are computed
cmgroup a matrix or a character string: the contrast matrix that specifies, which treatment groups should be compared. Column number of cmgroup must be equal to the row number of Ymat; or, a character string ("Dunnett", "Tukey") invoking comparisons to the first group or all pairwise comparisons between groups; if NULL comparisons to control are computed
cimethod character string specifyoing the method for computation: "DP" invokes use of the sampling method based on the Drirchlet posterior with vague prior; "Wald" invokes use of an asmptotic method;
alternative single character string: "two.sided": two-sicded intervals; "less" intervals with upper limits only; "greater" intervals with lower limits only.
conf.level single number: the simultaneous confidcence level
bycomp
logical, if bycomp=FALSE parameters are ordered by odds first; if bycomp=TRUE parameters are ordered by between-group-comparison first
bychr character string separating the name of the odds from the name of the between group comparison in the output
further arguments to be passed to the internal functions: if cimethod $=" D P "$ argument BSIM (defaults to BSIM=10000) defines the number of samples drwan from the Dirichlet posterior, and prior allows to define a single number, vector or matrix of alpha-parameters for the Dirichlet prior. If not specified, Dirichlet $(1,1, \ldots, 1)$ is used as a prior, independent for each treatemnet group. if cimethod = "Wald", argument addx sets the quantity to be added to each cell/row/total of the contingency table.

## Details

Testversion.

## Value

A list with items
SCI a data.frame with names of comprisons as well as the lower and upper confidence limits
details a list with computational details depending on the cimethod: for "DP", the prior parameters, the complete sample from posterior, etc.) , for "Wald"-type (observations added to the table, estimated correlation matrix and covariance matrix, mulivariate normal quantiles)

## Author(s)

Frank Schaarschmidt

## See Also

as.data.frame.multinomORci, print.multinomORci

## Examples

```
# Randomized clinical trial 2 treatment groups (injection of saline or sterile water)
# to cure chronic pain after whiplash injuries. Response are 3 (ordered) categories,
# 'no change', 'improved', 'much improved'. Source: Hand, Daly, Lunn, McConway,
# Ostrowski (1994): A handbook of small data sets. Chapman & Hall, Example 124, page 993
dwi <- data.frame("no.change"=c(1,14), "improved"=c(9,3), "much.improved"=c(10,3))
rownames(dwi) <- c("sterile3", "saline3")
dwi
DP1dwi <- multinomORci(Ymat=dwi, cmcat="Dunnett", cmgroup="Tukey", cimethod="DP", BSIM=5000)
DP1dwi
# at logit-scale (i.e., not backtransformation)
```

```
    print(DP1dwi , exp=FALSE)
    ## Not run:
    # Compute asymptotic Wald-type intervals
    Waldwbc <- multinomORci(Ymat=dwi, cmcat="Dunnett", cmgroup="Tukey", cimethod="Wald")
    Waldwbc
    print(Waldwbc, exp=FALSE)
## End(Not run)
```

plot.sci Plot confidence intervals

## Description

Function for convenient plotting of confidence intervals.

## Usage

```
## S3 method for class 'sci'
plot(x, ...)
## S3 method for class 'binomRDci'
plot(x, ...)
## S3 method for class 'binomORci'
plot(x, ...)
## S3 method for class 'binomRRci'
plot(x, ...)
## S3 method for class 'poly3ci'
plot(x, ...)
## S3 method for class 'Shannonci'
plot(x, ...)
## S3 method for class 'Simpsonci'
plot(x, ...)
```


## Arguments

x
an object of class "binomRDci", "binomORci","binomRRci", "poly3ci","sci"
... further arguments as described in plotCI

## Details

Extracts some values and calls plotCI.

Value
A plot.

## plotCI Plot confidence intervals

## Description

A function for convenient plotting of confidence intervals.

## Usage

```
    ## Default S3 method:
    plotCI(x, ...)
    ## S3 method for class 'sci'
    plotCI(x, ...)
    ## S3 method for class 'sci.ratio'
    plotCI(x, ...)
    ## S3 method for class 'confint.glht'
    plotCI(x, ...)
```


## Arguments

x
An object of class "sci", "sci.ratio" or "conf.int.glht" or a list with elements estimate, containing a numeric vector, conf.int, containing a matrix with two columns, giving the lower and upper bounds, and a string alternative, one of "two.sided", "less", "greater"
... additional arguments to be passed to plotCII and plot, see plotCII for details

## Details

Plots the estimates, upper and lower limits using points and segments. The names of estimate are passed as labels of the confidence intervals. If infinite bounds occur, the plot region is limited by the most extreme non infinite bound or estimate.

## Value

A plot.

## See Also

Internally, the function plotCII is used.

## Examples

```
x=c(8,9,9,18,39,44)
n=c(2000, 2000, 2000, 2000, 2000, 2000)
x<-binomORci(x=x, n=n, names=c("0","120","240", "480", "600","720"))
```

```
plotCI(x, lines=1)
```

```
plotCII Plot confidence intervals
```


## Description

A function for convenient plotting of confidence intervals.

## Usage

plotCII(estimate, lower = NULL, upper = NULL,
alternative = c("two.sided", "less", "greater"),
lines = NULL, lineslty = 2, lineslwd = 1,
linescol = "black", CIvert = FALSE, CIlty = 1,
CIlwd = 1, CIcex = 1, CIcol = "black", CIlength=NULL,
HL = TRUE, ...)

## Arguments

estimate a (named) numeric vector, the names of the elements are taken as labels of the CI
lower an optional numeric vector, of the same length as estimate
upper an optional numeric vector, of the same length as estimate
alternative a single character string, one of "two.sided", "less", "greater"
lines an optional numeric (vector) giving the position(s) of line(s) to draw into the plots orthogonal to the confidence intervals
lineslty possible a vector of line type of the lines, see the options for lty in par
lineslwd possible a vector of line width of the lines, see the options for lwd in par
linescol possible a vector of line colors of the lines
CIvert logical indicating, whether confidence intervals shall be drawn horizontal (default), or vertical (if set to TRUE)

CIlty single value, to specify the line type used for the CI, see options for lty in ?par
CIlwd single value, to specify the width type used for the CI, see options for lty in ?par
CIcex single value, to specify the extension of sympols in the plot, see options for cex in ?par
CIcol single value, to specify the color used for the CI
CIlength single numeric value, to be passed to the argument length in function arrows; to specify the lengths of the CI bounds (in inches); defaults to 0.08 and 0.05 for less than 25 and more than 25 CIs , respectively

HL a logical, if TRUE (default), plot margins of the are adjusted depending on the length of the names by appropriate calls to par; this might be incompatible with combining the plot with others in the same device. If set to FALSE, its up to the user to choose appropriate plot margins by calling to par.
... further arguments to be passed to plot

## See Also

plotCI, for more convenient methods

## Examples

```
est<-c(1,2,3)
names(est)<-c("A", "B", "C")
lw=c(0,1,2)
up=c(2, 3,4)
plotCII(estimate=est, lower=lw, upper=up)
plotCII(estimate=est, lower=lw, upper=up,
lines=c(-1,0,1),
lineslty=c(3,1,3),
lineslwd=c(1, 2, 1))
###########
names(est)<-c("very long names",
    "e v e n l o n g e r n a m e s", "C")
plotCII(estimate=est, lower=lw, upper=up,
    CIcol=c("black", "green", "red"),
    HL=TRUE
)
###########
names(est)<-c("very long names",
    "e v e n l o n g e r n a m e s", "C")
plotCII(estimate=est, lower=lw, upper=up,
    CIcol=c("black", "green", "red"),
    HL=TRUE
)
op<-par(no.readonly = TRUE)
layout(matrix(1:2, ncol=1))
```

```
par(mar=c(5,14,3,1))
plotCII(estimate=est, lower=lw, upper=up,
    main="Lala 1",
    CIcol=c("black","green","red"),
    lines=-1,
    HL=FALSE
)
plotCII(estimate=est, lower=lw, upper=up,
    main="Lala 2",
    CIcol=c("black", "green", "red"),
    lines=c(0,1),
    HL=FALSE
)
par(op)
```

poly3ci Simultaneous confidence intervals for contrasts of poly-3-adjusted tumour rates

## Description

Function to calculate simultaneous confidence intervals for several contrasts of poly-3-adjusted tumour rates in a oneway layout. Assuming a data situation as in Peddada(2005) or Bailer and Portier (1988). Simultaneous asymptotic CI for contrasts of tumour rates, assuming that standard normal approximation holds.

## Usage

poly3ci(time, status, f, type = "Dunnett", cmat $=$ NULL, method = "BP", alternative = "two.sided", conf.level $=0.95$, dist="MVN", k=3, ...)

## Arguments

time a numeric vector of times of death of the individuals
status a logical (or numeric, consisting of 0,1 only) vector giving the tumour status at time of death of each individual, where TRUE (1) = tumour present, FALSE (0) $=$ no tumour present
f
a factor, giving the classification variable
type
a character string, giving the name of a contrast method, as defined in contrMat (multcomp)
cmat a optional contrast matrix

| method | a single charcter string, specifying the method for adjustment, with options: <br> "BP" (Bailer Portier: assuming poly-3-adjusted rates are binomial variables), <br> "BW" (Bieler, Williams: delta method as in Bieler and Williams (1993)) "ADD1" <br> (as Bailer Portier, including an add1-adjustment on the raw tumour rates) "ADD2" <br> (as Bailer Portier, including an add2-adjustment on the raw tumour rates follow- <br> ing Agresti and Caffo (2000) for binomials) |
| :--- | :--- |
| alternative | a single character string |
| conf.level | a single numeric value, simultaneous confidence level |
| dist | a character string, "MVN" invokes multiplicity adjustment via the multivariate <br> normal distribution, "N" invokes use of quantiles of the univariate normal distri- <br> bution |
| k | the exponent to calculate survival adjusted proportions, default is k=3 <br> further arguments to be passed; currently only base, to be passed to contrMat <br> to choose the control group with type="Dunnett" |
| $\ldots$ |  |

## Value

A object of class "poly3ci", a list containing:

| conf.int | a matrix with 2 columns: lower and upper confidence bounds, and M rows |
| :--- | :--- |
| alternative | character string, as input |
| conf.level | single numeric value, as input |
| quantile | the quantile used to construct the CIs |
| estimate | a numeric vector with the point estimates of the contrasts |
| time | as input |
| status | as input |
| f | as input |
| method | as input |
| cmat | as input, with colnames= factor levels of f |
| sample.est | a list containing sample estimates |

## Note

Please note that all methods here described are only approximative, and might violate the nominal level in certain situations. Please note further that appropriateness of the point estimates, and consequently of tests and confidence intervals is based on the assumptions in Bailer and Portier (1988), which might be a matter of controversies.

## Author(s)

Frank Schaarschmidt

## References

The implemented methodology is described in:
Schaarschmidt, F., Sill, M., and Hothorn, L.A. (2008): Approximate Simultaneous confidence intervals for multiple contrasts of binomial proportions. Biometrical Journal 50, 782-792.
Background references are:
Assumption for poly-3-adjustment: Bailer, J.A. and Portier, C.J. (1988): Effects of treatmentinduced mortality and tumor-induced mortality on tests for carcinogenicity in small samples. Biometrics 44, 417-431.
Peddada, S.D., Dinse, G.E., and Haseman, J.K. (2005): A survival-adjusted quantal response test for comparing tumor incidence rates. Applied Statistics 54, 51-61.
Bieler, G.S. and Williams, R.L. (1993): Ratio estimates, the Delta Method, and quantal response tests for increased carcinogenicity. Biometrics 49, 793-801.
Statistical procedures and characterization of the coverage probabilities are described in: Sill, M. (2007): Approximate simultaneous confidence intervals for multiple comparisons of binomial proportions. Master thesis, Institute of Biostatistics, Leibniz University Hannover.

## Examples

```
##############################################################
### Methyleugenol example in Schaarschmidt et al. (2008) ####
###############################################################
# load the data:
data(methyl)
# The results in Table 5 (Schaarschmidt et al. 2008) can be
# reproduced by calling:
methylW<-poly3ci(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Williams", method = "ADD1", alternative="greater" )
methylW
methylWT<-poly3test(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Williams", method = "ADD1", alternative="greater" )
methylWT
plot(methylW, main="Simultaneous CI for \n Poly-3-adjusted tumour rates")
# The results in Table 6 can be reproduced by calling:
```

```
    methylD<-poly3ci(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Dunnett", method = "ADD1", alternative="greater" )
    methylD
    methylDT<-poly3test(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Dunnett", method = "ADD1", alternative="greater" )
    methylDT
    plot(methylD, main="Simultaneous CI for Poly-3-adjusted tumour rates", cex.main=0.7)
    ############################################################
    # unadjusted CI
    methylD1<-poly3ci(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Dunnett", method = "ADD1", dist="N" )
    methylD1
    plot(methylD1, main="Local CI for Poly-3-adjusted tumour rates")
```

    poly3est Only for internal use.
    
## Description

Poly-3- adjusted point and variance estimates for long term carcinogenicity data

## Usage

poly3est(time, status, tmax, method = "BP", k=NULL)

## Arguments

time a numeric vector of times of death of the individuals
status a logical (or numeric, consisting of 0,1 only) vector giving the tumour status at time of death of each individual, where TRUE (1) = tumour present, FALSE (0) $=$ no tumour present
tmax a single numeric vector, the final time of the trial
method a single charcter string, specifying the method for adjustment, with options: "BP" (Bailer Portier: assuming poly-3-adjusted rates are binomial variables), "BW" (Bieler, Williams: delta method as in Bieler-Williams (1993)) "ADD1"
k
(as Bailer Portier, including an add1-adjustment on the raw tumour rates) "ADD2" (as Bailer Portier, including an add2-adjustment on the raw tumour rates following Agresti Caffo (2000) for binomials)
a single numeric value, the exponent to calculate survival adjusted proportions according to Bailer and Portier (1988), defaults to 3

## Details

Only for internal use of poly3test and poly3ci.

## Value

A list containing:
$Y$ number of tumours
$n \quad$ number of individuals
estimate poly-3-adjusted rates according to Bailer, Portier (1988)
weight a vector of poly-3-adjusted weights, of length $n$
estp poly-3-adjusted rate (according to method)
nadj adjusted n (sum of weights)
varp variance estimate (according to method)
varcor variance estimate, if necessary corrected such that estimates of 0 can not occur

## Note

Please note, that appropriateness of the point estimates seriously depends on whether the assumptions in Bailer and Portier are met or not.

## References

Bailer, J.A. and Portier, C.J. (1988): Effects of treatment-induced mortality and tumor-induced mortality on tests for carcinogenicity in small samples. Biometrics 44, 417-431.

```
poly3estf Only for internal use.
```


## Description

Poly-3- adjusted point and variance estimates for long term carcinogenicity data if data are given as a numeric time vector, a logical status vector and a factor containing a grouping variable

## Usage

poly3estf(time, status, tmax=NULL, f, method = "BP", k=NULL)

## Arguments

| time |  |
| :--- | :--- |
| status | a numeric vector of times of death of the individuals <br> a logical (or numeric, consisting of 0,1 only) vector giving the tumour status at <br> time of death of each individual, where TRUE (1) = tumour present, FALSE (0) <br> = no tumour present |
| tmax | a single numeric value, the time of sacrifice in the trial, or the last last time of <br> death, defaults to the maximal value observed in time |
| f | a factor of the same length as time, status, giving the levels of a grouping <br> variable in a one-way layout |
| method | a single charcter string, specifying the method for adjustment, with options: <br>  <br>  <br>  <br> "BP" (Bailer Portier: assuming poly-3-adjusted rates are binomial variables), <br> (as Bailer Portier, including an add1-adjustment on the raw tumour rates) "ADD2" <br> (as Bailer Portier, including an add2-adjustment on the raw tumour rates follow- <br> ing Agresti Caffo (2000) for binomials) |
| k | a single numeric value, the exponent to calculate survival adjusted proportions <br> according to Bailer and Portier (1988), defaults to 3 |

## Details

For internal use.

## Value

A list containing:

| Y | a numeric vector, groupwise number of tumours |
| :--- | :--- |
| n | a numeric vector, groupwise number of individuals |
| estimate | a numeric vector, groupwise poly-3-adjusted rates according to Bailer, Portier <br> $(1988)$ |
| weight | a numeric vector of poly-3-adjusted weights <br> estp <br> nadj |
| a numeric vector, groupwise poly-3-adjusted rate (according to method) <br> adjusted n (sum of weights) |  |
| varcor | a numeric vector, groupwise variance estimate (according to method) <br> a numeric vector, groupwise variance estimate, if necessary corrected such that <br> estimates of 0 can not occur |
| names | a character vector, the levels of the grouping variable $f$ <br> k |

## Note

See poly3est

## References

See poly3est

## Examples

```
    data(bronch)
    poly3estf(status=bronch$Y, time=bronch$time, f=bronch$group, k=3)
    poly3estf(status=bronch$Y, time=bronch$time, f=bronch$group, k=5)
```

    poly3table Summarize long term carcinogenicity data
    
## Description

Function to summarize data of long term carcinogenicity trials in a text format. Data are assumed to consist of (1) a dichotomous variable, defining whether the tumour of interest was present in an individual animal at time of death, and (2) a numeric variable containing the time of death of an individual animal, and (3) a grouping factor.

## Usage

poly3table(time, status, f, tumour = NULL, symbol = "*")

## Arguments

| time | a numeric vector, containing the time of death of an individual |
| :--- | :--- |
| status | a logical (or dichotomous categorical) vector |
| f | a factor, specifying treatment groups |
| tumour | the value which status obtains if a tumour is present in an individual at time of <br> death |
| symbol | symbol to indicate presence of tumour in the text representation |

## Value

A named list, containing a character string for each group

## Author(s)

Frank Schaarschmidt

## Examples

```
data(methyl)
methyl
poly3table(time=methyl$death, status=methyl$tumour,
    f=methyl$group, tumour = 1, symbol = "*")
```


## Description

P-value of maximum test and adjusted p-values for M contrasts of I groups in a one-way layout. Based on approximation of the true distribution of the $M$ test statistics by an M-variate normal distribution.

## Usage

poly3test(time, status, f, type = "Dunnett", cmat = NULL, method = "BP", alternative = "two.sided", dist="MVN", k=3, ...)

## Arguments

| time | a numeric vector of times of death of the individuals |
| :---: | :---: |
| status | a logical (or numeric, consisting of 0,1 only) vector giving the tumour status at time of death of each individual, where TRUE (1) = tumour present, FALSE (0) $=$ no tumour present |
| f | a factor of the same length as time, status, giving the levels of a grouping variable in a one-way layout |
| type | a character string specifying the contrast type |
| cmat | an optional user defined contrast matrix of dimension MxI |
| method | a single charcter string, specifying the method for adjustment, with options: "BP" (Bailer Portier: assuming poly-3-adjusted rates are binomial variables), "BW" (Bieler, Williams: delta method as in Bieler-Williams (1993)) "ADD1" (as Bailer Portier, including an add1-adjustment on the raw tumour rates) "ADD2" (as Bailer Portier, including an add2-adjustment on the raw tumour rates following Agresti Caffo (2000) for binomials) |
| alternative | a character string specifying the direction of the alternative hypothesis |
| dist | a character string, where "MVN" invokes the computation of p-values using the multivariate normal distribution, and " N " invokes use p -value computation using the univariate normal distribution |
| k | a single numeric value, the exponent to calculate survival adjusted proportions according to Bailer and Portier (1988), defaults to 3 |
|  | further arguments to be passed; currently only base, to choose the control group with type="Dunnett" |

## Details

Testversion.

## Value

An object of class "poly3test", a list containing:

| teststat | a numeric vector of teststatistics of length M |
| :--- | :--- |
| pval | a single numeric p-value, the p-value of the maximum test (minimum p-value) |
| p.val.adj | a vector of length M , the adjusted p-values of the single contrasts |
| alternative | a single character vector, as the input |
| dist | a character string specifying which distribution |
| time | as input |
| status | as input |
| f | as input |
| method | as input |
| cmat | used contrast matrix |
| sample.est | a list containing sample estimates |

## Note

Please note that all methods here described are only approximative, and might violate the nominal level in certain situations. Please note further that appropriateness of the point estimates, and consequently of tests and confidence intervals is based on the assumptions in Bailer and Portier (1988), which might be a matter of controversies.

## References

Assumptions corresponding to the poly-k-adjustment:
Bailer, J.A. and Portier, C.J. (1988): Effects of treatment-induced mortality and tumor-induced mortality on tests for carcinogenicity in small samples. Biometrics 44, 417-431.
Peddada, S.D., Dinse, G.E., and Haseman, J.K. (2005): A survival-adjusted quantal response test for comparing tumor incidence rates. Applied Statistics 54, 51-61.
Statistical procedures and characterization of coverage probabilities are described in: Sill, M. (2007): Approximate simultaneous confidence intervals for multiple comparisons of binomial proportions. Master thesis, Institute of Biostatistics, Leibniz University Hannover.

## Examples

```
# poly-3-adjusted tumour rates with a potential
# down-turn effect for the highest dose group "4":
data(methyl)
# many-to-one:
methylD<-poly3test(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Dunnett", method = "ADD1")
methylD
```

```
# Williams-Contrast:
methylW<-poly3test(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Williams", method = "ADD1", alternative="greater" )
methylW
# Changepoint-Contrast:
methylCh<-poly3test(time=methyl$death, status=methyl$tumour,
    f=methyl$group, type = "Change", method = "ADD1", alternative="greater" )
methylCh
```

```
powerbinom
```

Approximate power for multiple contrast tests of binomial proportions.

## Description

Approximative power calculation for multiple contrast tests of binomial proportions (based on risk differences, or odds ratios), based on probabilities of the multivariate standard normal distribution.

## Usage

```
powerbinom(p, n, alpha = 0.05, type = "Dunnett", cmat = NULL,
    rhs = 0, alternative = c("two.sided", "less", "greater"),
    ptype = c("global", "anypair", "allpair"), method = "Wald", crit = NULL, ...)
    powerbinomOR(p, n, alpha = 0.05, type = "Dunnett", cmat = NULL,
        rhs = 1, alternative = c("two.sided", "less", "greater"),
        ptype = c("global", "anypair", "allpair"),
        crit = NULL, ...)
```


## Arguments

p
n
alpha
type
cmat optional, a matrix fo contrast coefficients (with number of columns = number of treatmenmt groups and number of rows = number of comparisons); if cmat is not specified, the type of multiple contrast test to be applied on the proportions p is chosen according to argument type

| rhs | a (vector of) numeric value(s), specifying the right hand sides of the alterna- <br> tive hypotheses, default is 0 for the risk difference (powerbinom), and 1 for the |
| :--- | :--- |
| odds ratio (powerbinomOR), if values greater or less than the default are speci- |  |
| fied, power for shifted tests (non-inferiority, superiority) is computed; Note that |  |
| the latter primarily makes sense for one-sided hypotheses. A warning is given |  |
| when alternative ="two. sided" with rhs!=0 or rhs! =1 for difference or |  |
| oddsratios, respectively. |  |
| alternative character string, specifying the direction of the alternative hypotheses, options |  |
| are "two.sided", "less", "greater"; alternative primarily controls for which di- |  |
| rectional decisions power is calculated, in case that argument crit is not speci- |  |
| fied, alternative also controls the choice of the critical value. |  |

## Details

For (standard type and user-defined) multiple contrast tests of proportions in 2 xk contigency tables assuming the binomial distribution and k treatment groups, different types of rejection probabilities in the multiple testing problem can be computed. Based on a central multivariate normal distribution, equicoordinate critical points for the test are computed, different critical points for the test can be specified in crit.
Via computing probabilities of non-central multivariate normal distributions pmvt(mvtnorm) one can calculate:

The global rejection probability (power="global"), i.e. the probability that at least one of the elementary null hypotheses is rejected, irrespective, whether this (or any contrast!) is under the corresponding elementary alternative). As a consequence this probability involves elementary type-II-errors for those contrasts which are under their elementary null hypothesis.

The probability to reject at least one of those elementary null hypotheses which are indeed under their corresponding elementary alternatives (ptype="anypair"). Technically, this is achieved by omitting those contrasts under the elementary null and, for a given critical value, compute the rejection probability from a multivariate normal distribution with reduced dimension. Note that for 'two-sided' alternatives, type III-errors (rejection of the two-sided null in favor of the wrong direction) are included in the power.

The probability to reject all elementary null hypotheses which are indeed under their corresponding elementary alternatives (power="allpair"). Also here, for 'two-sided' alternatives, the type IIIerror contributes to the computed 'allpair power'. Note further that two-sided allpair power is simulated based on multivariate normal random numbers.
Whether a given hypothesis is under the alternative hypothesis is currently checked via abs(L-rhs) > 10*.Machine\$double where L is the constrasts true value depending on $p$ and the contrast matrix and rhs the right hand side of the null hypothesis. For alternatives "less" or "greater", the corresponding checks are: (L-rhs) < -10*.Machine\$double.eps and (L-rhs) > 10*.Machine\$double.eps, respectively.
For the case of differences or proportion (powerbinom) the underlying methods are closely related to those described in Bretz and Hothorn (2002). The methods here differ from that of Bretz and Hothorn (2002) by using a variance estimator in the teststatistic based of unpooled sample rpoportions, not a pooled variances estimator under H0. A description is also given in Schaarschmidt, Biesheuvel and Hothorn, 2009. The method implemented for the odds ratio corresponds to the asymptotic intervals given in Holford et al. 1989, the power computation is a straightforward generalization of the methods above, assuming asymptotic normality at the scale of log odds.

## Value

A list consisting of the following items:

| power | a numeric value the computed power, with estimated computational error as an <br> attribute |
| :--- | :--- |
| p | the input vector of expected groupwise proportions <br> the input vector of group sample sizes |
| conexp | a data frame containing the contrast matrix, the expected values of the contrasts <br> given p (expContrast), the right hand sides of the hypotheses (rhs, as input), the <br> expected values of the test statistics corresponding to the contrasts and rhs, and <br> a column of logical values indicating whether the corresponding contrasts was <br> under the alternative (under HA) |
| crit | a single numeric value, the critical value used for power computation |
| alternative | a single character string, as input <br> ptype |
| a single character string, as input |  |
| alpha | a single numeric value, as input |

## Warning

Note that the the tests for which power is computed as well as the power computation itself relies on simple approximations of binomial distribution by normal distributions. It is known that the test procedures do not control FWER for small $n$ and extreme proportions p. Hence, computed power may substantially deviate from the true power of the methods a) due to the fact that the tests have sizes deviating from the nominal level, b) due to insufficient approximation in the power calculation. Simulations show that absolute deviations of approximate power from simulated power are large if low values of $\mathrm{n}^{*} \mathrm{p}$ or $\mathrm{n}^{*}(1-\mathrm{p})$ are involved and if power is low (i.e. power<0.3).

## Author(s)

Frank Schaarschmidt

## References

Genz A, Bretz F (1999): Numerical computation of multivariate t-probabilities with application to power calculation of multiple contrasts. Journal of Statistical Computation and Simulation, 63, 4, 361-378.

Bretz F, Hothorn LA (2002): Detecting dose-response using contrasts: asymptotic power and sample size determination for binomial data. Statistics in Medicine, 21, 22, 3325-3335.
Holford, TR, Walter, SD and Dunnett, CW (1989): Simultaneous interval estimates of the odds ratio in studies with two or more comparisons. Journal of Clinical Epidemiology 42, 427-434.
Schaarschmidt F, Biesheuvel E, Hothorn LA (2009): Asymptotic simultaneous confidence intervals for many-to-one comparisons of binray proportions in randomized clinical trials. Journal of Biopharmaceutical Statistics 19, 292-310.

## Examples

```
# Assume, one wants to perform a test for increasing trend
# using Williams type of contrasts among I=5 groups
# (e.g. 4 doses and one control).
# Proportions are assumed to have values
# pi=(0.1,0.12,0.14,0.14,0.2) under the alternative.
powerbinom(p=c(0.1, 0.12, 0.14, 0.14, 0.2),
    n=c(100,100,100,100,100), type = "Williams",
    alternative = "greater")
powerbinom(p=c(0.1, 0.12, 0.14, 0.14, 0.2),
    n=c(150,150,150,150,150), type = "Williams",
    alternative = "greater")
powerbinom(p=c(0.1, 0.12, 0.14, 0.14, 0.2),
    n=c(190,140,140,140,140), type = "Williams",
    alternative = "greater")
# probability to show for at least one group (2,3,4)
# a significant reduction versus control (1)
powerbinom(p=c(0.3, 0.15, 0.15, 0.15),
    n=c(140,140,140,140), type = "Dunnett",
    alternative = "less")
# probability to show for at least one group (2,3,4)
# a significant reduction versus control (1) of more
# than 0.05 percent
powerbinom(p=c(0.3, 0.15, 0.15, 0.15),
    n=c(140,140,140,140), type = "Dunnett",
    alternative = "less", rhs=-0.05)
# probability to show for all groups (2,3,4)
```

```
# a significant reduction versus control (1) of more
# than 0.05 percent
powerbinom(p=c(0.3, 0.15, 0.15, 0.15),
    n=c(140,140,140,140), type = "Dunnett",
    alternative = "less", rhs=-0.05, ptype="allpair")
# probability to show for at least one group (2,3,4)
# a significant reduction versus control (1)
powerbinom(p=c(0.3, 0.15, 0.15, 0.15),
    n=c(140,140,140,140), type = "Dunnett",
    alternative = "less")
powerbinomOR(p=c(0.3, 0.15, 0.15, 0.15),
    n=c(140,140,140,140), type = "Dunnett",
    alternative = "less")
```

powermcpn Approximative power calculation for multiple contrast tests

## Description

Approximative power calculation for multiple contrast tests which are based on normal approximation.

## Usage

```
powermcpn(ExpTeststat, corrH1, crit, alternative = c("two.sided", "less", "greater"),
```

    alpha \(=0.05\), ptype = c("global", "anypair", "allpair"), ...)
    
## Arguments

| ExpTeststat | numeric vector: the expectation of the test statistics under the alternative <br> corrH1 <br> a numeric matrix, the correlation matrix of the teststatistics under the alternative, <br> must have same number of columns and rows as length of ExpTeststat |
| :--- | :--- |
| crit | a single numeric value, the critical value of the test; if not specified a critical <br> value is computed as an equicoordinate (1-alpha) quantile of a central multi- <br> variate normal distribution with correlation corrH1 |
| alternative $\quad$a character string, specifying the direction of the alternative hypotheses, options <br> are "two.sided", "less", "greater"; alternative primarily controls for which di- <br> rectional decisions power is calculated, in case that argument crit is not speci- <br> fied, alternative also controls the choice of the critical value. |  |
| alpha $\quad$a single numeric value: the FWER for the multiple test, defaults to 0.05 |  |

ptype a single character string, naming the type of rejection probability to be computed; options are "global" for the overall rejection probability (irrespective which contrasts are under the null or the alternative), "anypair" for the rejection probability considering only those contrasts under the alternative, "global" for the probability that all elementary alternatives are rejected.
further arguments, which are passed to the functions qmvnorm and pmvnorm, mainly to control the computation errors, see help GenzBretz(mvtnorm) for details

## Details

For (standard type and user-defined) multiple contrast tests based on approximation with the multivariate normal distribution, three types of rejection probabilities in the multiple testing problem can be computed.
The global rejection probability (power="global"), i.e. the probability that at least one of the elementary null hypotheses is rejected, irrespective, whether this (or any contrast!) is under the corresponding elementary alternative). As a consequence this probability involves elementary type-II-errors for those contrasts which are under their elementary null hypothesis.

The probability to reject at least one of those elementary null hypotheses which are indeed under their corresponding elementary alternatives (power="anypair"). Technically, this is achieved by omitting those contrasts under the elementary null and, for a given critical value, compute the rejection probability from a multivariate normal distribution with reduced dimension. Note that for 'two-sided' alternatives, type III-errors (rejection of the two-sided null in favor of the wrong direction) are included in the power.
The probability to reject all elementary null hypotheses which are indeed under their corresponding elementary alternatives (power="allpair"). Also here, for 'two-sided' alternatives type III-error contribute to the computed 'allpair power'. Note further that two-sided allpair power is simulated based on multivariate normal random numbers.
Whether a given hypothesis is under the alternative hypothesis is currently checked via abs (ExpTeststat) > 10*.Machine\$ ExpTeststat < $-10 *$. Machine\$double.eps and ExpTeststat > 10*.Machine\$double.eps, for alternatives c("two.sided", "less", "greater"), respectively.

## Value

A list consisting of the following items:

| power | a numeric value the computed power, with estimated computational error as an <br> attribute <br> the expected values of the test statistics corresponding to the contrasts and rhs, <br> and a column with [0,1] values, indicating whether the corresponding contrasts <br> was under the alternative (1) or under the null (0) |
| :--- | :--- |
| conexp | a single numeric value, the critical value used for power computation |
| crit | a single character string, as input <br> alternative <br> ptype |
| a single character string, as input |  |
| alpha | a single numeric value, as input |

## Author(s)

Frank Schaarschmidt

```
powermcpt
```

Testversion. Power calculation for multiple contrast tests (1-way ANOVA model)

## Description

Testversion. Calculate the power of a multiple contrast tests of k means in a model with homogeneous Gaussian errors, using the function $\mathrm{pmvt}(m v t n o r m)$ to calculate multivariate t probabilities. Different options of power defineition are "global": the overall rejection probability (the probability that at the elementary null is rejected for at least one contrast, irrespective of being under the elementary null or alternative), "anypair": the probability to reject any of the elementary null hypotheses for those contrasts that are under the elmentary alternatives, "allpair": and the probability that all elementary nulls are rejected which are indeed under the elementary nulls. See Sections 'Details' and 'Warnings'!

## Usage

```
powermcpt(mu, n, sd, cmat = NULL, rhs=0, type = "Dunnett",
    alternative = c("two.sided", "less", "greater"), alpha = 0.05,
    ptype = c("global", "anypair", "allpair"), crit = NULL, ...)
```


## Arguments

$\mathrm{mu} \quad$ a numeric vector of expected values in the k treatment groups
$\mathrm{n} \quad$ a numeric vector of sample sizes in the $k$ treatment groups
sd a single numeric value, specifying the expected standard deviation of the residual error
cmat optional specification of a contrast matrix; if specified, it should have as many columns as there are groups in arguments mu and $n$ and it should have at least 2 rows, if specified, argument type is ignored, if not specified, the contrast is determined by argument type
rhs numeric vector, specifying the right hand side of the hyptheses to test, defaults to 0 , other specifications lead to tests of non-inferiority and superiority.
type a single character string, naming one of the contrast types available in contrMat (multcomp); argument is ignored if cmat is specified
alternative a single character string, specifying the direction of the alternative hypothesis, one of "two. sided", "less", "greater". Note that this argument governs how the multivariate $t$ probabilities are evaluated as well as the computation of the critical value if none is specified (i.e. default crit=NULL)
alpha a single numeric value, familywise type I error to be controlled, is ignored if argument crit is specified

$$
\begin{array}{ll}
\text { ptype } & \begin{array}{l}
\text { a single character string, naming the type of rejection probability to be com- } \\
\text { puted; options are "global" for the global rejection probability, "anypair" for } \\
\text { the rejection probability considering only those contrasts under the alternative, } \\
\text { "global" for the probability that all elementary alternatives are rejected. }
\end{array} \\
\text { crit } & \begin{array}{l}
\text { a single numeric value to serve as equicoordinate critical point in the multiple } \\
\text { test; if it is not specified, it is computed as a quantile of the multivariate } t \text { dis- } \\
\text { tribution based on the specifications in arguments } n, \text { cmat (or type); note that } \\
\text { for alternatives 'two.sided' and 'greater', crit should be a single positive } \\
\text { value, while for alternative 'less', crit should be a single negative value. }
\end{array} \\
\ldots & \begin{array}{l}
\text { further arguments, which are passed to the functions qmvt and pmvt, mainly to } \\
\text { control the computation errors, see help GenzBretz (mvtnorm) for details }
\end{array}
\end{array}
$$

## Details

In a homoscedastic Gaussian model with k possibly different means compared by (user-defined) multiple contrast tests, different types of rejection probabilities in the multiple testing problem can be computed. Based on a central multivariate $t$ distribution with $\mathrm{df}=\mathrm{sum}(\mathrm{n})-\mathrm{k}$ appropriate equicoordinate critical points for the test are computed, different critical points can be specified in crit Computing probabilities of non-central multivariate $t$ distributions pmvt (mvtnorm) one can calculate:
The global rejection probability (power="global"), i.e. the probability that at least one of the elementary null hypotheses is rejected, irrespective, whether this (or any contrast!) is under the corresponding elementary alternative). As a consequence this probability involves elementary type-II-errors for those contrasts which are under their elementary null hypothesis.
The probability to reject at least one of those elementary null hypotheses which are indeed under their corresponding elementary alternatives (power="anypair"). Technically, this is achieved by omitting those contrasts under the elementary null and compute the rejection probability for a given criticla value from a multivariate $t$ distribution with reduced dimension. Note that for 'two-sided' alternatives, type III-errors (rejection of the two-sided null in favor of the wrong direction) are included in the power.
The probability to reject all elementary null hypotheses which are indeed under their corresponding elementary alternatives (power="allpair"). Also here, for 'two-sided' alternatives type III-error contribute to the computed 'allpair power'. Note further that two-sided allpair power is simulated based on multivariate $t$ random numbers.

## Value

A list consisting of the following items:
power a numeric value the computed power, with estimated computational error as an attribute
$\mathrm{mu} \quad$ the input vector of expected values of group means
n the input vector of group sample sizes
conexp a data frame containing the contrast matrix, the expected values of the contrasts given mu (expContrast), the right hand sides of the hypotheses (rhs, as input), the expected values of the test statistics corresponding to the contrasts and rhs, and a column of logical values indicating whether the corresponding contrasts was under the alternative (under HA)

| crit | a single numeric value, the critical value used for power computation |
| :--- | :--- |
| alternative | a single character string, as input |
| ptype | a single character string, as input |
| alpha | a single numeric value, as input |

## Warning

This is a test version, which has roughly (but not for an extensive number of settings) been checked by simulation. Any reports of errors/odd behaviour/amendments are welcome.

## Author(s)

Frank Schaarschmidt

## References

Genz A, Bretz F (1999): Numerical computation of multivariate t-probabilities with application to power calculation of multiple contrasts. Journal of Statistical Computation and Simulation, 63, 4, 361-378. Bretz F, Hothorn LA (2002): Detecting dose-response using contrasts: asymptotic power and sample size determination for binomial data. Statistics in Medicine, 21, 22, 3325-3335. Bretz F, Hayter AJ and Genz A (2001): Critical point and power calculations for the studentized range test for generally correlated means. Journal of Statistical Computation and Simulation, 71, 2, 85-97. Dilba G, Bretz F, Hothorn LA, Guiard V (2006): Power and sample size computations in simultaneous tests for non-inferiority based on relative margins. Statistics in Medicien 25, 11311147.

## Examples

```
powermcpt(mu=c(3,3,5,7), n=c(10,10,10,10), sd=2, type = "Dunnett",
    alternative ="greater", ptype = "global")
powermcpt(mu=c(3,3,5,7), n=c(10,10,10,10), sd=2, type = "Williams",
    alternative ="greater", ptype = "global")
powermcpt(mu=c(3,3,5,7), n=c(10,10,10,10), sd=2, type = "Dunnett",
    alternative ="greater", ptype = "anypair")
powermcpt(mu=c(3,3,5,7), n=c(10,10,10,10), sd=2, type = "Williams",
    alternative ="greater", ptype = "anypair")
powermcpt(mu=c(3,4,5,7), n=c(10,10,10,10), sd=2, type = "Dunnett",
    alternative ="greater", ptype = "allpair")
powermcpt(mu=c(3,2,1,-1), n=c(10,10,10,10), sd=2, type = "Dunnett",
    alternative ="greater", ptype = "allpair")
```

```
print.multinomORci Print out put of multinomORci
```


## Description

For output of function multinomORci: print ot confidence intervals or coerce out put to a data.frame.

## Usage

\#\# S3 method for class 'multinomORci'
print (x, exp = TRUE, ...)
\#\# S3 method for class 'multinomORci'
as.data.frame(x, row.names = NULL, optional = FALSE, exp = TRUE, ...)

## Arguments

X an object of class multinomORci
$\exp \quad$ logical; if exp=TRUE interval limits are exp-transformed to yield limits on the sclae of odds-ratios; if exp=FALSE interval limits are printed/Returned on the logit scale
row.names see as.data.frame
optional see as.data.frame
...
arguments to be passed to print, or as.data.frame

## Examples

```
# fakle data: 3 categories (A,B,C) in 4 tretament groups c(co,d1,d2,d3)
dm <- rbind(
"co" = c(15,5,5),
"d1" = c(10,10,5),
"d2" = c(5,10,10),
"d3" = c(5,5, 15))
colnames(dm)<- c("A", "B", "C")
    dm
    # define and name odds between categories
    cmodds <- rbind(
    "B/A"=c(-1, 1,0),
    "C/A"=c(-1,0,1))
    # define and name comparsions between groups
    cmtrt <- rbind(
    "d1/co"=c(-1,1,0,0),
    "d2/co"=c(-1,0,1,0),
    "d3/co"=c(-1,0,1,0))
```

```
TEST <- multinomORci(Ymat=dm, cmcat=cmodds, cmgroup=cmtrt, cimethod="DP", BSIM=1000, prior=1)
TEST
print(TEST, exp=FALSE)
as.data.frame(TEST)
```

printfunctions Print methods for the classes in this package

## Description

Print methods for objects of the corresponding classes.

## Usage

```
## S3 method for class 'binomORci'
print(x, ...)
## S3 method for class 'binomRDci'
print(x, digits = 4, ...)
## S3 method for class 'binomRDtest'
print(x, digits = 4, ...)
## S3 method for class 'binomRRci'
print(x, digits = 4, ...)
## S3 method for class 'poly3ci'
print(x, digits = 4, ...)
## S3 method for class 'poly3est'
print(x, digits = 4, ...)
## S3 method for class 'poly3test'
print(x, digits = 4, ...)
## S3 method for class 'Shannonci'
print(x, ...)
## S3 method for class 'Simpsonci'
print(x, ...)
```


## Arguments

| $x$ | an object of the corresponding class |
| :--- | :--- |
| digits | the number of digits to be used for rounding |

Value
A print out. a joint empirical distribution.

## Description

Given a large sample of N values from an M dimensional joint empirical distribution, the rank based method of Besag et al. (1995) is used to compute a rectangular M-dimensional 'confidence' set that includes $\mathrm{N}^{*}$ conf.level values of the sample.

## Usage

SCSrank(x, conf.level = 0.95, alternative = "two.sided", ...)

## Arguments

x
conf.level the simultaneous confidence level, a single numeric value between 0 and 1 , defaults to 0.95 for simultaneous 95 percent sets
alternative a single character string related to hypotheses testing, "two.sided" invokes two-sided confidence sets, "less" invokes sets with upper limits only and "greater" invokes sets with lower limits only,
... currently ignored

## Value

an Mx2 (alternative="two. sided") matrix containing the lower and upper confidence limist for the M dimensions, in case of alternative="less", alternative="greater" the lower and upper bounds are replaced by -Inf and Inf, respectively.

## Author(s)

Frank Schaarschmidt

## References

Besag J, Green P, Higdon D, Mengersen K (1995). Bayesian Computation and Stochastic Systems. Statistical Science 10, 3-66. Mandel M, Betensky RA. Simultaneous confidence intervals based on the percentile bootstrap approach. Computational Statistics and Data Analysis 2008; 52(4): 2158-2165.

## Examples

```
x <- cbind(rnorm(1000,1,2), rnorm(1000,0,2), rnorm(1000,0,0.5), rnorm(1000,2,1))
dim(x)
cm <- rbind(c(-1,1,0,0), c(-1,0,1,0), c(-1, 0,0,1))
xd <- t(apply(x, 1, function(x){crossprod(t(cm), matrix(x))}))
pairs(xd)
SCSrank(xd, conf.level=0.9)
```


## Description

Calculates simultaneous and local confidence intervals for differences of Shannon indices under the assumption of multinomial count data.

## Usage

Shannonci(X, f, cmat = NULL, type = "Dunnett", alternative = "two.sided", conf.level = 0.95, dist = "MVN", ...)

## Arguments

X
f
cmat
type a single character string, currently one of "Dunnett","Tukey","Sequen"
alternative a single character string, one of "two.sided","less" (upper bounds),"greater" (lower bounds)
conf.level the confidence level of the simultaneous (or local) confidence intervals
dist a single character string, defining the type of quantiles to be used for interval calculation; "MVN" invokes simultaneous intervals, " N " invokes unadjusted confidence intervals with coverage probability conf.level for each of them
further arguments to be passed; currently only base is used, a single integer value, specifying which group to be taken as the control in case that type="Dunnett", ignored otherwise

## Details

This function implements confidence intervals described by Fritsch and Hsu (1999) for the difference of Shannon indices between several groups. Deviating from Fritsch and Hsu, quantiles of the multivariate normal distribution based on a plug-in-estamator for the correlation matrix.
Note, that this approach, by assuming multinomial distribution for the vectors of counts, ignores the variability of the individual samples. If such extra-multinomial variatio is present in the data, the intervals will be too narrow, coverage probability will be substantially lower than specified in 'conf.level'. Consider approaches based on bootstrap instead (e.g., package simboot).

## Value

A list containing the elements:

```
conf.int a matrix, containing the lower and upper confidence limits in the columns
quantile a single numeric value, the quantile used for interval calculation
estimate a matrix,containing the point estimates of the contrasts in its column
cmat the contrast matrix used
methodname a character string, for printing
sample.estimate
A list of sample estimates as returned by estShannonf
```

and some of the input arguments

## Author(s)

Frank Schaarschmidt

## References

Fritsch, KS, and Hsu, JC (1999): Multiple Comparison of Entropies with Application to Dinosaur Biodiversity. Biometrics 55, 1300-1305. Scherer, R, Schaarschmidt, F, Prescher, S, and Priesnitz, $K U$ (2013): Simultaneous confidence intervals for comparing biodiversity indices estimated from overdispersed count data. Biometrical Journal 55,246-263.

## See Also

Simpsonci for simultaneous and local intervals of differences of the Simpson index

## Examples

```
data(HCD)
HCDcounts<-HCD[,-1]
HCDf<-HCD[,1]
# Comparison to the confidence bounds shown in
```

```
# Fritsch and Hsu (1999), Table 5, "Standard normal".
cmat<-rbind(
"HM-HU"=c(0, 1,-1),
"HL-HM"=c(1,-1,0),
"HL-HU"=c(1,0,-1)
)
Shannonci(X=HCDcounts, f=HCDf, cmat=cmat,
    alternative = "two.sided", conf.level = 0.9, dist = "N")
# Note, that the calculated confidence intervals
# differ from those published by Fritsch and Hsu (1999),
# whenever Lower is involved.
# Comparison to the lower cretaceous,
# unadjusted confidence intervals:
Shannonci(X=HCDcounts, f=HCDf, type = "Dunnett",
    alternative = "greater", conf.level = 0.9, dist = "N")
# Stepwise comparison between the strata,
# unadjusted confidence intervals:
ShannonS<-Shannonci(X=HCDcounts, f=HCDf, type = "Sequen",
    alternative = "greater", conf.level = 0.9, dist = "N")
ShannonS
summary (ShannonS)
plot(ShannonS)
# A trend test based on multiple contrasts:
cmatTREND<-rbind(
"U-LM"=c(-0.5,-0.5,1),
"MU-L"=c(-1,0.5,0.5),
"U-L"=c(-1,0,1)
)
TrendCI<-Shannonci(X=HCDcounts, f=HCDf, cmat=cmatTREND,
    alternative = "greater", conf.level = 0.95, dist = "MVN")
TrendCI
plot(TrendCI)
```


## Description

Calculates simultaneous and local confidence intervals for differences of Simpson indices under the assumption of multinomial count data.

## Usage

```
Simpsonci(X, f, cmat = NULL, type = "Dunnett",
    alternative = "two.sided", conf.level = 0.95, dist = "MVN", ...)
```


## Arguments

$x$
$f \quad$ a factor variable of length $n$, grouping the observations in $X$
cmat an contrast matrix; the number of columns should match the number of levels in f
type a single character string, currently one of "Dunnett","Tukey","Sequen"
alternative a single character string, one of "two.sided","less" (upper bounds),"greater" (lower bounds)
conf.level the confidence level of the simultaneous (or local) confidence intervals
dist a single character string, defining the type of quantiles to be used for interval calculation; "MVN" invokes simultaneous intervals, "N" invokes unadjusted confidence intervals with coverage probability conf.level for each of them
.. further arguments to be passed; currently only base is used, a single integer value, specifying which group to be taken as the control in case that type="Dunnett", ignored otherwise

## Details

This function implements confidence intervals described by Rogers and Hsu (1999) for the difference of Shannon indices between several groups. Deviating from Fritsch and Hsu, quantiles of the multivariate normal distribution based on a plug-in-estamator for the correlation matrix.
Note, that this approach, by assuming multinomial distribution for the vectors of counts, ignores the variability of the individual samples. If such extra-multinomial variatio is present in the data, the intervals will be too narrow, coverage probability will be substantially lower than specified in 'conf.level'. Consider approaches based on bootstrap instead (e.g., package simboot).

## Value

A list containing the elements:

| conf.int | a matrix, containing the lower and upper confidence limits in the columns |
| :--- | :--- |
| quantile | a single numeric value, the quantile used for interval calculation |
| estimate | a matrix,containing the point estimates of the contrasts in its column |
| cmat | the contrast matrix used |
| methodname | a character string, for printing |
| sample.estimate | A list of sample estimates as returned by estShannonf |

and some of the input arguments.

## Author(s)

Frank Schaarschmidt

## References

Rogers, JA and Hsu, JC (2001): Multiple Comparisons of Biodiversity. Biometrical Journal 43, 617-625.

## See Also

Shannonci

## Examples

```
data(HCD)
HCDcounts<-HCD[,-1]
HCDf<-HCD[,1]
# Rogers and Hsu (2001), Table 2:
# All pair wise comparisons:
Simpsonci(X=HCDcounts, f=HCDf, type = "Tukey",
    conf.level = 0.95, dist = "MVN")
# Rogers and Hsu (2001), Table 3:
# Comparison to the lower cretaceous:
Simpsonci(X=HCDcounts, f=HCDf, type = "Dunnett",
    alternative = "less", conf.level = 0.95, dist = "MVN")
# Note, that the confidence bounds here differ
# from the bounds in Rogers and Hsu (2001)
# in the second digit, whenever the group Upper
```

```
# is involved in the comparison.
    # Stepwise comparison between the strata:
    SimpsonS<-Simpsonci(X=HCDcounts, f=HCDf, type = "Sequen",
    alternative = "greater", conf.level = 0.95, dist = "MVN")
    SimpsonS
    summary(SimpsonS)
    plot(SimpsonS)
    # # # Hell Creek Dinosaur data:
    # Is there a downward trend in biodiversity during the
    # Creataceous period?
    # A trend test based on multiple contrasts:
cmatTREND<-rbind(
"U-LM"=c (-0.5, -0. 5, 1),
"MU-L"=c(-1,0.5,0.5),
"U-L"=c(-1,0,1)
)
TrendCI<-Simpsonci(X=HCDcounts, f=HCDf, cmat=cmatTREND,
    alternative = "greater", conf.level = 0.95, dist = "MVN")
TrendCI
plot(TrendCI)
```

    summary.binomORci Detailed print out for binomORci
    
## Description

Produces a more detailed print out of objects of class "binomORci", including summary statistics, the used contrast matrix and the confidence intervals.

## Usage

\#\# S3 method for class 'binomORci'
summary (object, ...)

## Arguments

object an object of class "binomORci" as created by function binomORci

## Value

A print out.

## Examples

```
x<-c(1,3,6,7,5)
n<-c(30,30,30,30,30)
names<-LETTERS[1:5]
ORD<-binomORci(x=x, n=n, names=names,
    type="Dunnett", alternative="greater")
summary(ORD)
ORW<-binomORci(x=x, n=n, names=names,
    type="Williams", alternative="greater")
summary(ORW)
```


## Description

Produces a more detailed print out of objects of class "binomRDci", including summary statistics, the used contrast matrix and the confidence intervals.

## Usage

\#\# S3 method for class 'binomRDci'
summary (object, ...)

## Arguments

object an object of class "binomRDci" as created by function binomRDci
... further arguments to be passed to summary, currently only digits for rounding is supported

## Value

A print out.

## Examples

```
data(liarozole)
head(liarozole)
LiWi<-binomRDci(Improved ~ Treatment, data=liarozole,
    type="Williams")
LiWi
summary(LiWi)
```


## Description

Produces a more detailed print out of objects of class "binomRDtest", including summary statistics, the used contrast matrix and the p-values.

## Usage

\#\# S3 method for class 'binomRDtest'
summary(object, ...)

## Arguments

object an object of class "binomRDtest" as created by function binomRDtest
further arguments to be passed to summary, currently only digits for rounding is supported

## Value

A print out.

## Examples

```
ntrials <- c(40,20,20,20)
xsuccesses <- c(1,2,2,4)
names(xsuccesses) <- LETTERS[1:4]
test<-binomRDtest(x=xsuccesses, n=ntrials, method="ADD1",
```

```
    type="Changepoint", alternative="greater")
test
summary(test)
```

    summary.binomRRci Detailed print out for binomRRci
    
## Description

Produces a more detailed print out of objects of class "binomRRci", including summary statistics, the used contrast matrix and the confidence intervals.

## Usage

\#\# S3 method for class 'binomRRci'
summary(object, ...)

## Arguments

object an object of class "binomRRci" as created by function binomRRci
... further arguments to be passed to summary, currently only digits for rounding is supported

Value
A print out.

## Examples

```
data(liarozole)
head(liarozole)
LiDu<-binomRRci(Improved ~ Treatment, data=liarozole,
    type="Dunnett", alternative="greater")
LiDu
summary(LiDu)
```

summary.poly3est Detailed print out for poly3est

## Description

Summary statistics for long-term carcinogenicity data, including poly-3-estimates. For internal use.

```
Usage
\#\# S3 method for class 'poly3est'
summary (object, ...)
```


## Arguments

$\begin{array}{ll}\text { object } & \text { An object of class "poly3est", as can be obtained by poly3est } \\ \ldots . & \text { further argument for the print out, as e.g. digits for rounding }\end{array}$

Details
For internal use.

## Value

A print out.

## Author(s)

Frank Schaarschmidt

## Examples

```
data(methyl)
head(methyl)
estk3<-poly3estf(time=methyl$death, status=methyl$tumour, f=methyl$group)
summary(estk3)
estk5<-poly3estf(time=methyl$death, status=methyl$tumour, f=methyl$group, k=5)
summary(estk5)
```


## Description

Produces a detailed print out of the results of the function Shannonci.

## Usage

\#\# S3 method for class 'Shannonci'
summary (object, ...)

## Arguments

$$
\begin{array}{ll}
\text { object } & \text { An object of class "Shannonci", see Shannonci } \\
\ldots & \text { further arguments to be passed to print, currently only digits }
\end{array}
$$

## Value

A print out, comprising a table of the (possibly aggregated) data used for estimation, the sample estimates for the Shannon index with bias corrected and raw values, its variance estimates, the used contrast matrix, and the confidence intervals.

## Examples

```
data(HCD)
HCDcounts<-HCD[,-1]
HCDf<-HCD[,1]
# Comparison to the confidence bounds shown in
# Fritsch and Hsu (1999), Table 5, "Standard normal".
cmat<-rbind(
"HM-HU"=c(0,1,-1),
"HL-HM"=c(1,-1,0),
"HL-HU"=c(1,0,-1)
)
ShannonS<-Shannonci(X=HCDcounts, f=HCDf, type = "Sequen",
    alternative = "greater", conf.level = 0.9, dist = "N")
summary(ShannonS)
```


## Description

Produces a detailed print out of the results of function Simpsonci.

## Usage

\#\# S3 method for class 'Simpsonci'
summary (object, ...)

## Arguments

$\begin{array}{ll}\text { object } & \text { an object of class "Simpsonci" as obtained by calling Simpsonci } \\ \ldots & \text { further arguments to be passed to print and round: currently only digits }\end{array}$

## Value

A print out, comprising a table of the (possibly aggregated) data used for estimation, the sample estimates for the Simpsons index, and its variance estimates, the used contrast matrix, and the confidence intervals.

## Examples

```
data(HCD)
HCDcounts<-HCD[,-1]
HCDf<-HCD[,1]
    SimpsonS<-Simpsonci(X=HCDcounts, f=HCDf, type = "Sequen",
    alternative = "greater", conf.level = 0.95, dist = "MVN")
    summary(SimpsonS)
```

    Waldci Simultaneous Wald confidence intervals
    
## Description

General function for simultaneous CIs in a one-way layout using multivariate normal distribution.

## Usage

Waldci(cmat, estp, varp, varcor, alternative = "two.sided", conf.level = 0.95, dist="MVN")

## Arguments

| cmat | Contrast matrix of dimension MxI, with $\mathrm{M}=$ the number of contrasts, $\mathrm{I}=$ the <br> number of samples |
| :--- | :--- |
| estp | numeric vector of point estimates of length I, with $\mathrm{I}=$ the number of samples <br> varp <br> numeric vector of variance estimates of length I, to be used for interval construc- <br> tion |
| varcor | numeric vector of variance estimates of length I |
| alternative | character string |
| conf.level | single numeric vector <br> a character string, "MVN" invokes multiplicity adjustment via the multivariate <br> dist |
|  | normal distribution, " $\mathrm{N} "$ invokes use of quantiles of the univariate normal distri- <br> bution |

## Details

Mainly for internal use.

## Value

A list containing:

```
conf.int a matrix with 2 columns: lower and upper confidence bounds, and M rows
alternative character string, as input
conf.level single numeric value, as input
quantile the quantile used to construct the CIs
```


## Author(s)

Frank Schaarschmidt

## See Also

For user level implementations see: binomRDci, binomORci, poly3ci
Waldtest Simultaneous Wald tests

## Description

General function for adjusted p-values for an UIT in a one-way layout using multivariate normal distribution.

## Usage

```
Waldtest(estp, varp, cmat, alternative = "greater", dist="MVN")
```


## Arguments

| estp | numeric vector of point estimates of length I, with $\mathrm{I}=$ the number of samples |
| :--- | :--- |
| varp | numeric vector of variance estimates of length I, to be used for interval construc- <br> tion |
| cmat | Contrast matrix of dimension MxI, with $\mathrm{M}=$ the number of contrasts, I = the <br> number of samples |
| alternative | character string |
| dist | a character string, where "MVN" invokes the computation of p-values using the <br> multivariate normal distribution, and "N" invokes use p-value computation using <br> the univariate normal distribution |

## Value

A list containing:
teststat a numeric vector of teststatistics of length M
pval a single numeric p-value, the p-value of the maximum test (minimum p-value)
p.val.adj a vector of length $M$, the adjusted $p$-values of the single contrasts
alternative a single character vector, as the input
dist a character string specifying which distribution

## Author(s)

Frank Schaarschmidt

## See Also

For user level implementations see:
binomRDtest, poly3test

## Index

*Topic INTERNAL
corrMatgen, 23
*Topic datagen
censsample, 21
censsamplef, 22
*Topic datasets
bronch, 20
HCD, 28
liarozole, 29
methyl, 33
*Topic hplot
mosaicdiv, 34
plot.sci, 37
plotCI, 38
plotCII, 39
*Topic htest
binomORci, 6
binomRDci, 9
binomRDtest, 14
binomRRci, 17
estShannon, 24
estShannonf, 24
estSimpson, 26
estSimpsonf, 26
lnrci, 30
multinomORci, 35
poly3ci, 41
poly3estf, 45
poly3test, 48
powerbinom, 50
powermcpn, 54
powermcpt, 56
SCSrank, 61
Shannonci, 62
Simpsonci, 65
Waldci, 73
Waldtest, 74
*Topic misc
poly3est, 44
print.multinomORci, 59
*Topic package
MCPAN-package, 2
*Topic power
powermcpn, 54
*Topic print
poly3table, 47
printfunctions, 60
summary.binomORci, 67
summary.binomRDci, 68
summary.binomRDtest, 69
summary.binomRRci, 70
summary. poly3est, 71
summary. Shannonci, 72
summary. Simpsonci, 73
arrows, 39
as.data.frame.multinomORci, 36
as.data.frame.multinomORci
(print.multinomORci), 59
binomest, 7, 10, 16, 18
binomORci, 6, 67, 74
binomRDci, 8, 9, 68, 74
binomRDtest, 14, 69, 75
binomRRci, 17, 70
bronch, 20
censsample, 21
censsamplef, 22
contrMat, 31, 50
corrMatgen, 23
estShannon, 24
estShannonf, 24, 27, 63, 66
estSimpson, 26
estSimpsonf, 24, 26
glm, 7
HCD, 28
liarozole, 29
lndci (lnrci), 30
lnrci, 30
MCPAN (MCPAN-package), 2
MCPAN-package, 2
methyl, 33
mosaicdiv, 34
multinomORci, 35
par, 39
plot, 38
plot.binomORci (plot.sci), 37
plot.binomRDci (plot.sci), 37
plot.binomRRci (plot.sci), 37
plot. poly3ci (plot.sci), 37
plot.sci, $8,12,19,37$
plot. Shannonci (plot.sci), 37
plot. Simpsonci (plot.sci), 37
plotCI, 37, 38, 40
plotCII, 38, 39
poly3ci, 41, 45, 74
poly3est, 44, 46, 71
poly3estf, 45
poly3table, 47
poly3test, 45, 48, 75
powerbinom, 50
powerbinomOR (powerbinom), 50
powermcpn, 54
powermcpt, 56
print.binomORci (printfunctions), 60
print.binomRDci (printfunctions), 60
print.binomRDtest (printfunctions), 60
print.binomRRci (printfunctions), 60
print.multinomORci, 36, 59
print.poly3ci (printfunctions), 60
print. poly3est (printfunctions), 60
print. poly3test (printfunctions), 60
print. Shannonci (printfunctions), 60
print. Simpsonci (printfunctions), 60
printfunctions, 60
SCSrank, 61
Shannonci, 34, 62, 66, 72
Simpsonci, 34, 63, 65, 73
summary.binomORci, 8, 19, 67
summary.binomRDci, 12, 19, 68
summary.binomRDtest, 16, 69
summary.binomRRci, 70
summary. poly3est, 71
summary. Shannonci, 72
summary.Simpsonci, 73
Waldci, 31, 73
Waldtest, 74

