# Package 'SLBDD' 

April 27, 2022
Type Package
Title Statistical Learning for Big Dependent Data
Version 0.0.4
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Description Programs for analyzing large-scale time series data. They include functions for automatic specification and estimation of univariate time series, for clustering time series, for multivariate outlier detections, for quantile plotting of many time series, for dynamic factor models and for creating input data for deep learning programs. Examples of using the package can be found in the Wiley book 'Statistical Learning with Big Dependent Data' by Daniel Peña and Ruey S. Tsay (2021). ISBN 9781119417385.

License GPL-3
Encoding UTF-8
LazyData true
LazyDataCompression xz
RoxygenNote 7.1.1
Depends R (>= 3.5.0)
Imports stats, glmnet, corpcor, forecast, gsarima, cluster, fGarch, imputeTS, methods, MASS, MTS, TSclust, tsoutliers, Matrix, matrixcalc, rnn

## NeedsCompilation no

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Repository CRAN
Date/Publication 2022-04-27 11:20:05 UTC

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```
arimaID Automatic Modeling of a Scalar Time Series
```


## Description

Automatic selection and estimation of a regular or possibly seasonal ARIMA model for a given time series.

## Usage

```
    arimaID(
        zt,
        maxorder = c(5, 1, 3),
        criterion = "bic",
        period = c(12),
        output = TRUE,
        method = "CSS-ML",
        pv = 0.01,
        spv = 0.01,
        transpv = 0.05,
        nblock = 0
    )
```


## Arguments

zt
maxorder Maximum order of $(p, d, q)$ where $p$ is the AR order, $d$ the degree of differencing, and $q$ the MA order. Default value is $(5,1,4)$.
criterion Information criterion used for model selection. Either AIC or BIC. Default is "bic".
period Seasonal period. Default value is 12.
output If TRUE it returns the differencing order, the selected order and the minimum value of the criterion. Default is TRUE.
method Estimation method. See the arima command in R. Possible values are "CSSML", "ML", and "CSS". Default is "CSS-ML".
pv $\quad \mathrm{P}$-value for unit-root test. Default value is 0.01 .
$\mathrm{spv} \quad \mathrm{P}$-value for detecting seasonality. Default value is 0.01 .
transpv $\quad \mathrm{P}$-value for checking non-linear transformation. Default value is 0.05 .
nblock Number of blocks used in checking non-linear transformations. Default value is floor(sqrt(T)).

## Details

The program follows the following steps:

- Check for seasonality: fitting a multiplicative $\operatorname{ARIMA}(\mathrm{p}, 0,0)(1,0,0) \_$s model to a scalar time series and testing if the estimated seasonal AR coefficient is significant.
- Check for non-linear transformation: the series is divided into a given number of consecutive blocks and in each of them the Mean Absolute Deviation (MAD) and the median is computed. A regression of the log of the MAD with respect to the $\log$ of the median is run and the slope defines the non-linear transformation.
- Select orders: maximum order of $(p, d, q)$.


## Value

A list containing:

- data - The time series. If any non-linear transformation is taken, "data" is the transformed series.
- order - Regular ARIMA order.
- sorder - Seasonal ARIMA order.
- period - Seasonal period.
- include.mean - Switch concerning the inclusion of mean in the model.


## Examples

data(TaiwanAirBox032017)
fit <- arimaID(TaiwanAirBox032017[,1])

$$
\text { arimaSpec } \quad \text { Automatic Modeling of a Scalar Non-Seasonal Time Series }
$$

## Description

Select an ARIMA model for a non-seasonal scalar time series. It uses augmented Dickey-Fuller (ADF) test to check for unit roots. The maximum degree of differencing is 2 .

```
Usage
    arimaSpec(
        zt,
        maxorder = c(5, 1, 4),
        criterion = "bic",
        output = FALSE,
        method = "CSS-ML",
        pv = 0.01
    )
```


## Arguments

| zt | T by 1 vector of an observed scalar time series without missing values. |
| :--- | :--- |
| maxorder | Maximum order of $(p, d, q)$ where $p$ is the AR order, $d$ the degree of differenc- <br> ing, and $q$ the MA order. Default value is $(5,1,4)$. |
| criterion | Information criterion used for model selection. Either AIC or BIC. Default is <br> "bic". |
| output | If TRUE it returns the differencing order, the selected order and the minimum <br> value of the criterion. Default is TRUE. |
| method | Estimation method. See the arima command in R. Possible values are "CSS- <br> ML", "ML", and "CSS". Default is "CSS-ML". |
| pv | P-value for unit-root test. Default is 0.01. |

## Details

Find the AR order by checking a pure AR model for the differenced series. The maximum AR order tried is min(default AR order and the order of pure AR model). Check the MA order by checking pure MA model using rank-based Ljung-Box statistics. The maximum MA order tried is the min(default MA order and the order of pure MA model). Finally, sequentially decreasing the AR order and increasing the MA order to obtain best models using the specified criterion function.

## Value

A list containing:

- order - Regular ARIMA order.
- crit - Minimum criterion.
- include.mean - Switch about including mean in the model.


## Examples

data(TaiwanAirBox032017)
fit <- arimaSpec(as.matrix(TaiwanAirBox032017[,1]))

## Description

Check the seasonality of each component of a multiple time series.

## Usage

chksea( $x$, period $=c(12), p=0$, alpha $=0.05$, output $=$ TRUE $)$

## Arguments

period seasonal period. Default value is 12 .

X
p
alpha
output

T by k data matrix: T data points in rows with each row being data at a given time point, and $k$ time series in columns.

Regular AR order. Default value is $\max ($ floor $(\log (T)), 1)$.
Type-I error for the t-ratio of seasonal coefficients. Default value is 0.05 .

## Details

Check the seasonality fitting a seasonal $\operatorname{AR}(1)$ model and a regular $\operatorname{AR}(p)$ model to a scalar time series and testing if the estimated seasonal AR coefficient is significant.

## Value

A list containing:

- Seasonal - TRUE or FALSE.
- period - Seasonal period.


## Examples

data(TaiwanAirBox032017)
output <- chksea(TaiwanAirBox032017[,1])

| chktrans | Check for Possible Non-linear Transformations of a Multiple Time Se- <br> ries |
| :--- | :--- |

## Description

Check for possible non-linear transformations of a multiple time series, series by series.

## Usage

chktrans(x, block $=0$, output $=$ FALSE, period $=1, \mathrm{pv}=0.05$ )

## Arguments

$\mathrm{x} \quad \mathrm{T}$ by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
block Number of blocks used in the linear regression. Default value is floor(sqrt(T)).
output If TRUE it returns the estimates, the code: log, sqrt and No-trans and the numbers of non-linear transformations. Default is TRUE.
period Seasonal period.
pv $\quad$-value $=\mathrm{pv} / \log (1+\mathrm{k})$ is used to check the significance of the coefficients. Default value is 0.05 .

## Details

Each series is divided into a given number of consecutive blocks and in each of them the mean absolute deviation (MAD) and the median are computed. A regression of the $\log$ of the MAD with respect to the log of the median is run and the slope defines the non-linear transformation.

## Value

A list containing:

- InTran - Column locations of series that require log-transformation.
- sqrtTran - Column locations of series that require square-root transformation.
- noTran - Column locations of series that require no transformation.
- tran - A vector indicating checking results, where 0 means no transformation, 1 means logtransformation, 2 means square-root transformation.
- tranX Transformed series. This is only provided if the number of series requiring transformation is sufficiently large, i.e. greater than $2 k p v$.
- Summary Number of time series that require log-transformation, square-root transformation and no transformation.


## Examples

data(TaiwanAirBox032017)
output <- chktrans(TaiwanAirBox032017[,1])

```
clothing Cloth sales in China
```


## Description

Daily sales, in natural logarithms, of a clothing brand in 25 provinces in China from January 1, 2008, to December 9, 2012. The number of observations is 1812.

## Usage

data(clothing)

## Format

An object of class "data.frame".

## References

Chang, J., Guo, B., and Yao, Q. (2018). Principal component analysis for second-order stationary vector time series. The Annals of Statistics, 46(5), 2094-2124.

| Cluskur | Cluster Identification Procedure using Projections on Directions of <br> Extreme Kurtosis Coefficient |
| :--- | :--- |

## Description

Identification of groups using projections of a vector of features of each time series in directions of extreme kurtosis coefficient.

## Usage

ClusKur (x)

## Arguments

x
p by k data matrix: p features or variables for each time series and k time series in columns.

## Value

A list containing:

- lbl-Cluster labels (possible outliers get negative labels).
- ncl - Number of clusters.


## Examples

```
data(Stockindexes99world)
S <- Stockindexes99world[,-1]
v1 <- apply(S,2, mean)
v2 <- apply(S,2, sd)
M <- rbind(v1,v2)
out <- ClusKur(M)
```

```
CPIEurope200015
Price Indexes EUUS
```


## Description

Monthly consumer price indexes of European countries and the United States of America for the period January 2000 to October 2015. There are 33 indexes and the names of the countries are the columns names. The number of observations is 190 .

## Usage

data("CPIEurope200015")

## Format

An object of class "data.frame".

## Source

https://ec.europa.eu/eurostat
dfmpc Dynamic Factor Model by Principal Components

## Description

The function estimates the Dynamic Factor Model by Principal Components and by the estimator of Lam et al. (2011).

## Usage

dfmpc (x, stand $=0$, mth $=4, r$, lagk $=0)$

## Arguments

X
stand Data standardization. The default is stand $=0$ and $x$ is not transformed, if stand $=1$ each column of $x$ has zero mean an if stand=2 also unit variance.
mth Method to estimate the number of factors and the common component (factors and loadings):

- mth $=0$ - the number of factors must be given by the user and the model is estimated by Principal Components.
- $\mathrm{mth}=1$ - the number of factors must be given by the user and the model is estimated using Lam et al. (2011) methodology.
- mth $=2$ - the number of factors is estimated using Bai and Ng (2002) ICP1 criterion and the model is estimated by Principal Components.
- mth $=3$ - the number of factors is estimated using Bai and Ng (2002) ICP1 criterion and the model is estimated using Lam et al. (2011) methodology.
- mth = 4 - the number of factors is estimated by applying once the Lam and Yao (2012) criterion and the model is estimated using Lam et al. (2011) methodology (default method).
- mth $=5$ - the number of factors is estimated using Ahn and Horenstein (2013) test and the model is estimated by Principal Components.
- $m$ th $=6$ - the number of factors is estimated using Caro and Peña (2020) test and the model is estimated using Lam et al. (2011) methodology with the combined correlation matrix.
$r \quad$ Number of factors, default value is estimated by Lam and Yao (2012) criterion.
lagk Maximum number of lags considered in the combined matrix. The default is lagk $=3$.


## Value

A list with the following items:

- $r$ - Estimated number of common factors, if $m t h=0, r$ is given by the user.
- F - Estimated common factor matrix (T x r).
- L - Estimated loading matrix (k x r).
- E - Estimated noise matrix (T x k).
- VarF - Proportion of variability explained by the factor and the accumulated sum.
- MarmaF - Matrix giving the number of AR, MA, seasonal AR and seasonal MA coefficients for the Factors, plus the seasonal period and the number of non-seasonal and seasonal differences.
- MarmaE - Matrix giving the number of AR, MA, seasonal AR and seasonal MA coefficients for the noises, plus the seasonal period and the number of non-seasonal and seasonal differences.


## References

Ahn, S. C. and Horenstein, A. R. (2013). Eigenvalue ratio test for the number of factors. Econometrica, 81(3):1203-1227.
Bai, J. and Ng, S. (2002). Determining the number of factors in approximate factor models. Econometrica, 70(1):191-221.

Caro, A. and Peña, D. (2020). A test for the number of factors in dynamic factor models. UC3M Working papers. Statistics and Econometrics.
Lam, C. and Yao, Q. (2012). Factor modeling for high-dimensional time series: inference for the number of factors. The Annals of Statistics, 40(2):694-726.
Lam, C., Yao, Q., and Bathia, N. (2011). Estimation of latent factors for high-dimensional time series. Biometrika, 98(4):901-918.

## Examples

data(TaiwanAirBox032017)
dfm1 <- dfmpc(as.matrix(TaiwanAirBox032017[1:100,1:30]), mth=4)

DLdata Create an input data matrix for a Deep learning program that uses time series data.

## Description

R command to setup the training and forecasting data for deep learning.

## Usage

DLdata(x, forerate $=0.2, \operatorname{loc} Y=1, \operatorname{lag}=1)$

## Arguments

| x | T by k data matrix: T data points in rows and k time series in columns. |
| :--- | :--- |
| forerate | Fraction of sample size to form the forecasting (or testing) sample. |
| locY | Locator for the dependent variable. |
| lag | Number of lags to be used to form predictors. |

## Value

A list containing:

- Xtrain - Standardized predictors matrix.
- Ytrain - Dependent variable in training sample.
- Xtest - Predictor in testing sample, standardized according to X_train.
- Ytest - Dependent variable in the testing sample.
- nfore - Number of forecasts.


## Examples

$x$ <- matrix(rnorm(7000), nrow=700, ncol=100)
$m 1<-\operatorname{DLdata}(x$, forerate=c(200/nrow(x)), lag=6, locY=6)
draw.coef Random Draw of Coefficients for AR Models and MA Models

## Description

Random draw of polynomial coefficients for stationary AR models or invertible MA models. The resulting polynomial has solutions outside the unit circle.

## Usage

draw. coef(deg, delta $=0.02$ )

## Arguments

$$
\begin{array}{ll}
\text { deg } & \text { Degree of the polynomial. Maximum degree is } 5 . \\
\text { delta } & \text { The minimum distance of a polynomial root from the boundary } 1 \text { or }-1 . \text { The } \\
\text { default is } 0.02 \text {. }
\end{array}
$$

## Value

$c=(c 1, c 2, \ldots)$ denotes the coefficients of $1-c 1 * x-c 2 * x^{2}-\ldots$

## Examples

## Description

Plot the observed time series and selected empirical dynamic quantiles (EDQs) computed as in Peña, Tsay and Zamar (2019).

## Usage

```
    edqplot (
        x ,
        prob \(=c(0.05,0.5,0.95)\),
        h = 30,
        loc = NULL,
        color = c("yellow", "red", "green")
    )
```


## Arguments

x
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
prob Probability, the quantile series of which is to be computed. Default values are $0.05,0.5,0.95$.
h Number of time series used in the algorithm. Default value is 30 .
loc Locations of the EDQ. If loc is not null, then prob is not used.
color Colors for plotting the EDQ. Default is "yellow", "red", and "green".

## Value

The observed time series plot with the selected EDQs.

## References

Peña, D. Tsay, R. and Zamar, R. (2019). Empirical Dynamic Quantiles for Visualization of HighDimensional Time Series, Technometrics, 61:4, 429-444.

## Examples

data(TaiwanAirBox032017)
edqplot(TaiwanAirBox032017[1:100,1:25])

## edqts

Empirical Dynamic Quantile for Visualization of High-Dimensional Time Series

## Description

Compute empirical dynamic quantile (EDQ) for a given probability " p " based on the weighted algorithm proposed in the article by Peña, Tsay and Zamar (2019).

## Usage

edqts ( $x, \mathrm{p}=0.5, \mathrm{~h}=30$ )

## Arguments

$x \quad \mathrm{~T}$ by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
$\mathrm{p} \quad$ Probability, the quantile series of which is to be computed. Default value is 0.5 .
$h \quad$ Number of time series observations used in the algorithm. The larger $h$ is the longer to compute. Default value is 30 .

## Value

The column of the matrix $x$ which stores the "p" EDQ of interest.

## References

Peña, D. Tsay, R. and Zamar, R. (2019). Empirical Dynamic Quantiles for Visualization of HighDimensional Time Series, Technometrics, 61:4, 429-444.

## Examples

data(TaiwanAirBox032017)
edqts(TaiwanAirBox032017[,1:25])

## Description

Data obtained from the Federal Research Bank after process to remove missing values.

## Usage

data("FREDMDApril19")

## Format

An object of class "data.frame".

## Source

https://www.stlouisfed.org/

```
gap.clus Gap statistics
```


## Description

This function computes the gap and the number of groups using the gap statistics.

## Usage

gap.clus(DistanceMatrix, Clusters, B)

## Arguments

DistanceMatrix Square matrix of GCC distances.
Clusters Matrix of member labels.
B Number of iterations for the bootstrap.

## Value

A list containing:

-     - optim.k: number of groups.
-     - gap.values: gap values.


## References

Alonso, A. M. and Peña, D. (2019). Clustering time series by linear dependency. Statistics and Computing, 29(4):655-676.

## Examples

```
data(TaiwanAirBox032017)
library(TSclust)
z <- diff(as.matrix(TaiwanAirBox032017[1:50,1:8]))
Macf <- as.matrix(diss(t(z), METHOD = "ACF", lag.max = 5))
sc1 <- hclust(as.dist(Macf), method = "complete")
memb <- cutree(sc1, 1:8)
ngroups <- gap.clus(Macf, memb, 100)
```

GCCclus Clustering of Time Series Using the Generalized Cross Correlation Measure of Linear dependency

## Description

Clustering of time series using the Generalized Cross Correlation (GCC) measure of linear dependency proposed in Alonso and Peña (2019).

## Usage

GCCclus(x, lag, rs, thres, plot, printSummary = TRUE, lag.set, silh = 1)

## Arguments

x
lag Selected lag for computing the GCC between the pairs of series. Default value is computed inside the program.
rs $\quad$ Relative size of the minimum group considered. Default value is 0.05 .
thres Percentile in the distribution of distances that define observations that are not considered outliers. Default value is 0.9 .
plot If the value is TRUE, a clustermatrix plot of distances and a dendogram are presented. Default is FALSE.
printSummary If the value is TRUE, the function prints a summary table of the clustering. Default is TRUE.
lag. set If lag is not specified and the user wants to use instead of lags from 1 to 'lag' a non consecutive set of lags they can be defined as lag.set $=c(1,4,7)$.
silh If silh $=1$ standard silhoutte statistics and if silh $=2$ modified procedure. Default value is 1 .

## Details

First, the matrix of Generalized Cross correlation (GCC) is built by using the subrutine GCCmatrix, then a hierarchical grouping is constructed and the number of clusters is selected by either the silhouette statistics or a modified silhouette statistics The modified silhouette statistics is as follows:

- (1) Series that join the groups at a distance larger than a given threshold of the distribution of the distances are disregarded.
- (2) A minimum size for the groups is defined by rs, relative size, groups smaller than rs are disregarded.
- (3) The final groups are obtained in two steps:
- First the silhouette statistics is applied to the set of time series that verify conditions (1) and (2).
- Second, the series disregarded in steps (1) and (2) are candidates to be assigned to its closest group. It is checked using the median and the MAD of the group if the point is or it is not an outlier with respect to the group. If it is an outlier it is included in a group 0 of outlier series. The distance between a series and a group is usually to the closest in the group (simple linkage) but could be to the mean of the group.


## Value

A list containing:

-     - Table of number of clusters found and number of observations in each cluster. Group 0 indicates the outlier group in the case it exists.
-     - sal: A list with four objects
- labels: assignments of time series to each of the groups.
- groups: is a list of matrices. Each matrix corresponds to the set of time series that make up each group. For example, $\$$ groups [[i]] contains the set of time series that belong to the ith group.
- matrix: GCC distance matrix.
- gmatrix: GCC distance matrices in each group.
- Two plots are included (1) A clustermatrix plot with the distances inside each group in the diagonal boxes and the distances between series in two groups in off-diagonal boxes (2) the dendogram.


## References

Alonso, A. M. and Peña, D. (2019). Clustering time series by linear dependency. Statistics and Computing, 29(4):655-676.

## Examples

```
data(TaiwanAirBox032017)
output <- GCCclus(TaiwanAirBox032017[1:50,1:8])
```


## Description

Built the GCC similarity matrix between time series proposed in Alonso and Peña (2019).

## Usage

GCCmatrix(x, lag, model, lag.set)

## Arguments

X
lag Selected lag for computing the GCC between the pairs of series. Default value is computed inside the program.
model Model specification. When the value lag is unknown for the user, the model specification is chosen between GARCH model or AR model. Default is ARMA model.
lag. set If lag is not specified and the user wants to use instead of lags from 1 to 'lag' a non consecutive set of lags they can be defined as lag.set $=c(1,4,7)$.

## Value

A list containing:

- DM - A matrix object with the distance matrix.
- k_GCC - The lag used to calculate GCC measure.


## References

Alonso, A. M. and Peña, D. (2019). Clustering time series by linear dependency. Statistics and Computing, 29(4):655-676.

## Examples

data(TaiwanAirBox032017)
output <- GCCmatrix(TaiwanAirBox032017[,1:3])

```
gdpsimple6c8018 Growth of GDP in 6 Countries
```


## Description

$([x(t)-x(t-1)] / x(t-1))$ of United States, United Kingdom, France, Australia, Germany, and Canada. Quarterly data from 1980 to 2018. The original data are downloaded from FRED (Federal Reserve Bank of St Louis). The GDP is based on expenditures.

## Usage

data(gdpsimple6c8018)

## Format

An object of class "data. frame".

## Source

https://fred.stlouisfed.org/

```
    i.plot
        Plot a Selected Time Series Using Quantile as the Background
```


## Description

Plot a selected time series using quantile as the background.

## Usage

i.plot $(x, i d x=1, \operatorname{prob}=c(0.25,0.5,0.75), x t i m e=N U L L)$

## Arguments

x
idx Selected time series.
prob Probability, the quantile series of which is to be computed. Default values are $0.25,0.5,0.75$.
xtime A vector with the values for the x labels. Default values are 1,2,3, $\ldots$

## Value

standardized - Matrix containing the standardized time series.

## Examples

data(TaiwanAirBox032017)
output <- i.plot(TaiwanAirBox032017[,1:3])
i.qplot Plot the Closest Series to a Given Timewise Quantile Series

## Description

Use sum of absolute deviations to select the individual time series that is closest to a given timewise quantile series.

## Usage

i. qplot(x, prob $=0.5$, box $=3$, $x t i m e=N U L L)$

## Arguments

X
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
prob Probability, the quantile series of which is to be computed. Default value is 0.5 .
box Number of boxplots for the difference series between the selected series and the timewise quantile with the given probability. The differences are divided into blocks. Default value is 3 .
xtime A vector with the values for the x labels. Default values are $1,2,3, \ldots$

## Value

A list containing:

- standardized - A matrix containing standardized time series.
- qts - The timewise quantile of order prob.
- selected - The closest time series to the given timewise quantile series.


## Examples

data(TaiwanAirBox032017)
output <- i.qplot(TaiwanAirBox032017[,1:3])

Rank Individual Time Series According to a Given Timewise Quantile Series

## Description

Use sum of absolute deviations to select the individual time series that is closest to a given timewise quantile series.

## Usage

i. $\operatorname{qrank}(x, \operatorname{prob}=0.5)$

## Arguments

x
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
prob Probability, the quantile series of which is to be computed. Default value is 0.5 .

## Value

A list containing:

- standardized - A matrix containing standardized time series.
- qts - The timewise quantile of order prob.
- ranks - Rank of the individual time series according to a the given timewise quantile series.
- crit - Sum of absolute deviations of each individual series. Distance of each series to the quantile.


## Examples

```
data(TaiwanAirBox032017)
output <- i.qrank(TaiwanAirBox032017[,1:3])
```

Lambda.sel

Select the Penalty Parameter of LASSO-type Linear Regression

## Description

Use out-of-sample Root Mean Square Error to select the penalty parameter of LASSO-type linear regression.

## Usage

Lambda.sel(X, y, newX, newY, family = "gaussian", alpha = 1)

## Arguments

| X | Matrix of predictors of the estimation sample. |
| :--- | :--- |
| y | Dependent variables of the estimation sample. |
| newX | Design matrix in the forecasting subsample. |
| new | Dependent variable in the forecasting subsample. |
| alpha | Response type. See the glmnet command in R. Possible types are "gaussian", <br> "binomial", "poisson", "multinomial", "cox", "mgaussian". Default is "gaus- <br> sian". |
|  | The elasticnet mixing parameter, with $0 \leq \alpha \leq 1$. See the glmnet command in <br> R. Default value is 1. |

## Value

A list containing:

- lambda.min - lambda that achieves the minimum mean square error.
- beta - estimated coefficients for lambda.min.
- mse - mean squared error.
- lambda - the actual sequence of lambda values used.


## Examples

$X<-\operatorname{cbind}(r n o r m(200), \operatorname{rnorm}(200,2,1), \operatorname{rnorm}(200,4,1))$
$y<-\operatorname{rnorm}(200)$
newX <- cbind(rnorm(200), $\operatorname{rnorm}(200,2,1), \operatorname{rnorm}(200,4,1))$
newy <- rnorm(200)
output <- Lambda.sel(X, y, newX, newy)
locations032017 Locations of Air-Box Devices in Taiwan

## Description

Latitude and longitude of the Air Boxes used in TaiwanAirBox032017.

## Usage

data(locations032017)

## Format

An object of class "data. frame".

## References

Chen, L.J. et al. (2017). Open framework for participatory PM2.5 monitoring in smart cities. IEEE Access Journal, Vol. 5, pp. 14441-14454.
mdec1to5 Monthly Simple Returns of United States Market Portfolios.

## Description

Based on Market Cap. The first 5 (smallest 10 percentage, next 10 percentage, etc.). The time span is from January 1962 to December 2018. The data is from CRSP (Center of Research for the Security Prices). The first column is calendar time.

## Usage

data("mdec1to5")

## Format

An object of class "data.frame".

## Source

https://www.crsp.org/

## Description

The original data are from FRED (Federal Reserve Bank of St Louis) and the unit is US Dollars. The time span is from January 1992 to December 2018.

## Usage

data("mexpimpcnus")

## Format

An object of class "data.frame".

## Source

https://fred.stlouisfed.org/

```
mts.plot Plot Multiple Time Series in One Frame
```


## Description

Plot multiple time series in one frame and return standardized time series.

## Usage

mts.plot(x, title = "mts plot", scaling = TRUE, xtime = NULL)

## Arguments

x
title Character with the title of the plot. Default title is "mts plot".
scaling If scaling = TRUE (default), then each series is standardized based on its own range. If scaling $=$ FALSE, then the original series is used.
xtime A vector with the values for the x labels. Default values are $1,2,3, \ldots$

## Value

standardized - Matrix containing the standardized time series.

## Examples

data(TaiwanAirBox032017)
output <- mts.plot(TaiwanAirBox032017[,1:5])

```
mts.qplot
```


## Description

Plot timewise quantiles in one frame.

## Usage

```
mts.qplot (
        x ,
        title \(=\) "mts quantile plot",
        prob \(=c(0.25,0.5,0.75)\),
        scaling = TRUE,
        xtime = NULL,
        plot \(=\) TRUE
    )
```


## Arguments

x
title Character with the title of the plot. Default title is "mts quantile plot".
prob Probability, the quantile series of which is to be computed. Default values are $0.25,0.5,0.75$.
scaling If scaling = TRUE (default), then each series is standardized based on its own range. If scaling $=$ FALSE, then the original series is used.
xtime A vector with the values for the x labels. Default values are 1, 2, 3, ...
plot Receives TRUE or FALSE values. If the value is TRUE, a quantile plot is presented. Defaults is TRUE.

## Value

A list containing:

- standardized - A matrix containing standardized time series.
- qseries - Matrix of timewise quantiles series of order prob.


## Examples

```
data(TaiwanAirBox032017)
output <- mts.qplot(TaiwanAirBox032017[,1:5])
```


## Description

Use an upper and a lower timewise quantile series to highlight the possible outliers in a collection of time series.

## Usage

outlier. plot(x, prob $=0.05$, percent $=0.05, x$ time $=$ NULL $)$

## Arguments

x
prob Tail probability. That is, the two quantile series is (prob, 1-prob). prob is restricted to be in $(0,0.15)$. Default value is 0.05 .
percent The number of possible outliers in each side is $\mathrm{T}^{*} \mathrm{k} *$ prob*percent.
xtime A vector with the values for the x labels. Default values are 1, 2, 3, $\ldots$
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.

## Value

A list containing:

- standardized - A matrix containing standardized time series.
- qts - The timewise quantile of order prob.
- minseries - The timewise minimum of the standardized time series.
- maxseries - The timewise maximum of the standardized time series.


## Examples

data(TaiwanAirBox032017)
output <- outlier.plot(TaiwanAirBox032017[,1:3])

```
outlierLasso Outliers LASSO
```


## Description

Use LASSO estimation to identify outliers in a set of time series by creating dummy variables for every time point.

## Usage

```
    outlierLasso(
        zt,
        p = 12,
        crit = 3.5,
        family = "gaussian",
        standardize = TRUE,
        alpha = 1,
        jend = 3
    )
```


## Arguments

| zt | T by 1 vector of an observed scalar time series without missing values. |
| :--- | :--- |
| p | Seasonal period. Default value is 12. |
| crit | Criterion. Default is 3.5. |

## Value

A list containing:

- nAO - Number of additive outliers.
- nLS - Number of level shifts.


## Examples

```
data(TaiwanAirBox032017)
output <- outlierLasso(TaiwanAirBox032017[1:100,1])
```


## Description

Outlier detection in high dimensional time series by using projections as in Galeano, Peña and Tsay (2006).

## Usage

outliers.hdts(x, r.max, type)

## Arguments

$\mathrm{x} \quad \mathrm{T}$ by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
$r$.max The maximum number of factors including stationary and non-stationary.
type $\quad$ The type of series, i.e., 1 if stationary or 2 if nonstationary.

## Value

A list containing:

- x.clean - The time series cleaned at the end of the procedure ( nxm ).
- P.clean - The estimate of the loading matrix if the number of factors is positive.
- Ft.clean - The estimated dynamic factors if the number of factors is positive.
- Nt.clean - The idiosyncratic residuals if the number of factors is positive.
- times.idi.out - The times of the idiosyncratic outliers.
- comps.idi.out - The components of the noise affected by the idiosyncratic outliers.
- sizes.idi.out - The sizes of the idiosyncratic outliers.
- stats.idi.out - The statistics of the idiosyncratic outliers.
- times.fac.out - The times of the factor outliers.
- comps.fac.out - The dynamic factors affected by the factor outliers.
- sizes.fac.out - The sizes of the factor outliers.
- stats.fac.out - The statistics of the factor outliers.
- x.kurt - The time series cleaned in the kurtosis sub-step ( $\mathrm{n} \times \mathrm{m}$ ).
- times.kurt - The outliers detected in the kurtosis sub-step.
- pro.kurt - The projection number of the detected outliers in the kurtosis sub-step.
- n.pro.kurt - The number of projections leading to outliers in the kurtosis sub-step.
- x.rand - The time series cleaned in the random projections sub-step ( $\mathrm{n} \times \mathrm{m}$ ).
- times.rand - The outliers detected in the random projections sub-step.
- x.uni - The time series cleaned after the univariate substep ( $\mathrm{n} \times \mathrm{m}$ ).
- times.uni - The vector of outliers detected with the univariate substep.
- comps.uni - The components affected by the outliers detected with the univariate substep.
- r.rob - The number of factors estimated ( $1 \times 1$ ).
- P.rob - The estimate of the loading matrix (m x r.rob).
- V.rob - The estimate of the orthonormal complement to P (m x (m - r.rob)).
- I.cov.rob - The matrix $\left(\mathrm{V}^{\prime} \mathrm{GnV}\right)^{\wedge}-1$ used to compute the statistics to detect the idiosyncratic outliers.
- IC. 1 - The values of the information criterion of Bai and Ng.


## References

Galeano, P., Peña, D., and Tsay, R. S. (2006). Outlier detection in multivariate time series by projection pursuit. Journal of the American Statistical Association, 101(474), 654-669.

## Examples

```
data(TaiwanAirBox032017)
```

output <- outliers.hdts(as.matrix(TaiwanAirBox032017[1:100,1:3]), r.max = 1, type =2)

PElectricity1344 Electricity Prices in New England and USA

## Description

Weakly series of electricity price each hour of each day during 678 weeks in the 8 regions in New England. We have 1344 series corresponding to each of the seven days, one of the 24 hours and for one of the regions $(7 x 24 x 8=1344)$. The first series correspond to the price in the first region at 1 am CT of Thursday 01/01/2004, the second to 2 am, same day and so on. Thus the first 192 series ( 24 hours x 8 regions) are the price of all the hours of Thursday in the eight regions, the next 192 are for Friday and so on. These series were used in the articles Alonso and Peña (2019), and Peña, Tsay and Zamar (2019). The series have been corrected of missing values at days of changing time in saving energy days.

## Usage

data(PElectricity1344)

## Format

An object of class "data.frame".

## References

Alonso, A. M. and Peña, D. (2019). Clustering time series by linear dependency. Statistics and Computing, 29(4):655-676.
Peña, D. Tsay, R. and Zamar, R. (2019). Empirical Dynamic Quantiles for Visualization of HighDimensional Time Series, Technometrics, 61:4, 429-444.

## Description

Boxplots of selected quantiles of each time series (Column-wise operations).

## Usage

quantileBox (x, prob $=c(0.25,0.5,0.75))$

## Arguments

$x \quad \mathrm{~T}$ by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
prob Probability, the quantile series of which is to be computed. Default values are $0.25,0.5,0.75$.

## Value

Boxplot.

## Examples

data(TaiwanAirBox032017)
quantileBox(TaiwanAirBox032017[,1:3])
rnnStream Setup the Input and Output for a Recurrent Neural Network

## Description

R command to setup the input and output for a Recurrent Neural Network. It is used in the Wiley book Statistical Learning with Big Dependent Data by Daniel Peña and Ruey S. Tsay (2021).

## Usage

rnnStream(z, h = 25, nfore = 200)

## Arguments

| $z$ | Input in integer values. |
| :--- | :--- |
| $h$ | Number of lags used as input. |
| nfore | Data points in the testing subsample. |

## Value

A list containing:

- Xfit - Predictor in training sample (binary).
- Yfit - Dependent variable in the training sample (binary).
- yp - Dependent variable in testing sample.
- Xp - Predictor in the testing sample (binary).
- X - Predictor in the training sample.
- yfit - Dependent variable in the training sample.
- newX - Predictor in the testing sample.


## Examples

output <- rnnStream(rnorm(100), h=5, nfore=20)
sarimaSpec Automatic Modeling of a Scalar Seasonal Time Series

## Description

Auto-model specification of a scalar seasonal time series. The period should be given.

## Usage

```
    sarimaSpec(
```

        zt,
        maxorder \(=c(2,1,3)\),
        maxsea \(=c(1,1,1)\),
        criterion = "bic",
        period = 12,
        output = FALSE,
        method = "CSS-ML",
        include.mean = TRUE
    )
    
## Arguments

## zt

T by 1 vector of an observed scalar time series without missing values.
maxorder Maximum order of $(p, d, q) . p$ is the AR order, $d$ the degree of differencing, and $q$ The MA order. Default value is $(2,1,3)$.
maxsea Maximum order of $(P, D, Q) . P$ is the seasonal AR order, $D$ the degree of seasonal differencing, and $Q$ the seasonal MA order. Default value is $(1,1,1)$.
criterion Information criterion used for model selection. Either AIC or BIC. Default is "bic".

| period | Seasonal period. The default is 12. |
| :--- | :--- |
| output | If TRUE it returns the differencing order, the selected order and the minimum <br> value of the criterion. Default is TRUE. |
| method | Estimation method. See the arima command in R. Possible values are "CSS- <br>  <br> ML", "ML", and "CSS". Default is "CSS-ML". <br> include.mean |
| Should the model include a mean/intercept term? Default is TRUE. |  |

## Details

ADF unit-root test is used to assess seasonal and regular differencing. For seasonal unit-root test, critical value associated with $\mathrm{pv}=0.01$ is used.

## Value

A list containing:

- data - The time series. If any transformation is taken, "data" is the transformed series.
- order - Regular ARIMA order.
- sorder - Seasonal ARIMA order.
- period - Seasonal period.
- include.mean - Switch about including mean in the model.


## Examples

```
data(TaiwanAirBox032017)
output <- sarimaSpec(TaiwanAirBox032017[1:100,1])
```

scatterACF Scatterplot of Two Selected-lag Autocorrelation Functions

## Description

Scatterplot of two selected-lag ACFs.

## Usage

scatterACF (x, lags $=c(1,2))$

## Arguments

x
lags

T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
Set of lags. Default values are 1, 2.

## Value

A list containing:

- acf1 - Autocorrelation function of order lags[1].
- acf2 - Autocorrelation function of order lags[2].


## Examples

data(TaiwanAirBox032017)
output <- scatterACF (TaiwanAirBox032017[,1:100])

## SelectedSeries Identified the Series with the Given Order

## Description

To be used after the command "SummaryModel". The input "M" must be an output from "SummaryModel". Selected time series of a given order $(p, d, q)$.

## Usage

SelectedSeries(M, order = c(1, 0, 1))

## Arguments

M Matrix that is an output from "SummaryModel" command, that is, M1, M2 or M3.
order Specification of the non-seasonal part of the ARIMA model: the three integer components $(p, d, q)$ are $p$ the AR order, $d$ the degree of differencing, and $q$ the MA order. Default value is $c(1,0,1)$.

## Value

The number of series with the given order and the names of the resulting series.

## Examples

```
data(TaiwanAirBox032017)
outputSummaryModel <- SummaryModel(TaiwanAirBox032017[,1:3])
SelectedSeries(outputSummaryModel$M1, order = c(2,0,0))
```


## Description

Find the number of clusters by the standard Silhouette statistics. The cluster is hierarchical.

## Usage

silh.clus(nClus, distanceMatrix, method)

## Arguments

nClus Maximum number of groups.
distanceMatrix Matrix of distances.
method Hierarchical method "single", "average","complete".

## Value

A list containing:

- nClus - Number of groups
- list - Silhouette statistics for each value of nclus.


## Examples

```
data(TaiwanAirBox032017)
output_gcc <- GCCmatrix(TaiwanAirBox032017[1:100,1:10])
output <- silh.clus(nClus=3,distanceMatrix=output_gcc$DM ,method="complete")
```


## Description

Generate Unit-root ARIMA, possibly, seasonal time series.

## Usage

```
sim.urarima(
        T = 300,
        ar \(=c(0.5)\),
        \(m a=c(-0.5)\),
        \(\mathrm{d}=1\),
        sar = NULL,
        sma = NULL,
        D = 0,
        period \(=12\),
        ini \(=200\),
        \(d f=50\)
)
```


## Arguments

$T \quad$ Number of observations.
ar Vector with the autoregressive coefficients. Default value is 0.5.
ma Vector with the moving average coefficients. Default value is -0.5 .
d Order of first-differencing. Default value is 1.
sar Seasonal autoregressive coefficients. Default is NULL.
sma Seasonal moving average coefficients. Default is NULL.
D Order of seasonal differencing. Default value is 0 .
period Seasonal period. Default value is 12.
ini Length of 'burn-in' period. Default value is 200.
df If $\mathrm{df} \geq 50$ random generation for the Normal distribution, if $\mathrm{df}<50$ random generation for the $t$ distribution with df degrees of freedom. Default value is 50 .

## Value

A time series vector.

## Examples

x <- sim.urarima()

```
sSelectedSeries Selected Seasonal Time Series
```


## Description

To be used after the command "sSummaryModel". The input "M" must be output from "sSummaryModel". Selected seasonal time series of a given order $(p, d, q) *(P, D, Q)$.

## Usage

sSelectedSeries(M, order = c(0, 1, 1, 0, 1, 1))

## Arguments

M
order

Matrix that is an output from "sSummaryModel" command, that is, M1, M2, M3, M4, M5, or M6.
order of ARIMA model $(p, d, q) *(P, D, Q)$. Default values is $(0,1,1,0,1,1)$.

## Value

A list with the series names and count.

## Examples

```
data(TaiwanAirBox032017)
outputSummaryModel <- sSummaryModel(TaiwanAirBox032017[,1:3])
sSelectedSeries(outputSummaryModel$M1)
```

```
sSummaryModel Collects All Models Specified by "sarimaSpec"
```


## Description

Models specified by "sarimaSpec".

## Usage

sSummaryModel(
x ,
maxorder $=c(3,1,2)$,
period $=12$,
criterion = "bic",
method = "CSS"
)

## Arguments

x
maxorder Maximum order of ARIMA model $(p, d, q)$ where $p$ is the AR order, $d$ the degree of differencing, and $q$ the MA order. Default value is $(3,1,2)$.
period
criterion
method
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.

Seasonal period. The default is 12 .
Information criterion used for model selection. Either AIC or BIC. Default is "bic".
Estimation method. See the arima command in R. Possible values are "CSS- ML", "ML", and "CSS". Default is "CSS".

## Value

A list containing:

- Order - Order of ARIMA model $(p, d, q, P, D, Q)$ of each series. A matrix of (ncol(x),6). The six columns are "p","d","q", "P", "D", "Q".
- Mean - A logical vector indicating whether each series needs a constant (or mean).
- M1 - Contains orders the stationary series.
- M2 - Contains orders of series with ( $\mathrm{d}=1$ ) and ( $\mathrm{D}=0$ ).
- M3 - Contains orders of series with ( $\mathrm{d}=2$ ) and ( $\mathrm{D}=0$ ).
- M4 - Contains orders of series with ( $\mathrm{d}=0$ ) and $(\mathrm{D}=1)$.
- M5 - Contains orders of series with ( $\mathrm{d}=1$ ) and ( $\mathrm{D}=1$ ).
- M6 - Contains orders of series with ( $\mathrm{d}=2$ ) and ( $\mathrm{D}=1$ ).


## Examples

data(TaiwanAirBox032017)
summary <- sSummaryModel(TaiwanAirBox032017[,1:3])

```
stepp Stepp
```


## Description

To compute and plot the observed and simulated distances for measuring similarity between time series. The distance can be computed using ACF, PACF, AR-coefficients, or Periodogram.

## Usage

stepp(
x,
$M=100$,
1 max $=5$,
alpha $=0.95$,
dismethod = "ACF",
clumethod = "complete"
)

## Arguments

x
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
M Number of simulation realizations. Default value is 100 .
lmax
Number of lags used (for ACF, PACF, AR-coefficient). Default value is 5.

```
alpha Quantile used in the plotting. Default value is 0.95.
dismethod Summary statistics of each time series to be used in computing distance. Choices
    include "ACF", "PACF","AR.PIC" and "PER". Default is "ACF".
clumethod Hierarchical clustering method: choices include "single", "average", and "com-
    plete". Default is "complete".
```


## Details

The Empirical Dynamic Quantile of the series is obtained, a set of Txk series is generated and the heights in the dendrogram are obtained. This is repeated M times and the alpha quantile of the results of the M simulations are reported. Both dendrogram's heights and steps (differences) of these heights are compared.

## Value

Two plots are given in output:
The first plot shows the "height" of the dendrogram. Solid line is the observed height. The points denote the alpha quantile of heights based on the simulated series.
The second plot shows the "step" of the dendrogam (increments of heights). Solid line is the observed increments and the points are those of selected quantile for the simulated series.
A list containing:

- mh - alpha quantile of heights based on the simulated series.
- mdh - increments of selected quantile for the simulated series.
- hgt - observed height.
- hgtincre - observed increments.
- Mh - the alpha quantile of the results of the M simulations are reported.


## Examples

data(TaiwanAirBox032017)
output <- stepp(as.matrix(TaiwanAirBox032017[,1:50]), M = 2)

## Stockindexes99world World Stock Indexes

## Description

Standardized daily stock indexes of the 99 most important financial markets around the world from January 3, 2000, to December 16, 2015, with a total of 4163 observations. The first column contains the dates and the names of the indexes are the columns names.

## Usage

data(Stockindexes99world)

## Format

> An object of class "data.frame".

## References

Refence or source
Summaryccm Summary Statistics of Cross-Correlation Matrices

## Description

Compute and plot summary statistics of cross-correlation matrices (CCM) for high-dimensional time series.

## Usage

Summaryccm(x, max.lag = 12)

## Arguments

$\begin{array}{ll}\mathrm{x} & \begin{array}{l}\text { T by } \mathrm{k} \text { data matrix: T data points in rows with each row being data at a given } \\ \text { time point, and } \mathrm{k} \text { time series in columns. }\end{array} \\ \text { max.lag } & \text { The number of lags for } \mathrm{CCM} .\end{array}$

## Value

A list containing:

- pvalue - P-values of Chi-square tests of individual-lag CCM being zero-matrix.
- ndiag - Percentage of significant diagonal elements for each lag.
- noff - Percentage of significant off-diagonal elements for each lag.


## Examples

```
data(TaiwanAirBox032017)
output <- Summaryccm(as.matrix(TaiwanAirBox032017[,1:4]))
```


## Description

Collects all models Specified by "arimaSpec".

## Usage

SummaryModel (x, maxorder $=c(5,1,3)$, criterion = "bic", method = "CSS")

## Arguments

x
maxorder Maximum order of $(p, d, q)$ where $p$ is the AR order, $d$ the degree of differencing, and $q$ the MA order. Default value is $(5,1,3)$.
criterion Information criterion used for model selection. Either AIC or BIC. Default is "bic".
method Estimation method. See the arima command in R. Possible values are "CSSML", "ML", and "CSS". Default is "CSS".

## Value

A list containing:

- Order - Orders $(p, d, q)$ of each series. A matrix of $(\mathrm{ncol}(\mathrm{x}), 3)$. The three columns are " p ", "d", "q".
- Mean - A logical vector indicating whether each series needs a constant (or mean).
- M1 - A matrix with three columns ( $\mathrm{p}, 0, \mathrm{q}$ ). The number of rows is the number of stationary time series. M1 is NULL if there is no stationary series.
- M2 - A matrix with three columns (p, 1, q). The number of rows is the number of firstdifferenced series. M2 is NULL if there is no first-differenced series.
- M3 - A matrix with three columns (p, 2, q). The number of rows is the number of 2nddifferenced series. M3 is NULL if there is no 2nd-differenced series.
- data - Time series.


## Examples

```
x <- matrix(rnorm(300, mean = 10, sd = 4), ncol = 3, nrow = 100)
summary <- SummaryModel(x)
```


## Description

Use the command "tso" of the R package "tsoutliers" to identify outliers for each individual time series.

## Usage

SummaryOutliers(
x ,
type = c("LS", "AO", "TC"),
tsmethod = "arima",
args.tsmethod $=$ list (order $=c(5,0,0))$
)

## Arguments

x
type
tsmethod The framework for time series modeling. Default is "arima". See 'tsmethod' in tso function.
args.tsmethod An optional list containing arguments to be passed to the function invoking the method selected in tsmethod. See 'args.tsmethod' in tso function. Default value is $c(5,0,0)$.

## Value

A list containing:

- Otable - Summary of various types of outliers detected.
- x.cleaned - Outlier-adjusted data.
- xadja - T-dimensional vector containing the number of time series that have outlier at a given time point.


## Examples

```
data(TaiwanAirBox032017)
```

output <- SummaryOutliers(TaiwanAirBox032017[1:50,1:3])

TaiwanAirBox032017 Hourly PM25 Measurements from Air-Box Devices in Taiwan

## Description

Hourly PM25 measurements were constructed from random minute observations collected by AirBox devices for March 2017. There are 744 observations and 516 series.

## Usage

data(TaiwanAirBox032017)

## Format

An object of class "data.frame".

## Source

https://sites.google.com/site/cclljj/research/dataset-airbox

## References

Chen, L.J. et al. (2017). Open framework for participatory PM2.5 monitoring in smart cities. IEEE Access Journal, Vol. 5, pp. 14441-14454.

TaiwanPM25
Hourly PM25 Measurements in Taiwan

## Description

Hourly measurements of $P M_{25}$ at 15 monitoring stations from southern part of Taiwan from January 1, 2006 to December 31, 2015. The first two columns are the date and the hour. Missing values are filled using fixed window around the missing values. Data of February 29 are removed so that there are 87600 observations in total.

## Usage

data(TaiwanPM25)

## Format

An object of class "data.frame".

## Source

https://airtw.epa.gov.tw/

## temperatures World Temperatures

## Description

Three series with 106 observations (from year 1910 to 2016) with the deviation with respect to average value of temperatures in November in three regions: Europe, North America and South America. First columns contains the years. Units are degrees Celsius.

## Usage

data(temperatures)

## Format

An object of class "data.frame".

## Source

https://www.ncdc.noaa.gov/cag/
ts.box Boxplots of the Medians of Subperiods

## Description

Find the median of each time series in the time span and obtain the boxplots of the medians.

## Usage

ts.box(x, maxbox $=200$ )

## Arguments

x
T by k data matrix: T data points in rows with each row being data at a given time point, and k time series in columns.
maxbox Maximum number of boxes. Default value is 200.

## Value

Boxplots of the medians of subperiods.

## Examples

```
data(TaiwanAirBox032017)
ts.box(as.matrix(TaiwanAirBox032017[,1:10]), maxbox = 10)
```


## tsBoost Boosting with Simple Linear Regression

## Description

It uses simple linear regression as the weak learner to perform L2 Boosting for time series data.

## Usage

tsBoost(y, X, v = 0.01, m = 1000, rm.mean = TRUE)

## Arguments

$\mathrm{y} \quad \mathrm{T}$ by 1 scalar dependent variable.
$X \quad \mathrm{~T}$ by k data matrix of predictors: T data points in rows with each row being data at a given time point, and k time series in columns.
$v \quad$ Learning rate of boosting. Default value is 0.01 .
$\mathrm{m} \quad$ Maximum number of boosting iterations. Default is 1000.
rm.mean a logical command. Default is TRUE. If rm.mean=TRUE, both the dependent and predictors are mean-adjusted. If rm.mean=FALSE, no mean adjustment is made.

## Value

A list containing:

- beta - the estimates of coefficient vector.
- residuals - residuals after the boosting fit.
- m - the maximum number of boosting iterations (from input).
- v - learning rate (from input).
- selection - the indexes for selected predictors. That is, the indexes for large beta estimates.
- count: the number of selected predictors.
- yhat - the fitted value of $y$.


## Examples

data(TaiwanAirBox032017)
output <- tsBoost(TaiwanAirBox032017[,1], TaiwanAirBox032017[,2])

UMEdata20002018 Quarterly Economic Series of the European Monetary Union

## Description

Series of Gross Domestic Product at market prices, Household and NPISH final consumption expenditure and Gross Fixed Capital Formation for the 19 Euro Area country members, a total of 57 series. The source of the data is Eurostat and the data was extracted 08-07-2019. Seasonally and calendar adjusted data. The data includes 76 quaterly observations from Q1-2000 to Q4-2018.

## Usage

data("UMEdata20002018")

## Format

An object of class "data. frame".

## Source

https://ec.europa.eu/eurostat

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